



Impurities in a Reactor

T. Pütterich¹, E. Fable¹, R. Dux¹, M. O'Mullane²,
R. Wenninger³, R. Neu^{1,4}, M. Siccino¹

¹Max-Planck-Institut für Plasmaphysik, D-85748 Garching, Germany

²CCFE, Culham Science Centre, Abingdon, Oxfordshire OX14 3DB, United Kingdom

³EUROfusion Programme Management Unit, 85748 Garching, Germany

⁴Technische Universität München, 85748 Garching, Germany

Acknowledgements

This work has been carried out within the framework of the EUROfusion Consortium and has received funding from the Euratom research and training programme 2014-2018 under grant agreement No 633053. The views and opinions expressed herein do not necessarily reflect those of the European Commission.

- Introduction
 - ⇒ Impurities in Fusion Plasmas

- Impurity limits
 - ⇒ Simple 0D and 0.5D approach
 - ⇒ 1D ASTRA model

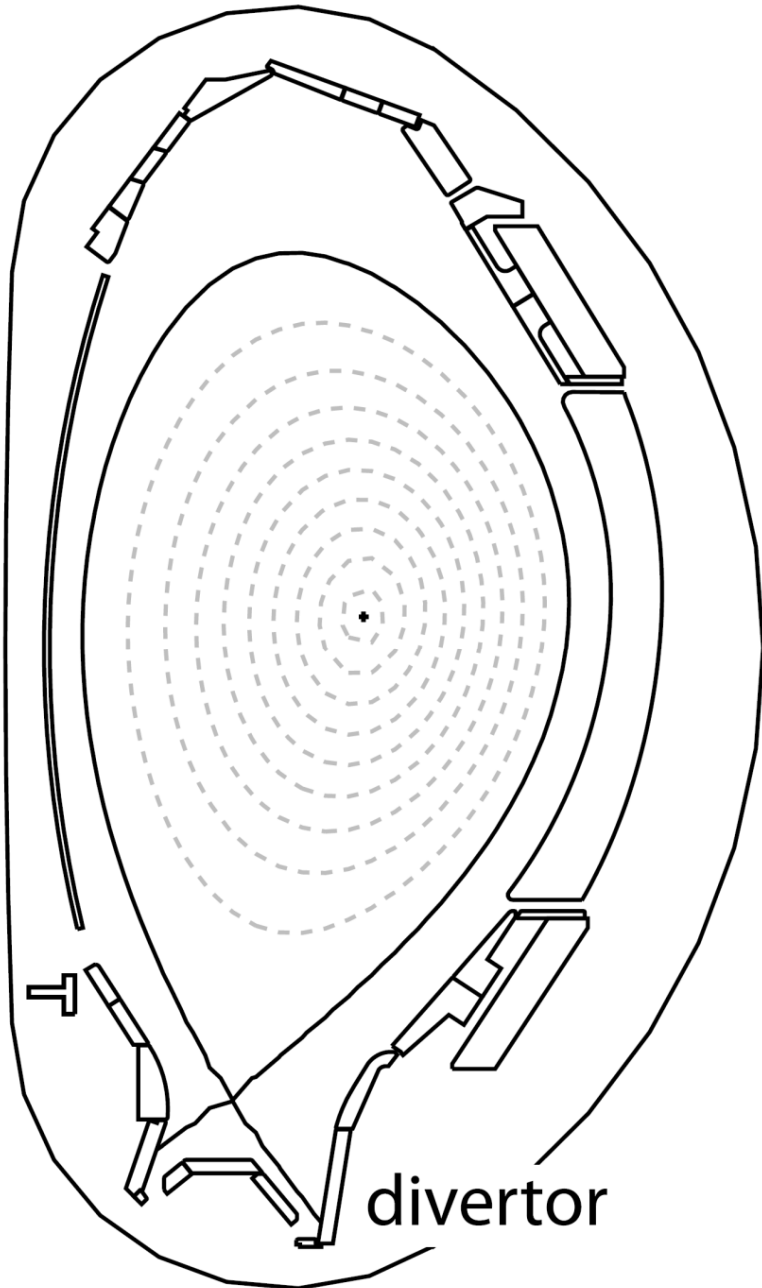
- What Physics Issues Need to be Addressed?

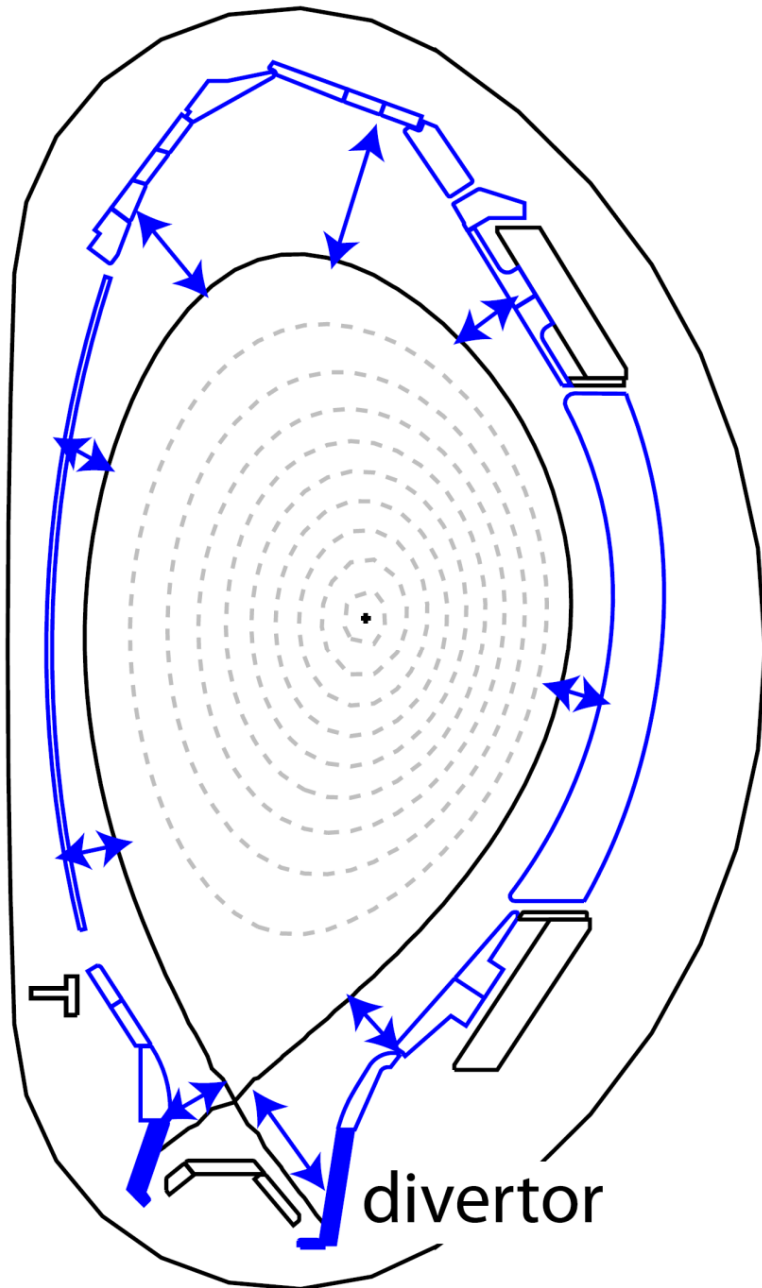
- Introduction
 - ⇒ Impurities in Fusion Plasmas

- Impurity limits
 - ⇒ Simple 0D and 0.5D approach
 - ⇒ 1D ASTRA model

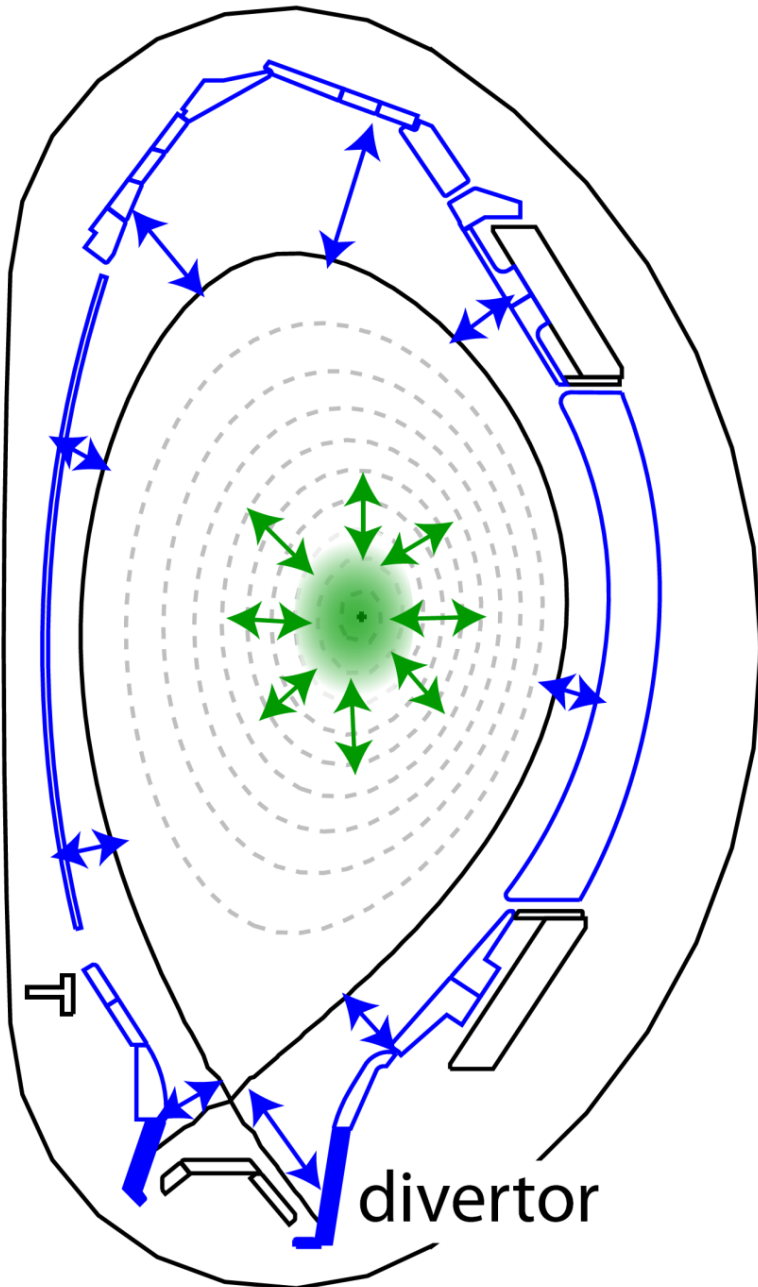
- What Physics Issues Need to be Addressed?

Impurity Sources

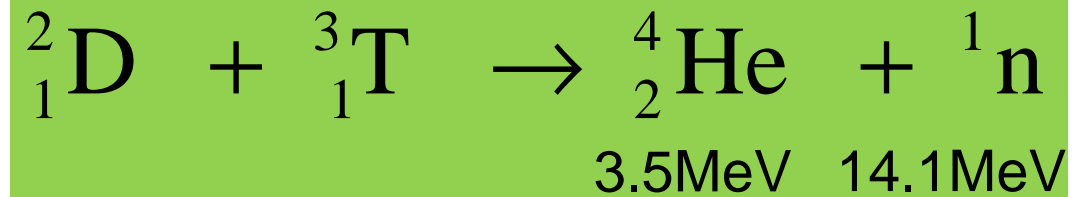


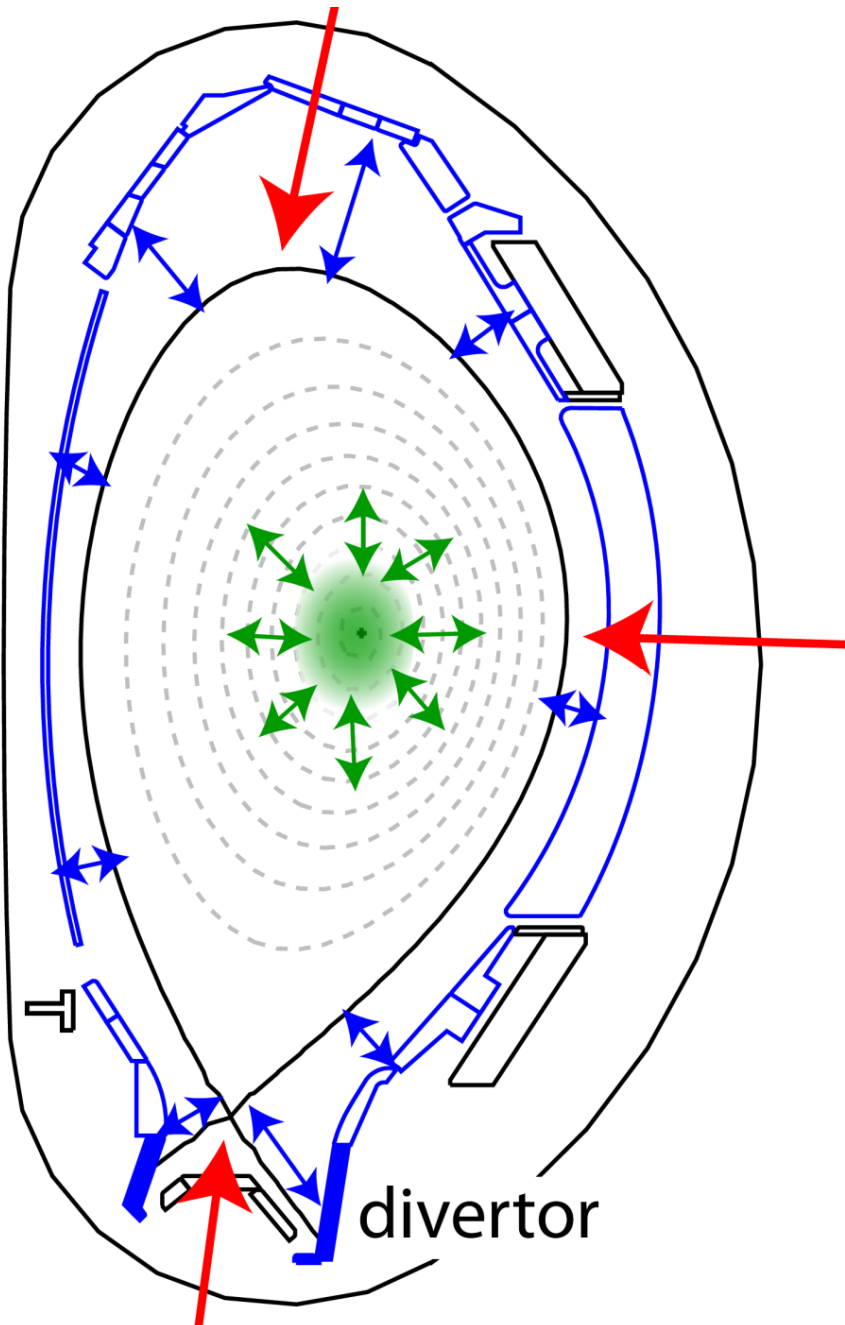


- Erosion from first wall
(e.g. W, Be, C.....)



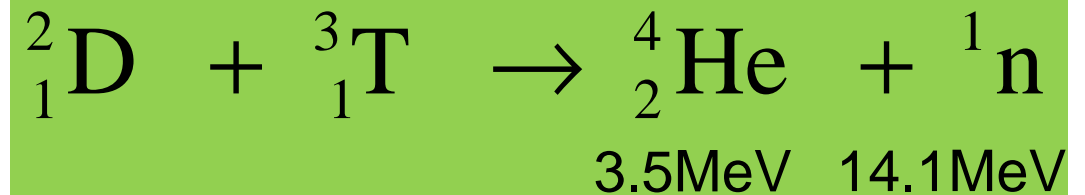
- Erosion from first wall
(e.g. W, Be, C.....)
- Production of He in reactor core





- Erosion from first wall
(e.g. W, Be, C.....)

- Production of He in reactor core



- Intentionally injected impurities
(e.g. N, Ne, Ar, Kr...)

- Introduction
 - ⇒ Impurities in Fusion Plasmas

- Impurity limits
 - ⇒ Simple 0D and 0.5D approach
 - ⇒ 1D ASTRA model

- What Physics Issues Need to be Addressed?

0D-Model - Simple Power Balance

A) Power balance: $P_\alpha = P_{rad} + P_{transp}$

$$P_\alpha = \frac{n_e^2}{4} \langle \sigma u \rangle E_\alpha (1 - 2c_{He} - Z_i c_i)^2$$

$$P_{rad} = n_e^2 ((1 - 2c_{He} - Z_i c_i) L_H + c_{He} L_{He} + c_i L_i) \Rightarrow n_e T \tau_E = f(T, c_{He}, c_i)$$

$$P_{transp} = \frac{3kTn_e}{2\tau_E} (2 - c_{He} - (Z_i - 1)c_i)$$

B) He balance: production = losses

$$\frac{n_e^2}{4} \langle \sigma u \rangle (1 - 2c_{He} - Z_i c_i)^2 = \frac{n_e c_{He}}{\tau_{He}}$$

$$\text{define: } \rho^* = \frac{\tau_{He}}{\tau_E}$$

A+B

====>

$$a_3(\rho^*, T, c_i) c_{He}^3 + a_2(\rho^*, T, c_i) c_{He}^2 + a_1(\rho^*, T, c_i) c_{He} + a_0(\rho^*, T, c_i) = 0$$

0D-Model - Simple Power Balance

A) Power balance: $P_\alpha = P_{rad} + P_{transp}$

$$P_\alpha = \frac{n_e^2}{4} \langle \sigma u \rangle E_\alpha (1 - 2c_{He} - Z_i c_i)^2$$

$$P_{rad} = n_e^2 ((1 - 2c_{He} - Z_i c_i) L_H + c_{He} L_{He} + c_i L_i)$$

$$P_{transp} = \frac{3kTn_e}{2\tau_E} (2 - c_{He} - (Z_i - 1)c_i)$$

$$\Rightarrow n_e T \tau_E = f(T, c_{He}, c_i)$$

- Fix ρ^* , T and c_i
- ≤ 2 meaningful solutions for c_{He}

B) He balance: production = losses

$$\frac{n_e^2}{4} \langle \sigma u \rangle (1 - 2c_{He} - Z_i c_i)^2 = \frac{n_e c_{He}}{\tau_{He}}$$

$$\text{define: } \rho^* = \frac{\tau_{He}}{\tau_E}$$

A+B

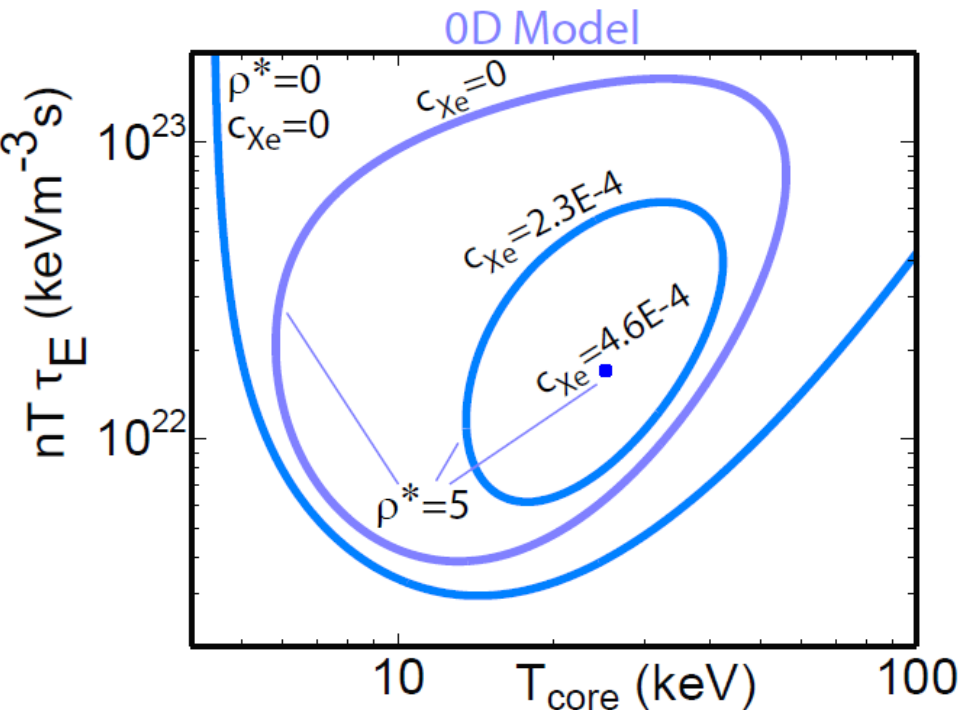
\implies

$$a_3(\rho^*, T, c_i) c_{He}^3 + a_2(\rho^*, T, c_i) c_{He}^2 + a_1(\rho^*, T, c_i) c_{He} + a_0(\rho^*, T, c_i) = 0$$

0D-Model - Simple Power Balance

Reiter, NF 1990

$$P_{\alpha} = P_{rad} + P_{transp}$$

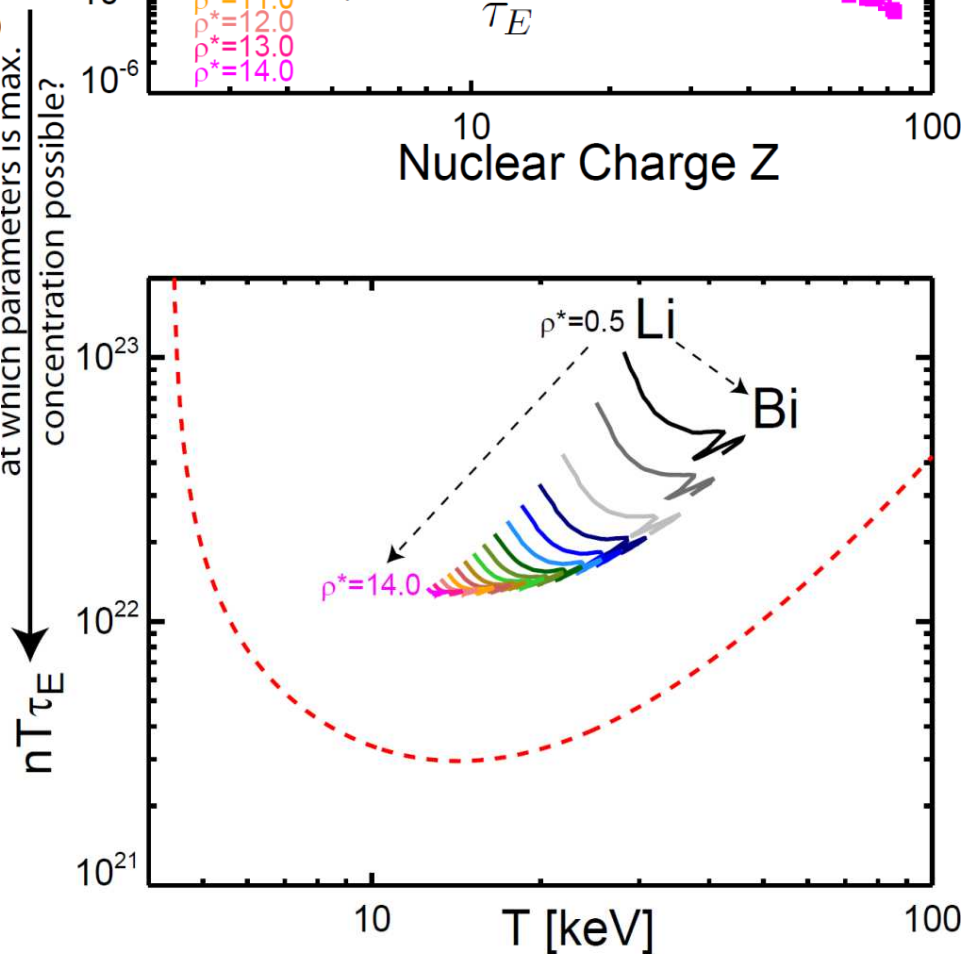
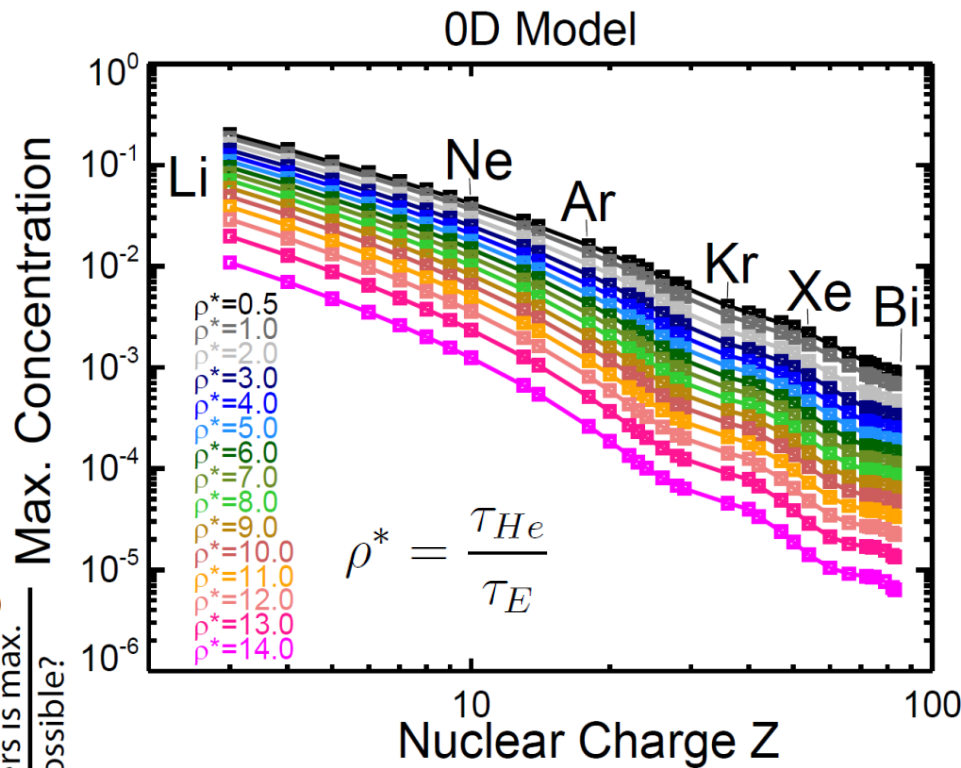


- For fixed ρ^* and variation of c_{Xe}
=> plots with burn curves
- Burn curves become a single dot for maximum impurity level
- low-Z impurities decrease P_{α} via dilution
- high-Z impurities increase P_{rad}

Pütterich, EPS 2015

Simple Power Balance

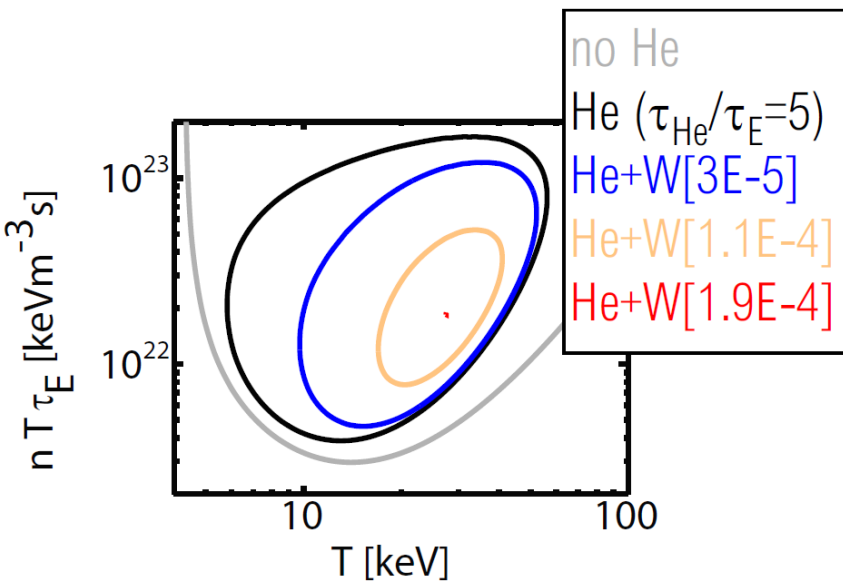
Reiter, NF 1990



- For fixed ρ^* and variation of c_{Xe}
=> plots with burn curves
- Burn curves become a single dot for maximum impurity level
- low-Z impurities decrease P_α via dilution
- high-Z impurities increase P_{rad}

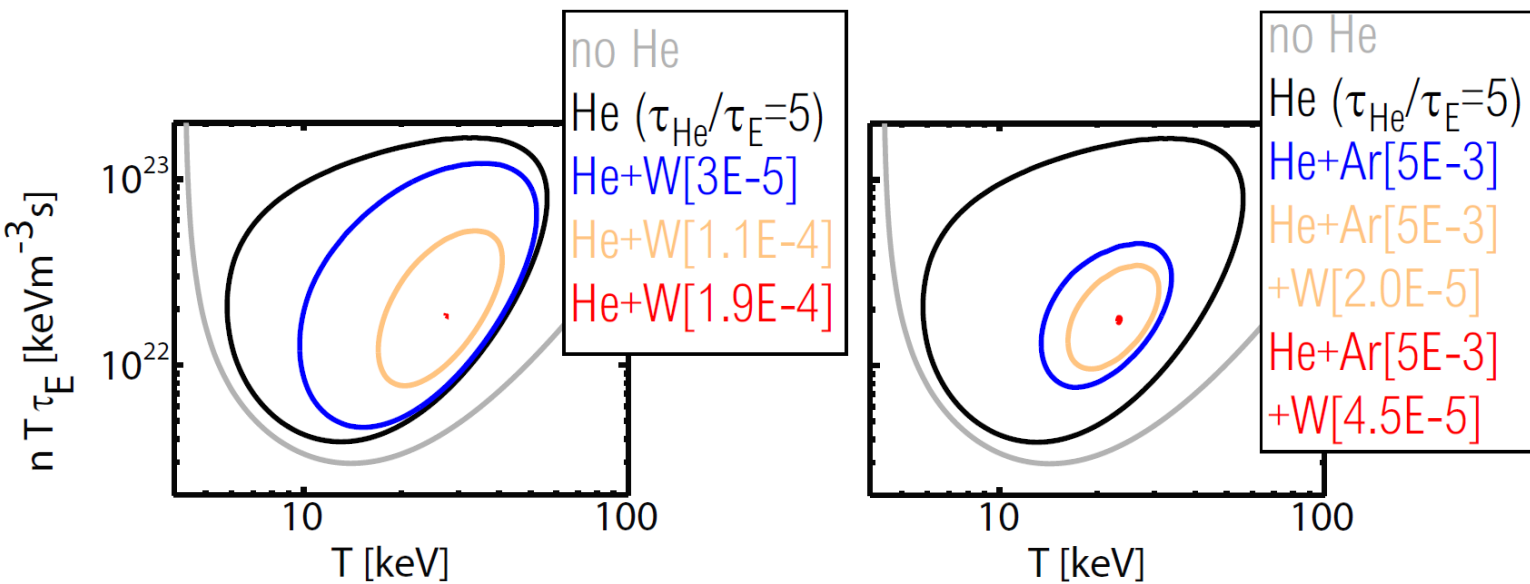
0D Model - Mixing Impurities

- W from wall, seeded impurities, He-ash



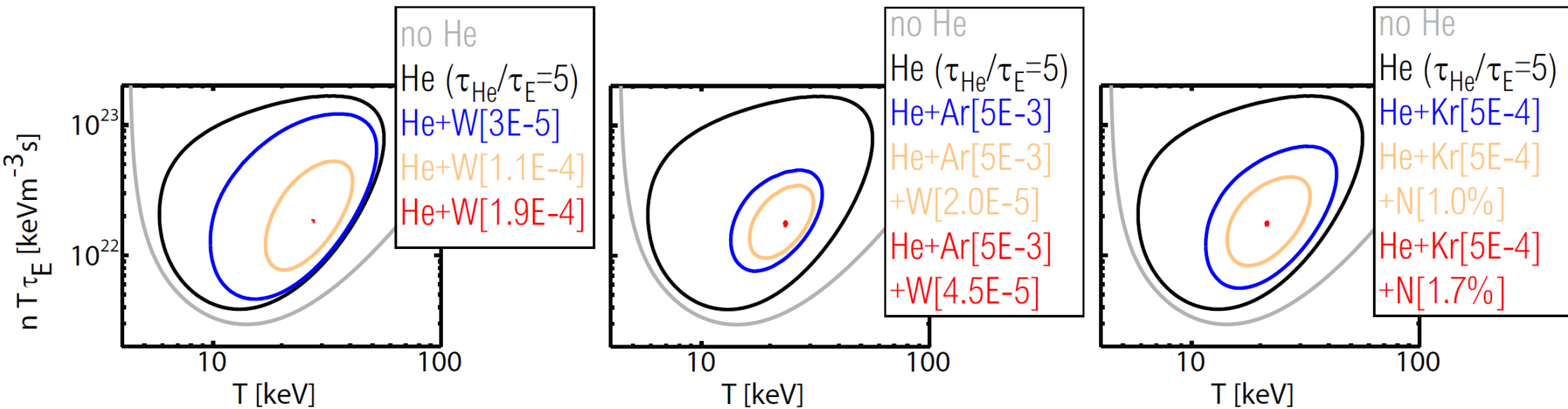
0D Model - Mixing Impurities

- W from wall, seeded impurities, He-ash



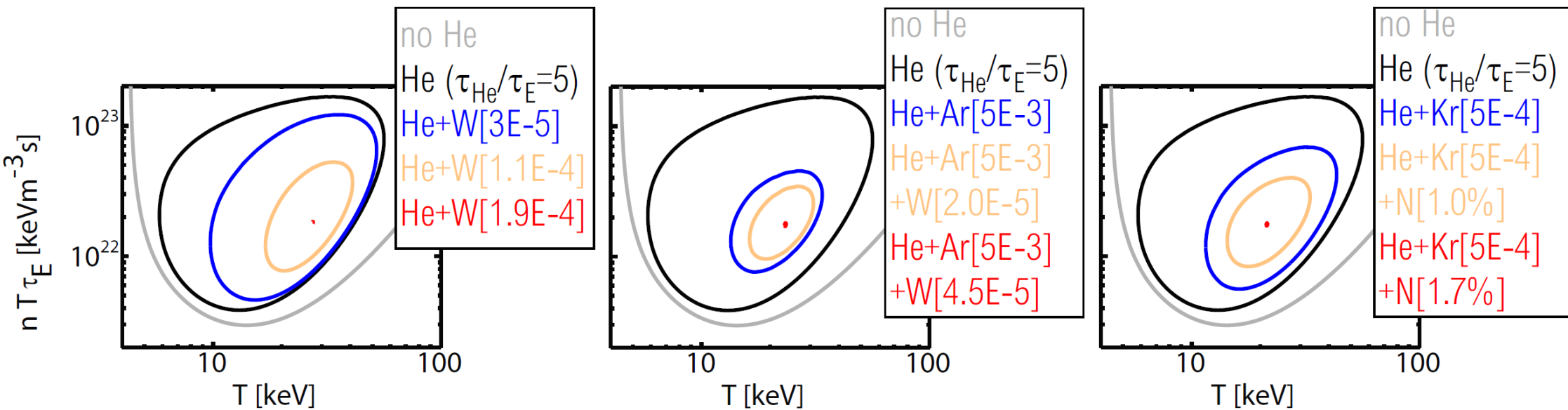
0D Model - Mixing Impurities

- W from wall, seeded impurities, He-ash
- Burn window becomes small



0D Model - Mixing Impurities

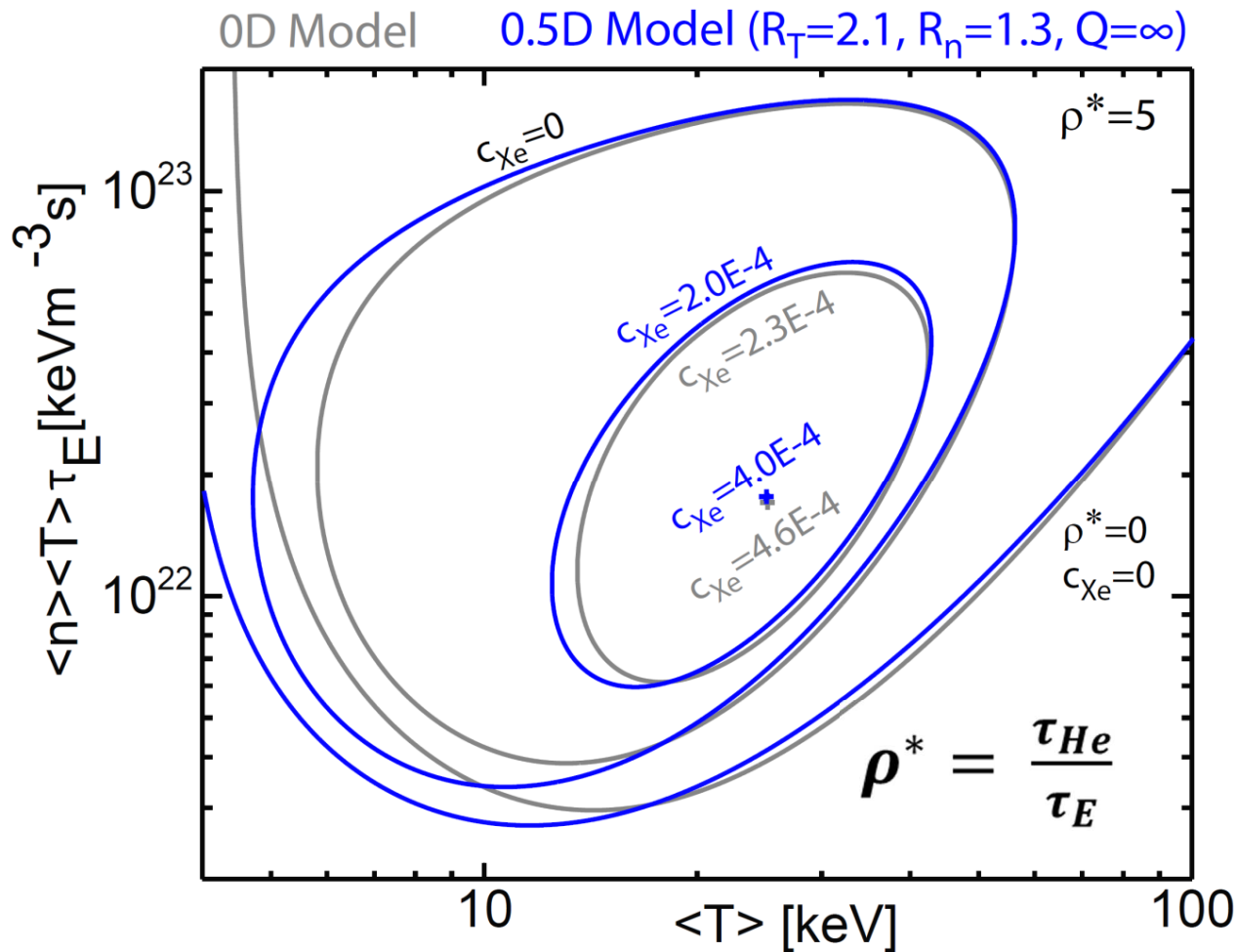
- W from wall, seeded impurities, He-ash
- Burn window becomes small



- Is the situation changing for more realistic assumptions?

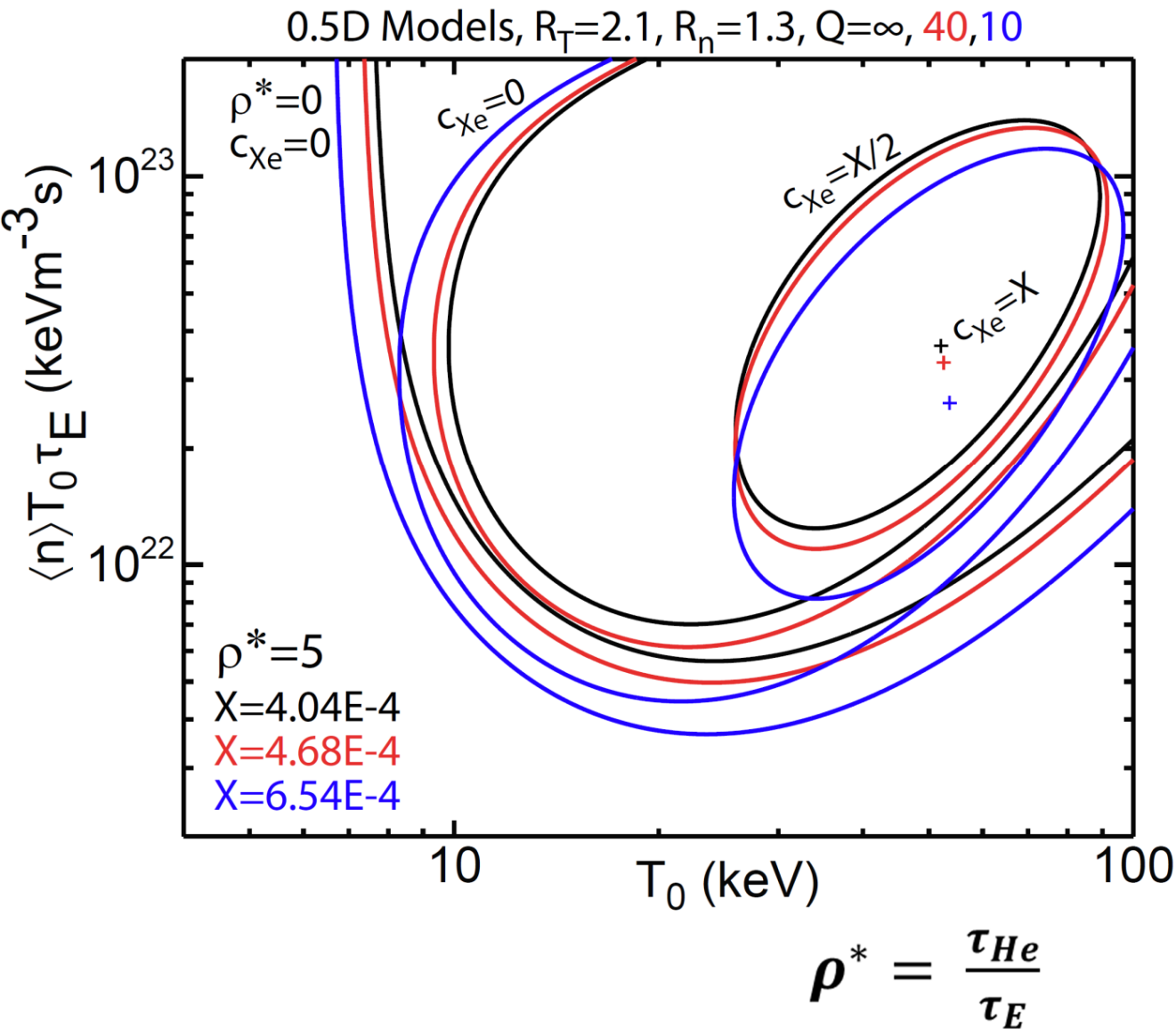
Implementation of T- and n-Profiles

– Model Still Very General



- Profiles of n, T vs. r/a using circular plasma
- Any Plasma may be mapped onto a circular one
- Approximation: Linear Profiles, Flat Impurity Concentration
- Parametrized via peaking $R_T = T_0 / \langle T \rangle, R_n = n_0 / \langle n \rangle$
- Results are size independent
- For $\rho^* < 5$ small effect (<20%)

Implementation of finite Q also Possible

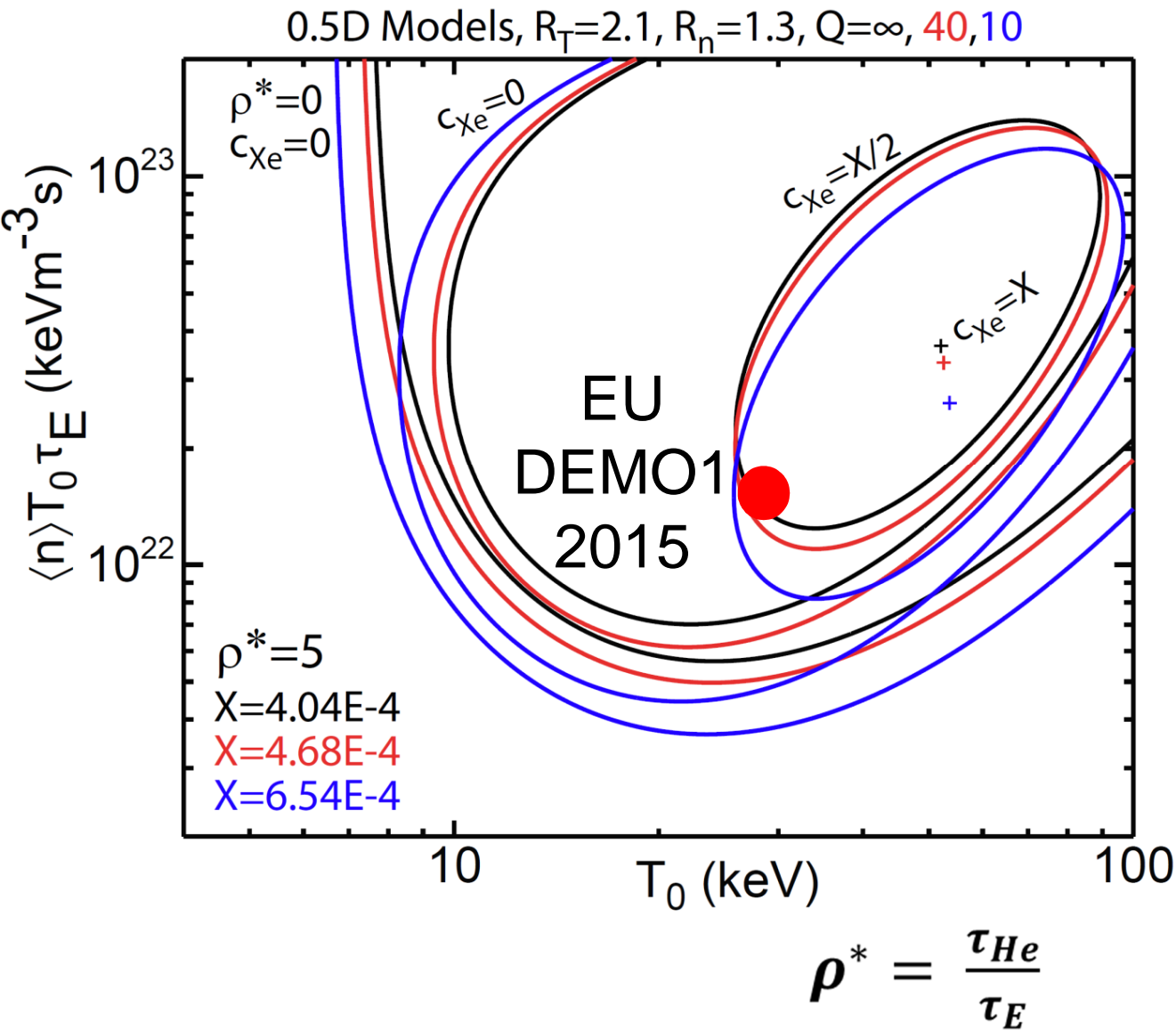


$$Q = \frac{P_{fus}}{P_{aux}} = \frac{5P_\alpha}{P_{aux}}$$

- $Q > 30$ economically viable
 - Finite Q can be seen as an artificially increased $P_{\alpha,eff}$
- $$P_{\alpha,eff} = P_\alpha + P_{aux} = \frac{Q+5}{Q} P_\alpha$$
- Note: Fixed Synchrotron radiation can be taken into account, but depends on B_t & R

=> Talk today by E. Fable

Implementation of finite Q also Possible



$$Q = \frac{P_{fus}}{P_{aux}} = \frac{5P_{\alpha}}{P_{aux}}$$

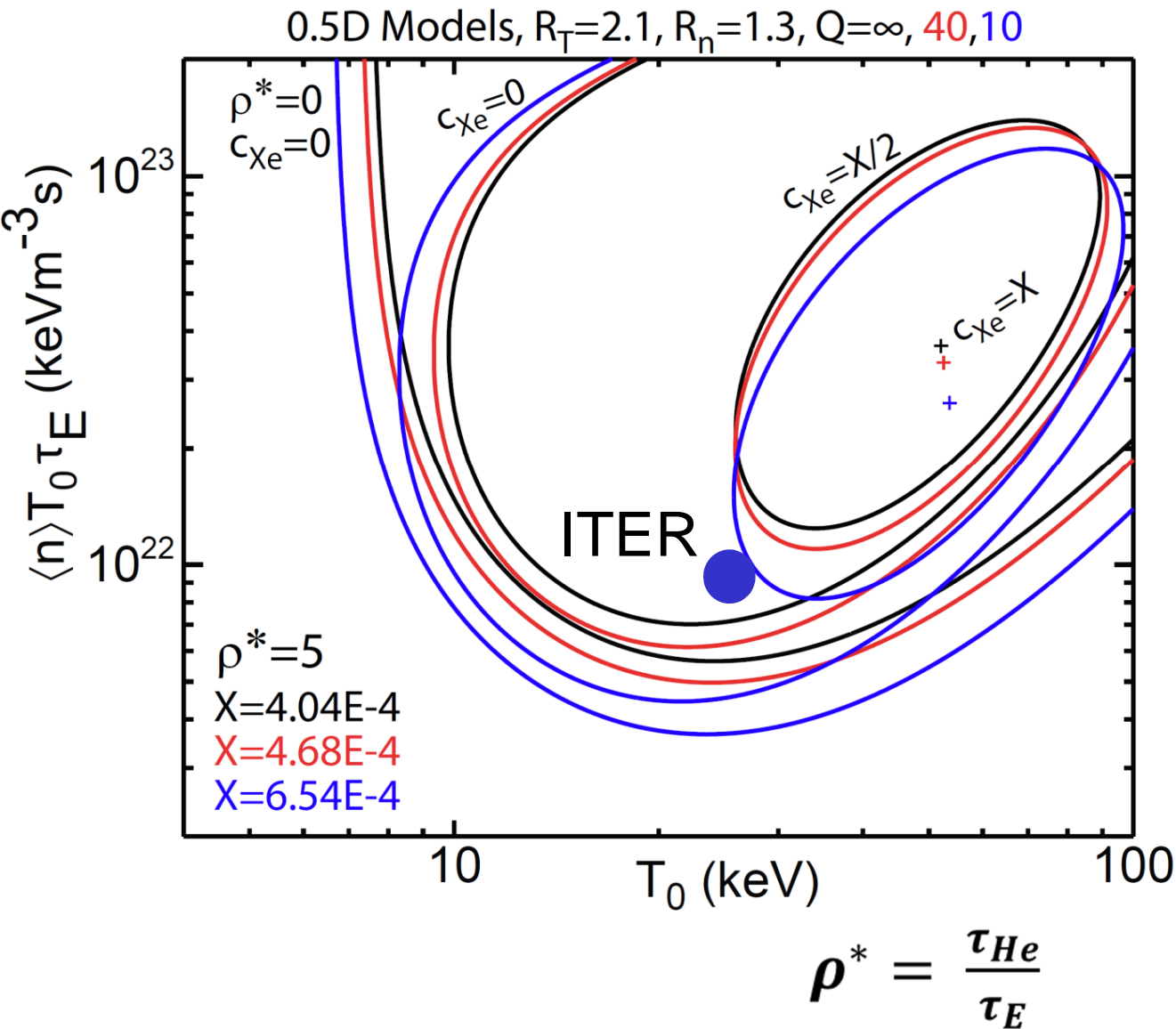
- $Q > 30$ economically viable
- Finite Q can be seen as an artificially increased $P_{\alpha,eff}$

$$P_{\alpha,eff} = P_{\alpha} + P_{aux} = \frac{Q+5}{Q} P_{\alpha}$$

- Note: Fixed Synchrotron radiation can be taken into account, but depends on B_t & R

=> Talk today by E. Fable

Implementation of finite Q also Possible



$$Q = \frac{P_{fus}}{P_{aux}} = \frac{5P_{\alpha}}{P_{aux}}$$

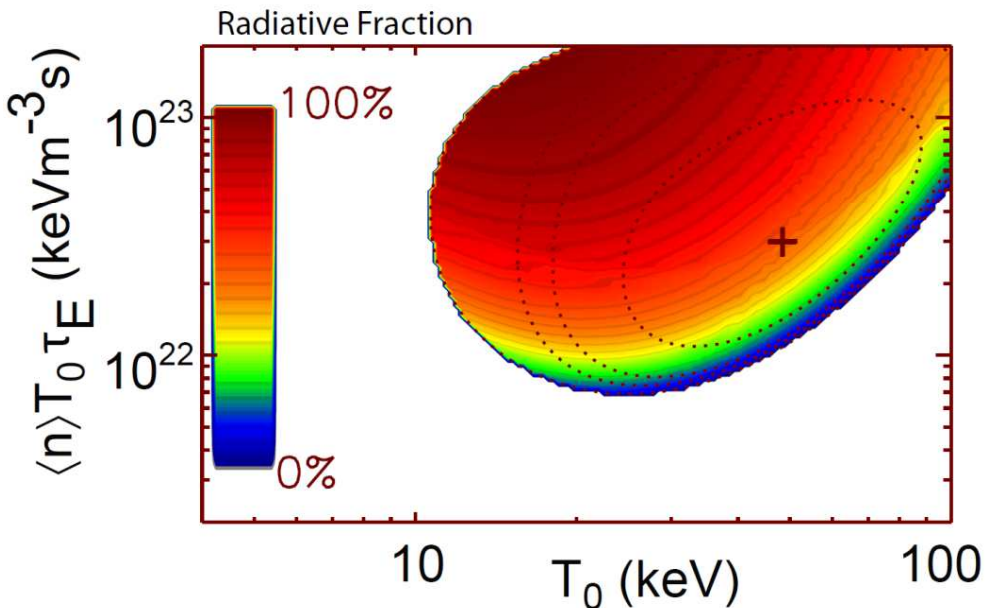
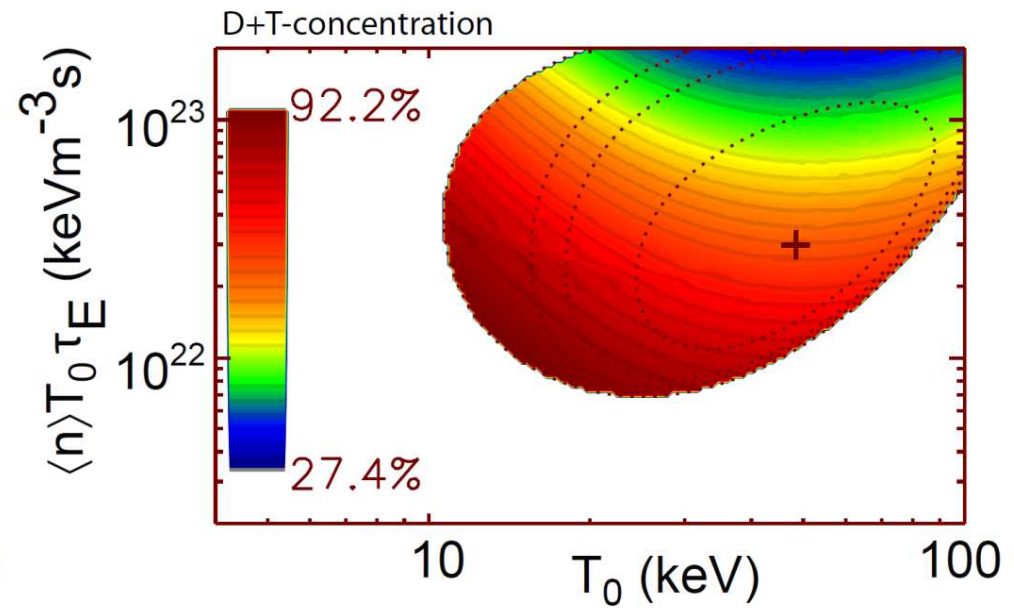
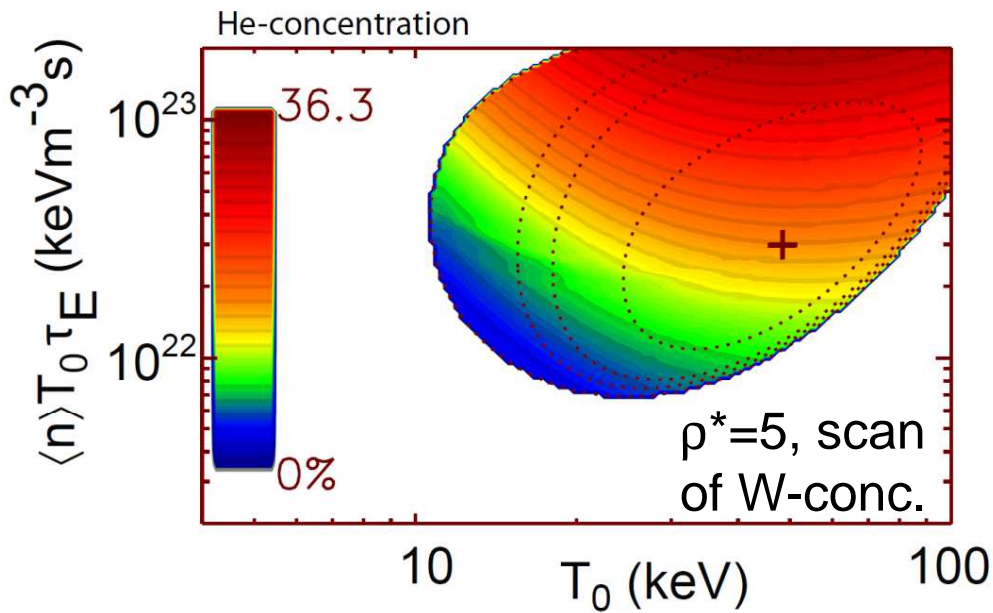
- $Q > 30$ economically viable
- Finite Q can be seen as an artificially increased $P_{\alpha,eff}$

$$P_{\alpha,eff} = P_{\alpha} + P_{aux} = \frac{Q+5}{Q} P_{\alpha}$$

- Note: Fixed Synchrotron radiation can be taken into account, but depends on B_t & R

=> Talk today by E. Fable

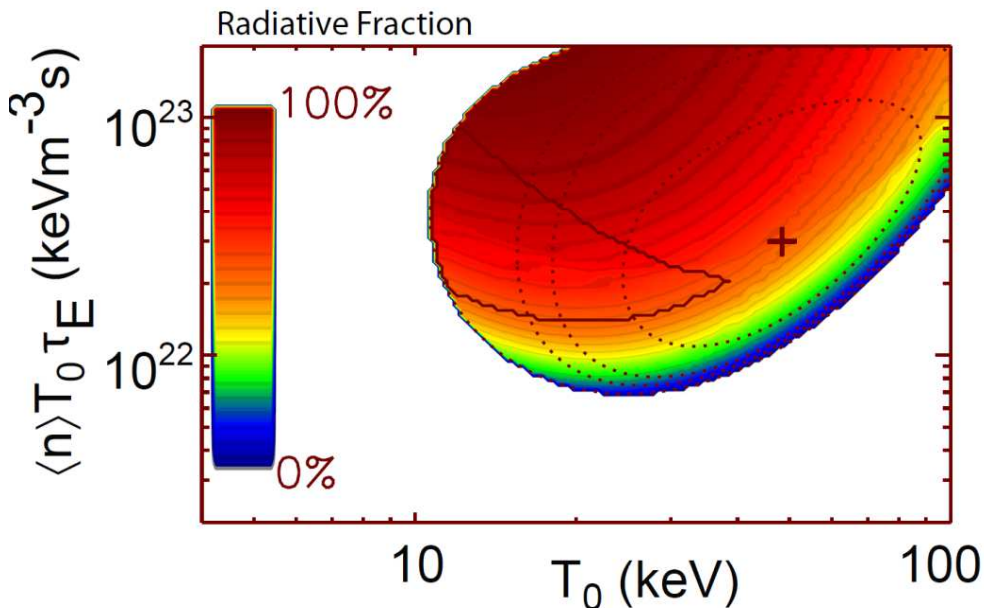
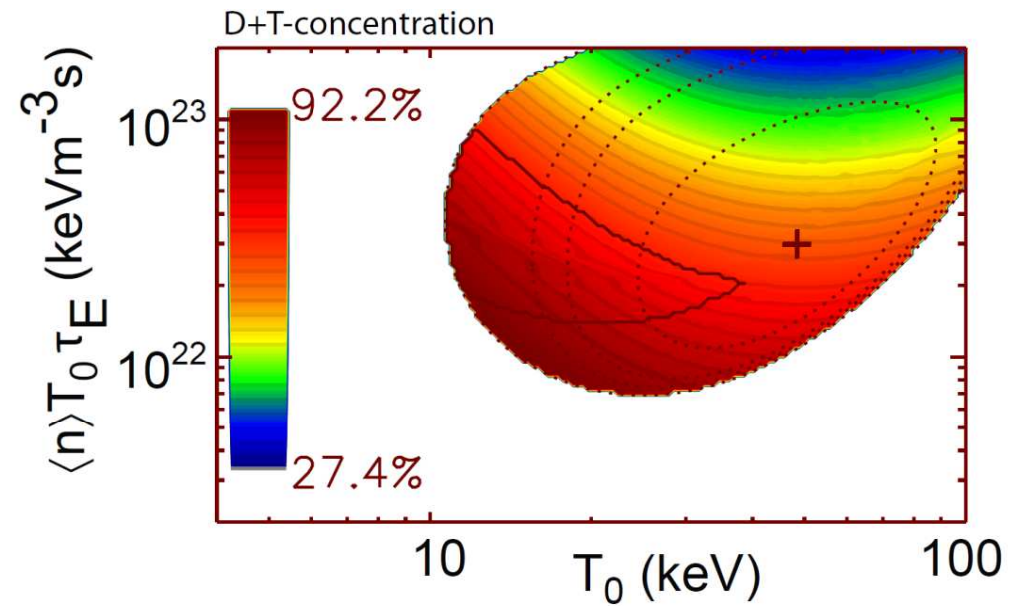
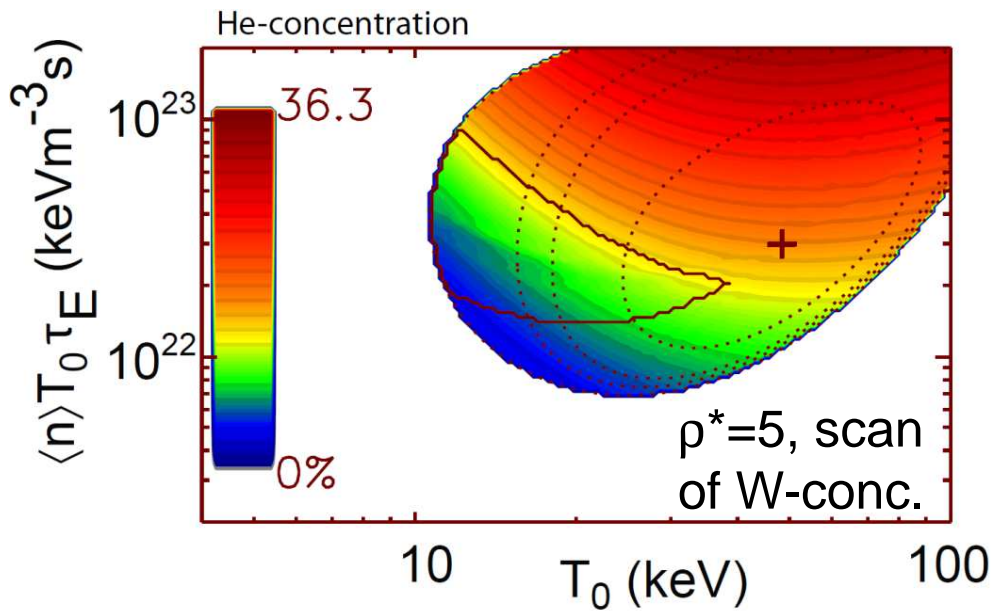
Realistic Boundary Conditions also Define Reactor Design: Dilution, Radiative Fraction



- Strong Dilution of fuel makes a fusion power plant inefficient
- Radiative Fraction must be considerable to provide power exhaust

(Q, sync. rad. and profile peaking match EU DEMO1 2015)

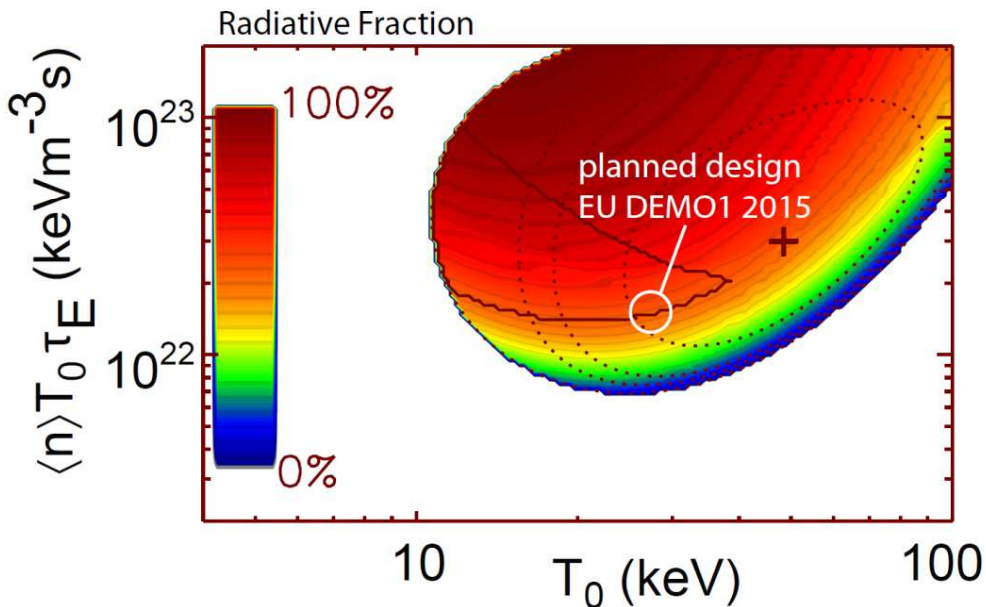
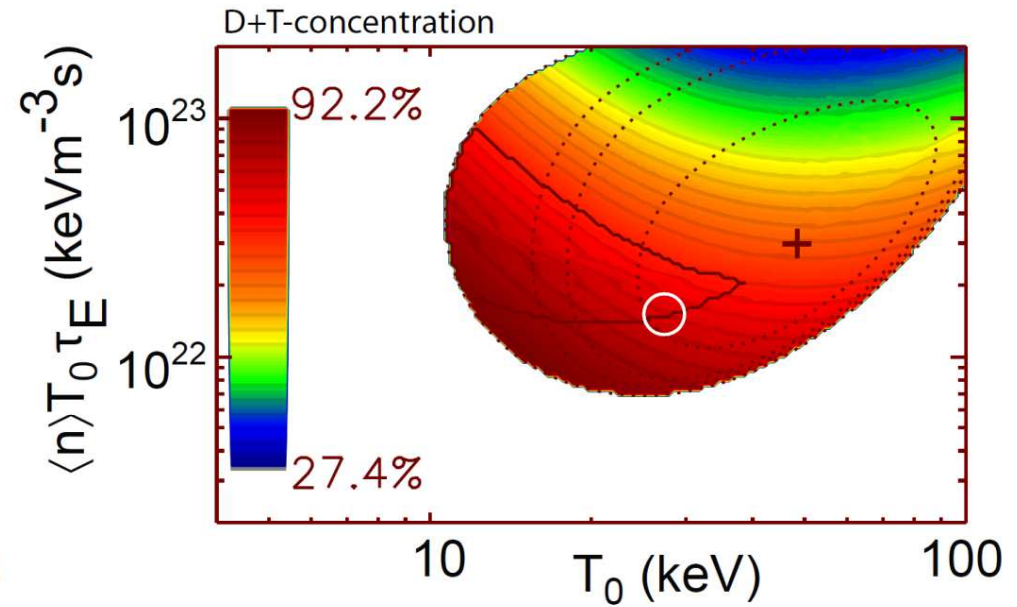
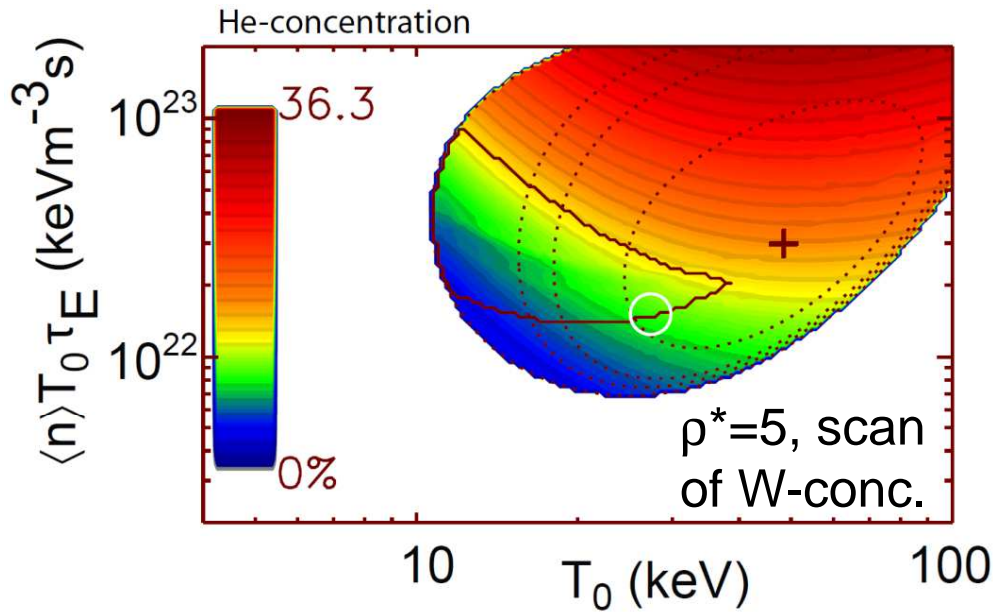
Realistic Boundary Conditions also Define Reactor Design: Dilution, Radiative Fraction



- Strong Dilution of fuel makes a fusion power plant inefficient
=> assume >71% D+T
- Radiative Fraction must be considerable to provide power exhaust
=> assume >50% radiative fraction

(Q, sync. rad. and profile peaking match EU DEMO1 2015)

Realistic Boundary Conditions also Define Reactor Design: Dilution, Radiative Fraction



- Strong Dilution of fuel makes a fusion power plant inefficient
=> assume >71% D+T
- Radiative Fraction must be considerable to provide power exhaust
=> assume >50% radiative fraction

(Q, sync. rad. and profile peaking match EU DEMO1 2015)

- Introduction
 - ⇒ Impurities in Fusion Plasmas

- Impurity limits
 - ⇒ Simple 0D and 0.5D approach
 - ⇒ 1D ASTRA model

- What Physics Issues Need to be Addressed?

- Introduction

 - ⇒ Impurities in Fusion Plasmas

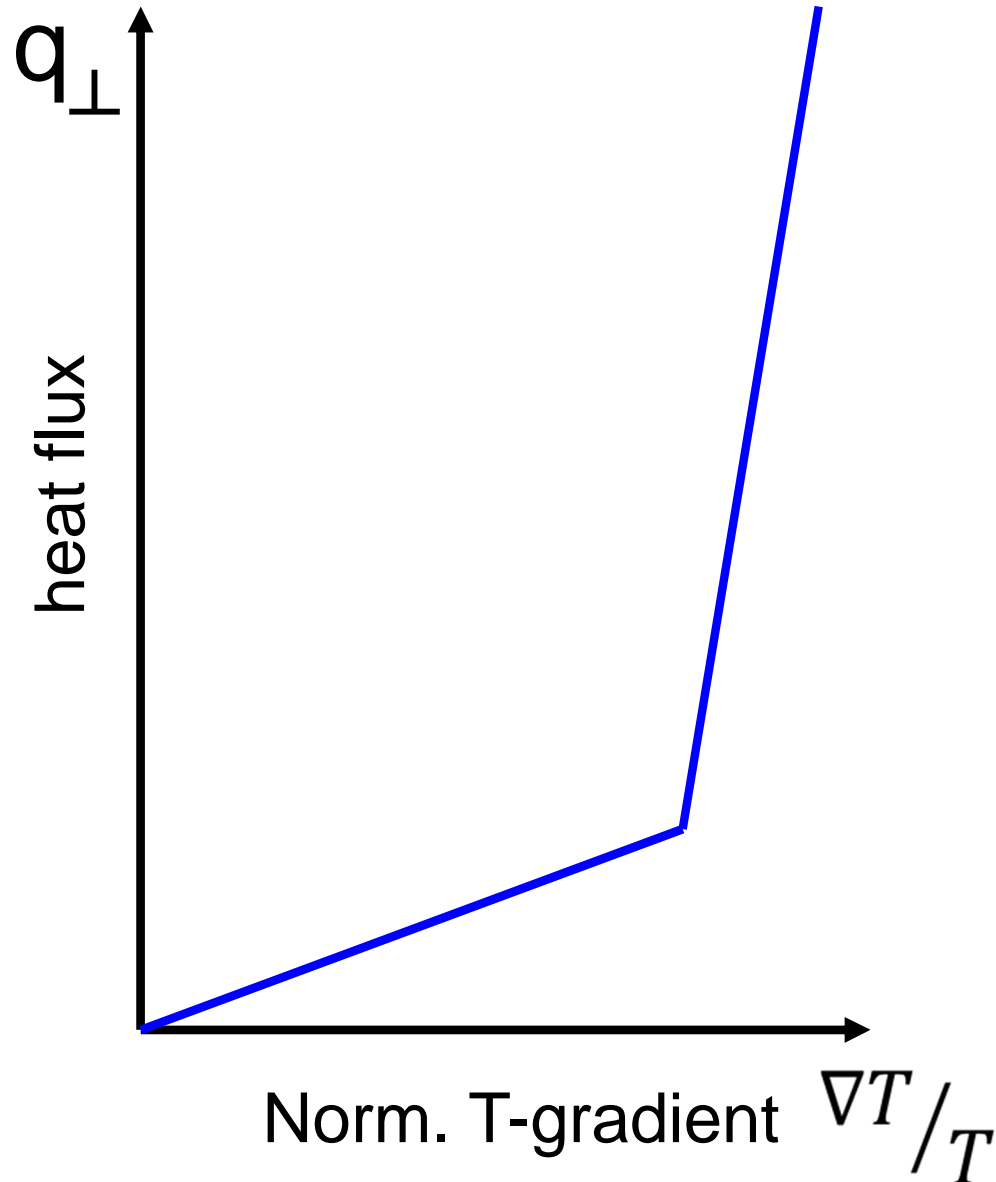
- Impurity limits

 - ⇒ Simple 0D and 0.5D approach

 - ⇒ 1D ASTRA model (fusion+radiation profile, transport, $Q < \infty$)

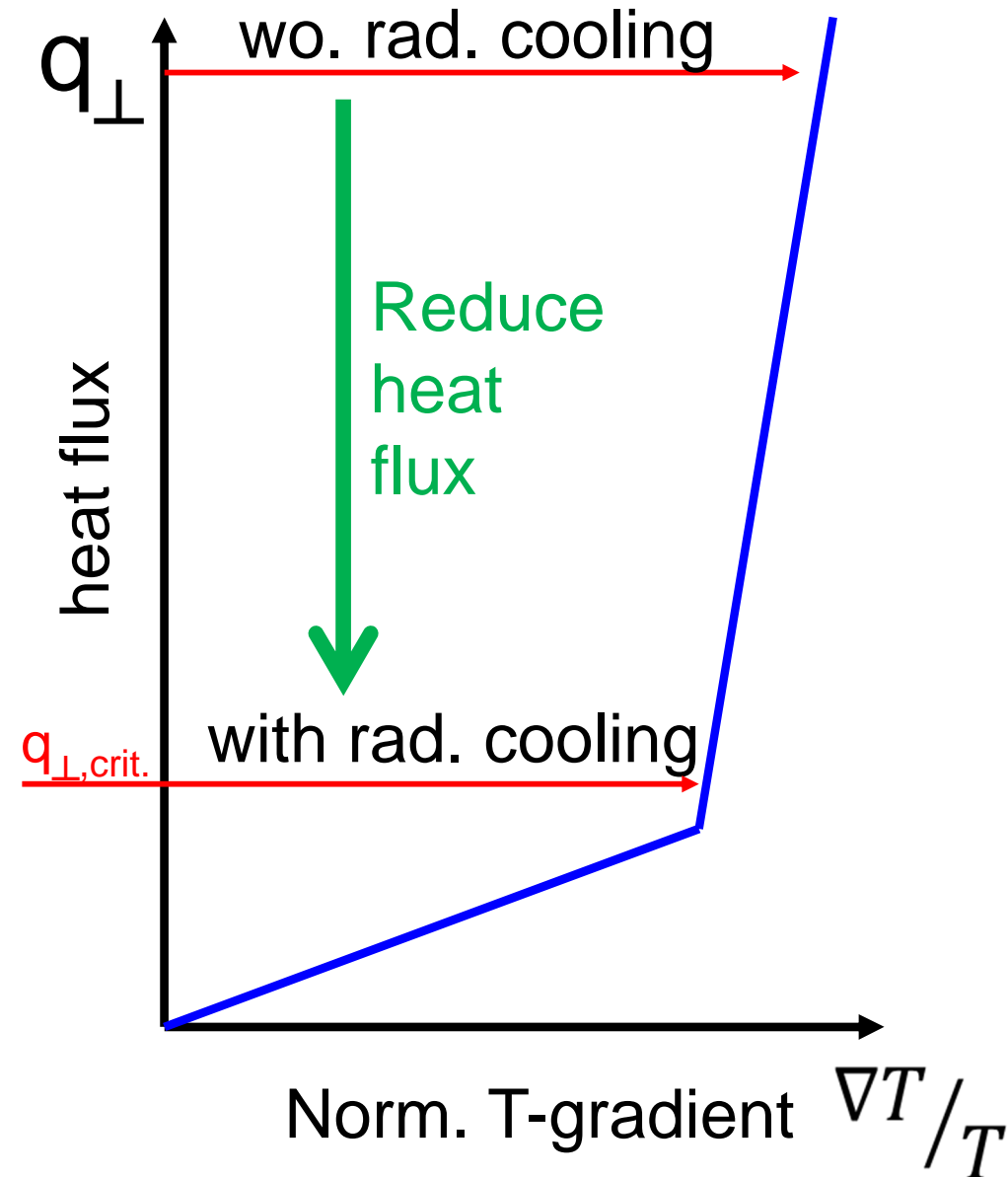
- What Physics Issues Need to be Addressed?

Why does radiation in a reactor not degrade confinement?



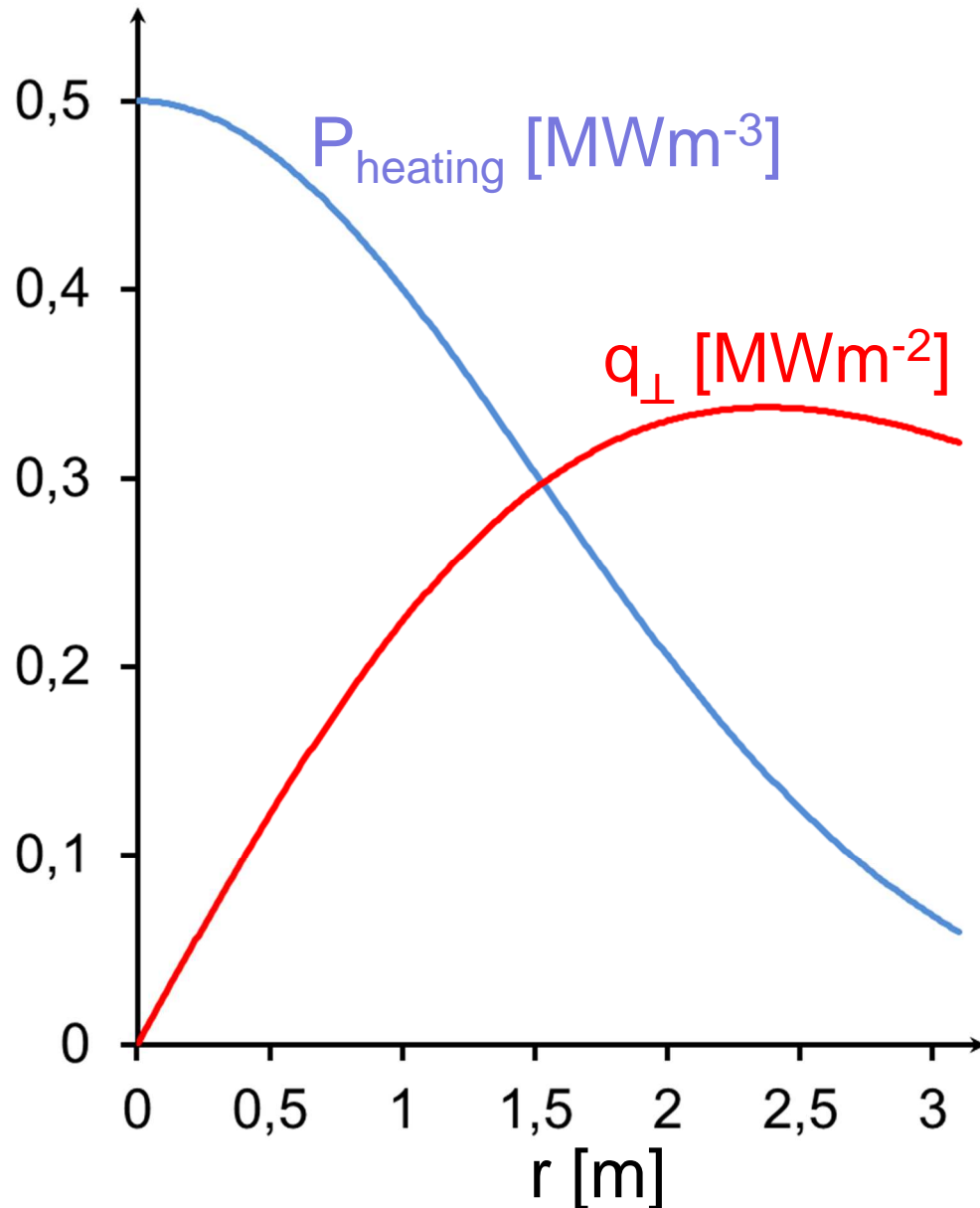
- Wall protection necessary
- ~500MW of alpha power
- Threshold in Turbulence Activity
 - ⇒ Stiff gradients for power fluxes above threshold
 - ⇒ Power flux may be reduced down to threshold, wo. confinement degradation

Why does radiation in a reactor not degrade confinement?



- Wall protection necessary
- $\sim 500\text{MW}$ of alpha power
- Threshold in Turbulence Activity
 - ⇒ Stiff gradients for power fluxes above threshold
 - ⇒ Power flux may be reduced down to threshold, wo. confinement degradation

Reactor Core is more Vulnerable to Radiation

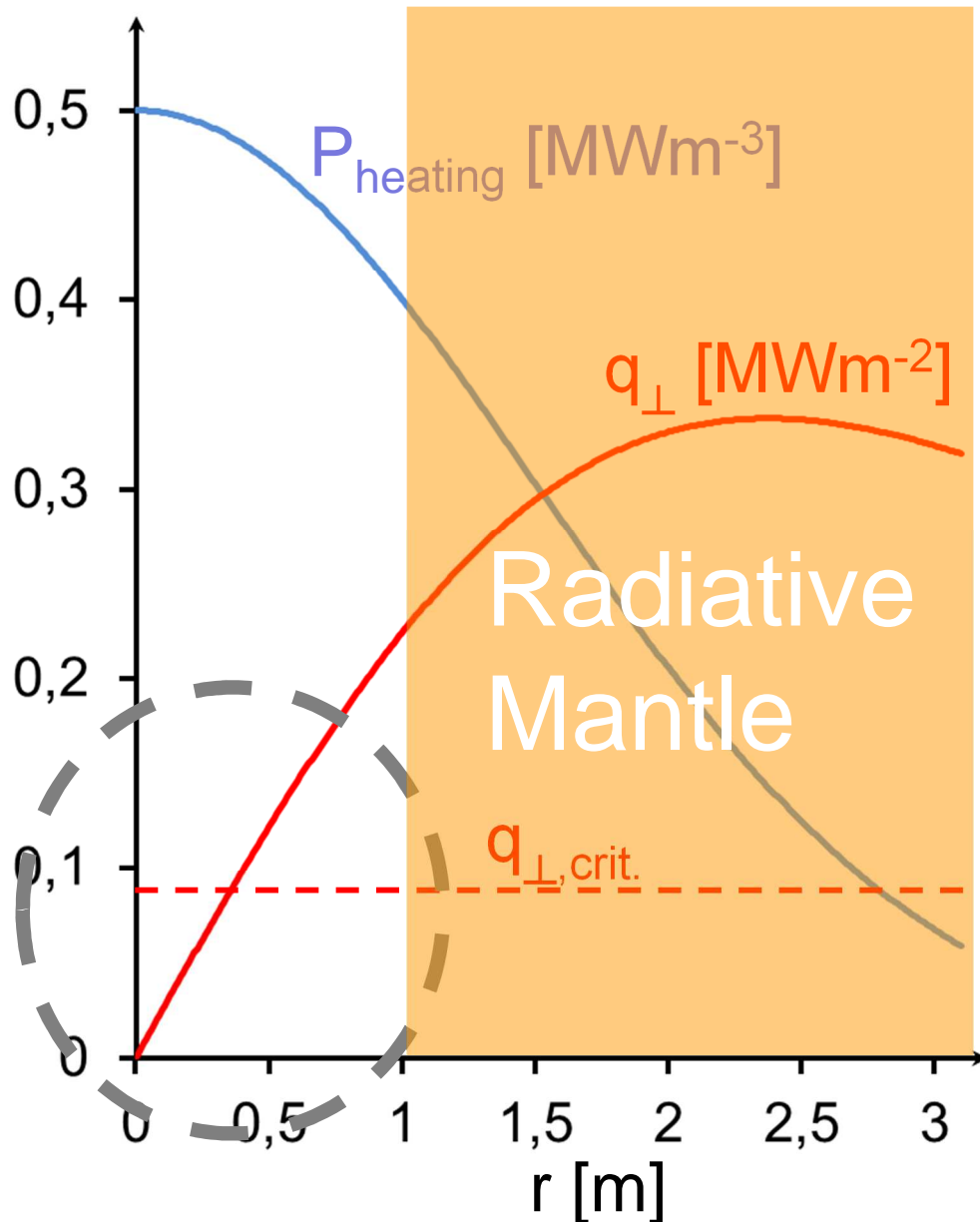


- Power flux at mid radius larger than in center
⇒ Volume vs. Surface for flux surface

$$V_{\text{circ.}} = 2\pi^2 Rr^2$$

$$S_{\text{circ.}} = 4\pi^2 Rr$$

Reactor Core is more Vulnerable to Radiation



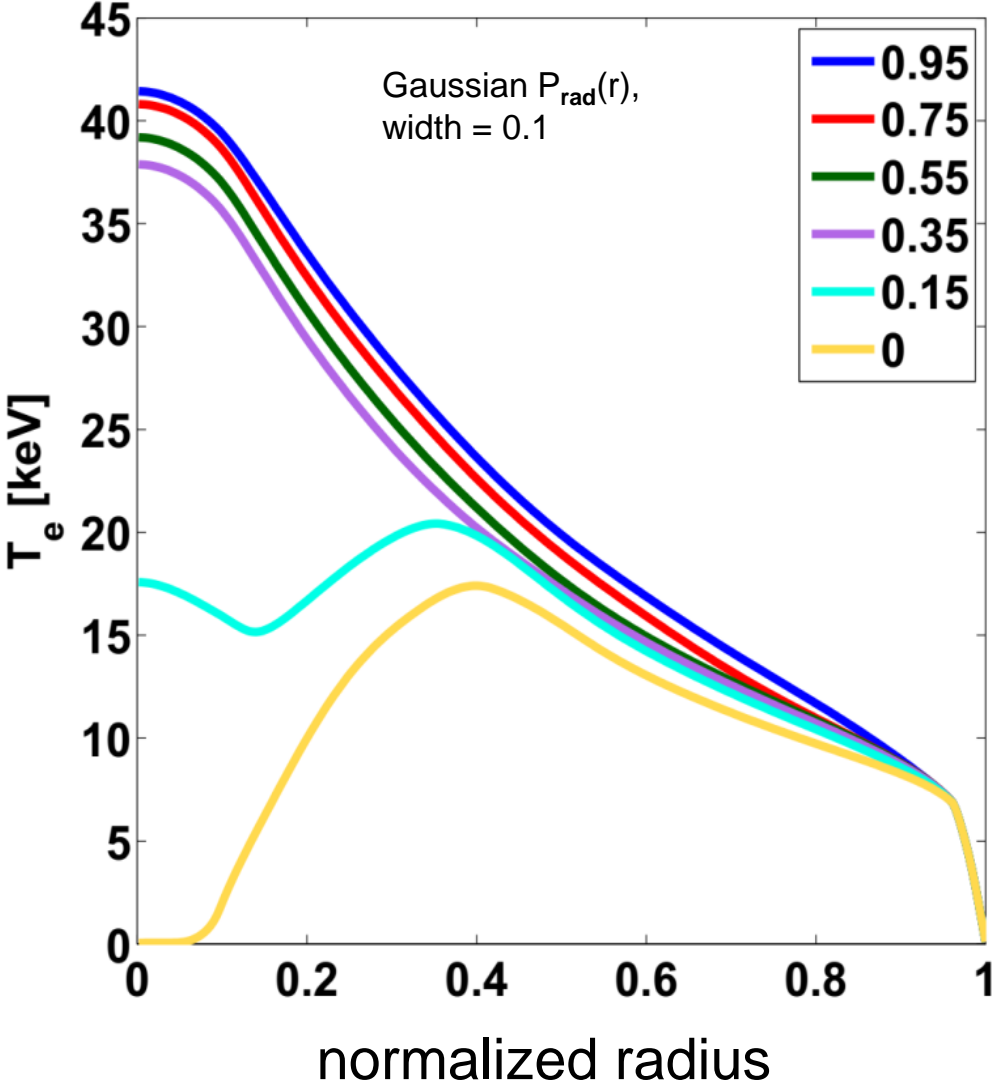
- Power flux at mid radius larger than in center
⇒ Volume vs. Surface for flux surface

$$V_{\text{circ.}} = 2\pi^2 Rr^2$$

$$S_{\text{circ.}} = 4\pi^2 Rr$$

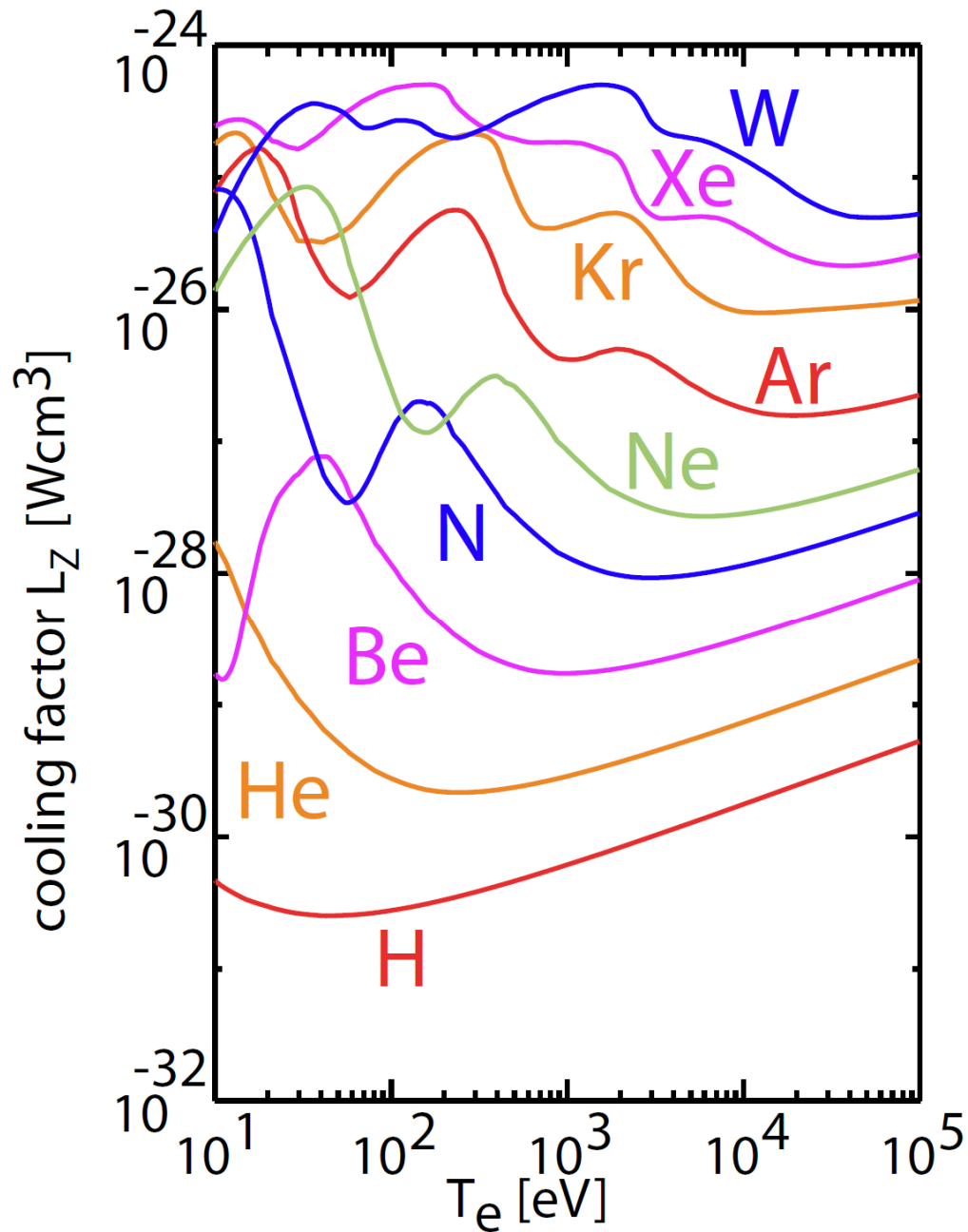
- Seeded Impurities should radiate at the plasma edge

Core Radiation May Damage Temperature Profiles



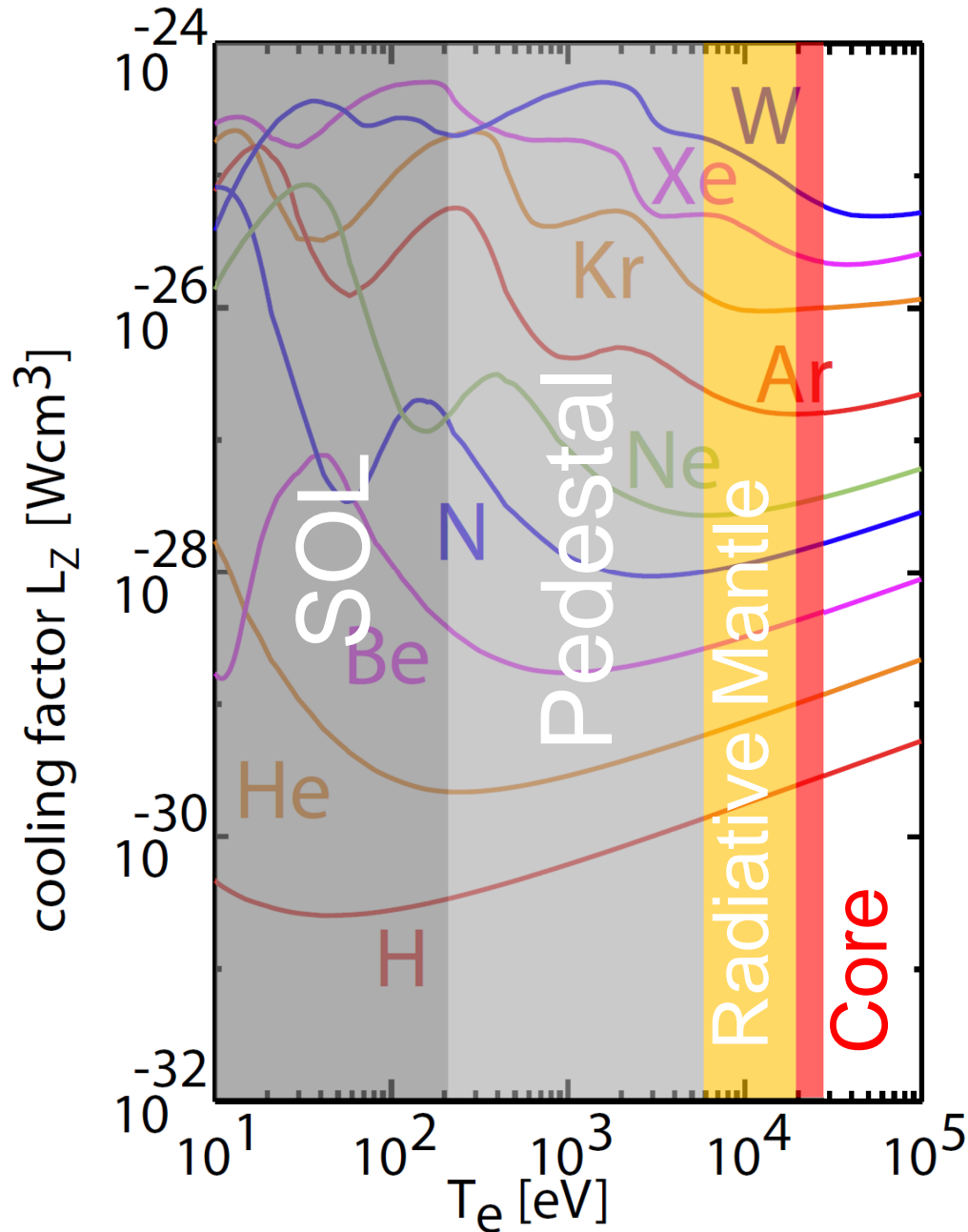
- ASTRA simulations of a DEMO-like reactor
- T-profiles calculated using TGLF (Staebler PoP 2007)
- Localized radiative cooling
 - ⇒ Core cooling damages T-profiles
 - ⇒ Edge cooling with small impact

Are Xe, Kr and Ar better 'Mantle Radiators' than W?



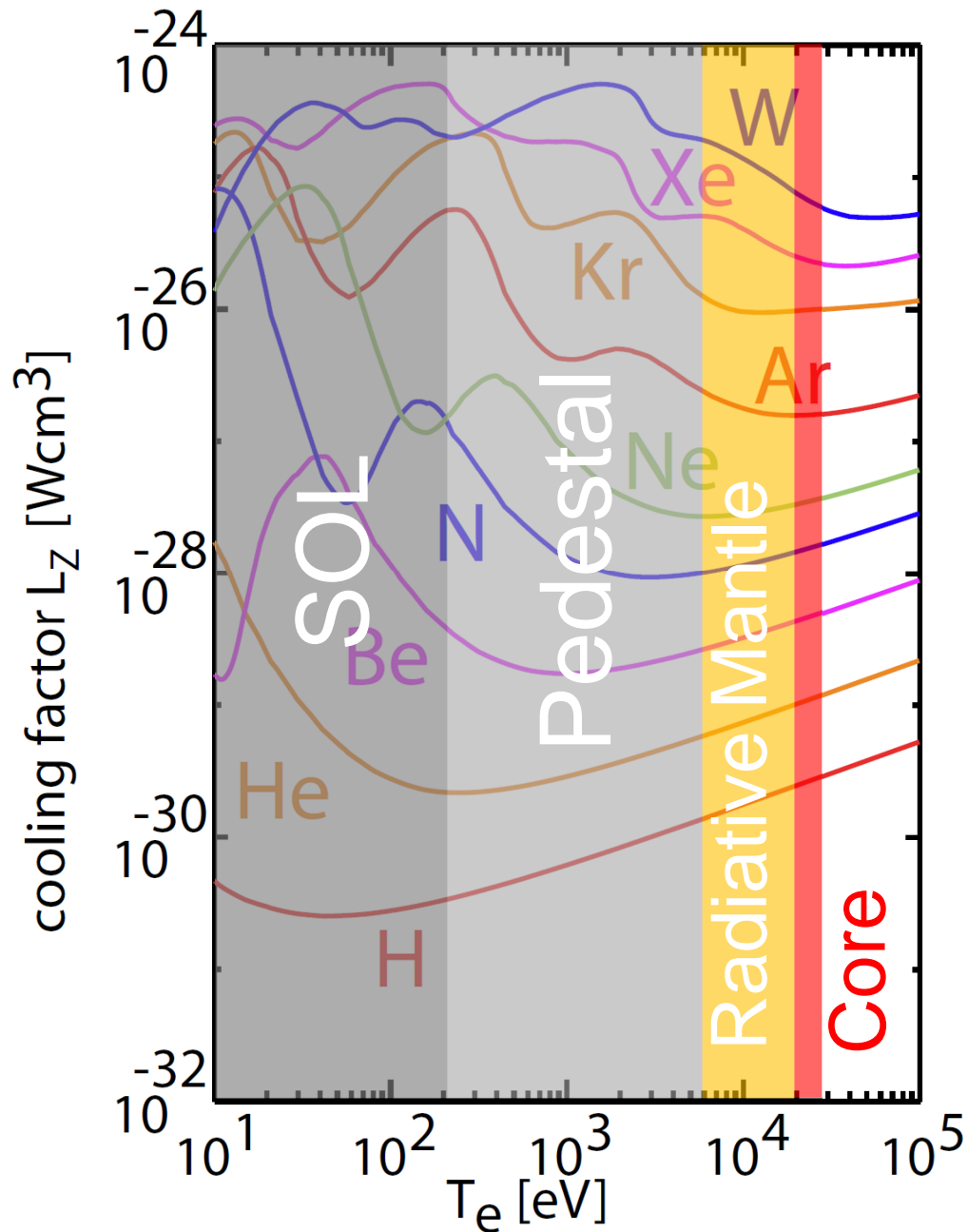
Pütterich, EPS 2015 / paper in preparation

Are Xe, Kr and Ar better 'Mantle Radiators' than W?



- In Reactor, the radiative mantle is between $\sim 5\text{keV}$ and $\sim 20\text{keV}$
- What is the best radiator at the mantle for a certain 'damage' in the plasma core?
 - ⇒ Ratio of core vs mantle radiation
 - ⇒ W is slightly better than Xe, Kr and Ar!
 - ⇒ Differences between radiators less than factor 2 (\sim uncertainties)

Are Xe, Kr and Ar better 'Mantle Radiators' than W?

No

- In Reactor, the radiative mantle is between $\sim 5\text{keV}$ and $\sim 20\text{keV}$
- What is the best radiator at the mantle for a certain 'damage' in the plasma core?
 - ⇒ Ratio of core vs mantle radiation
 - ⇒ W is slightly better than Xe, Kr and Ar!
 - ⇒ Differences between radiators less than factor 2 (\sim uncertainties)
- Note: core impurity transport is easily as important

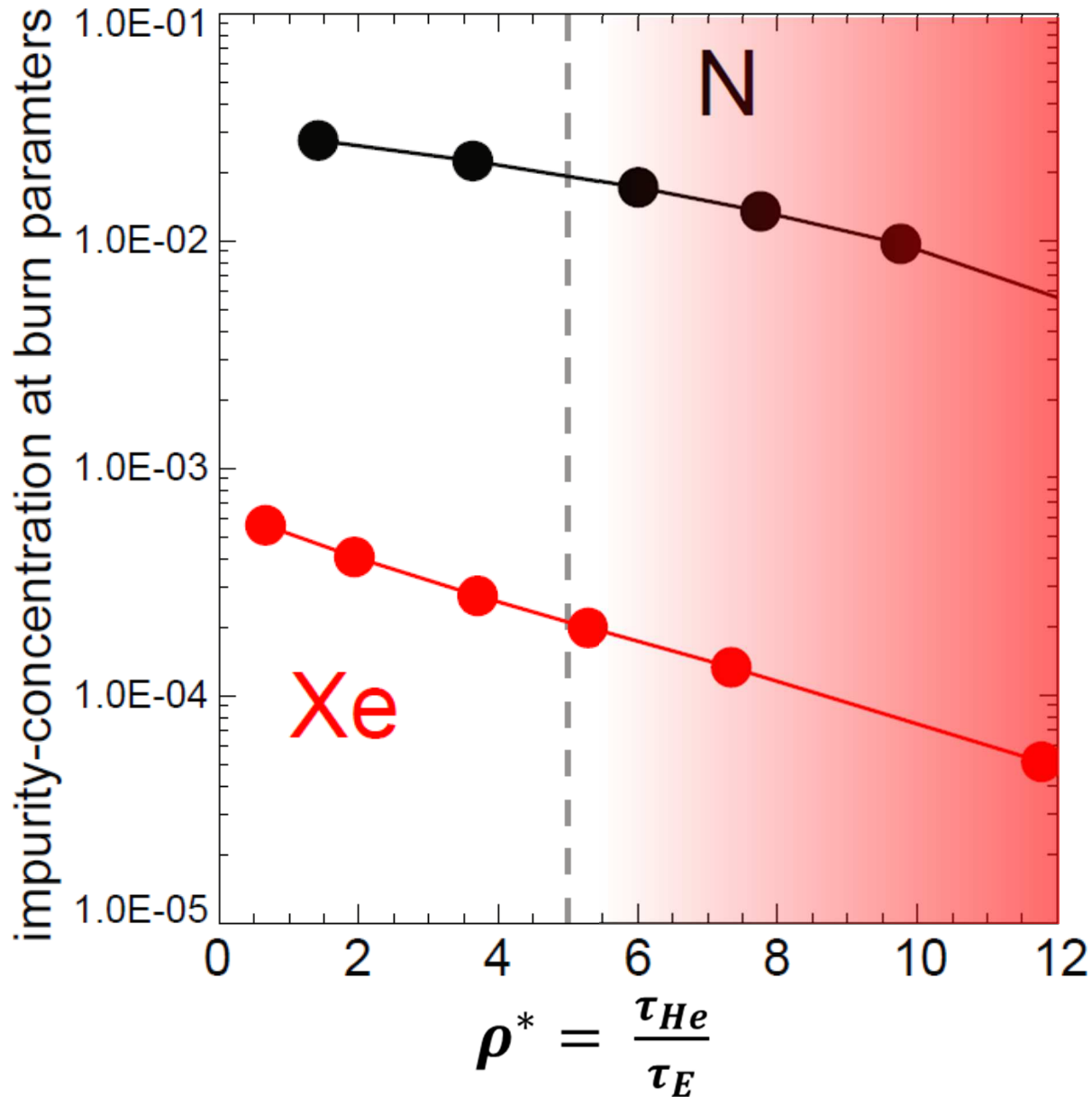
	EU DEMO01 2015
$R[m]$	9.1
A	3.1
$B_T [T]$	5.7
$I_P [MA]$	20
H (rad. cor.)	1.1
$\beta_{N,tot}[\%]$	2.6
$f_{bs}[\%]$	35
$P_{sep}/R[MW/m]$	17
$\tau_{burn}[h]$	2
$P_{fusion} [MW]$	2037
Q	40

- Full 1D ASTRA model (Wenninger NF 2014)
- EU DEMO 2015 design (Wenninger NF 2017)
- Profiles of 50MW auxiliary heating and radiation
- P_{fusion} calculated => fusion yield $Q = \frac{P_{fusion}}{P_{aux.heating}}$
- Impurity seeding to obtain $P_{separatrix} = 160MW$
- Heat & particle transport may be modelled, here: fixed density profiles, ad-hoc heat transport

1D ASTRA: Operational Space Larger at Cost of Q



1D ASTRA ,EU DEMO1 2015'



- Find Condition:
Reduce power flux to $1.2 \cdot P_{LH}$ at pedestal-top
- Steady-State operation possible for large

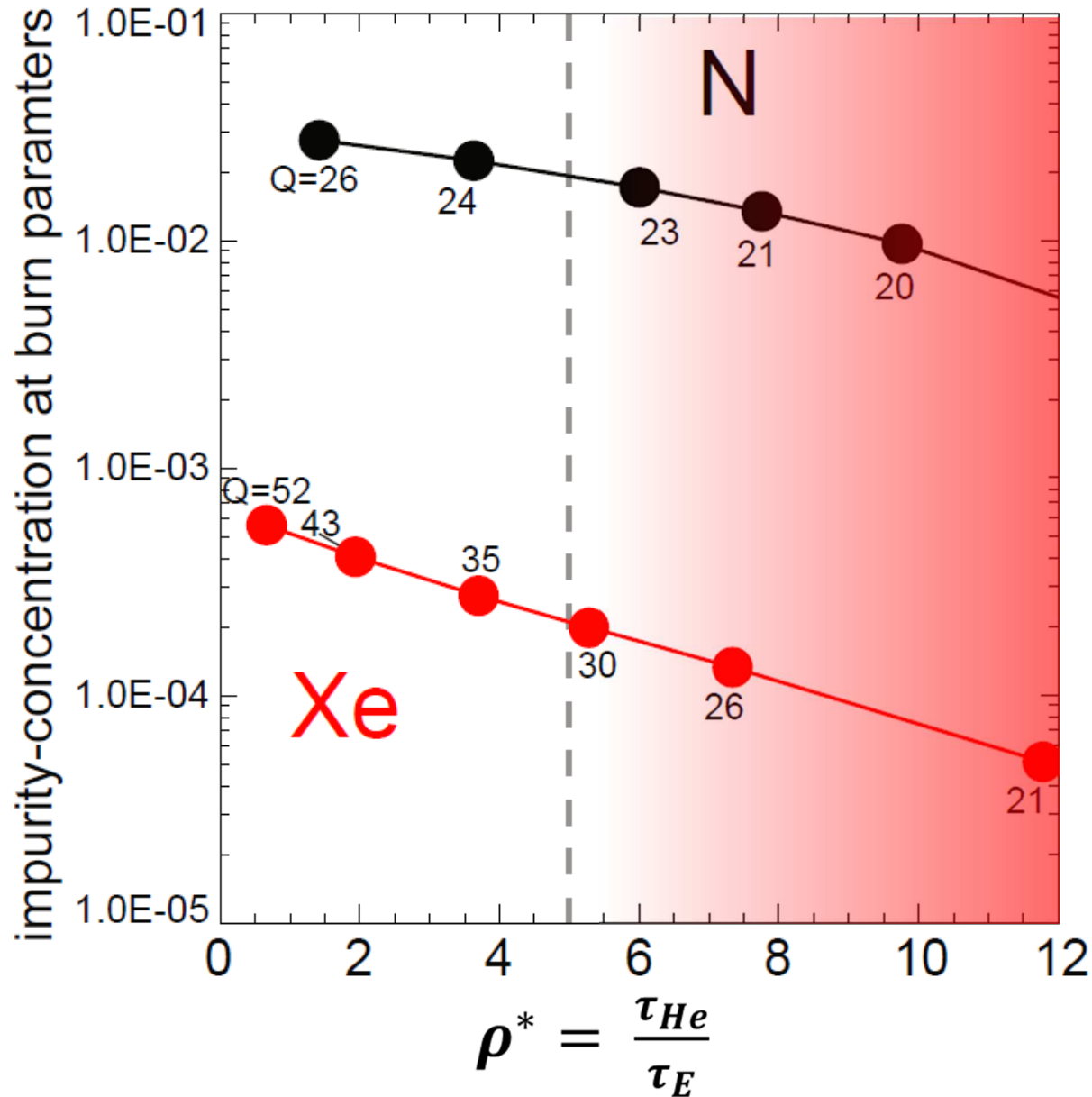
$$\rho^* = \frac{\tau_{He}}{\tau_E}$$

- But: Sacrifices in Q
 - ⇒ Efficiency of power plant
 - ⇒ Cost of electricity

1D ASTRA: Operational Space Larger at Cost of Q



1D ASTRA ,EU DEMO1 2015'



- Find Condition:
Reduce power flux to $1.2 \cdot P_{LH}$ at pedestal-top
- Steady-State operation possible for large

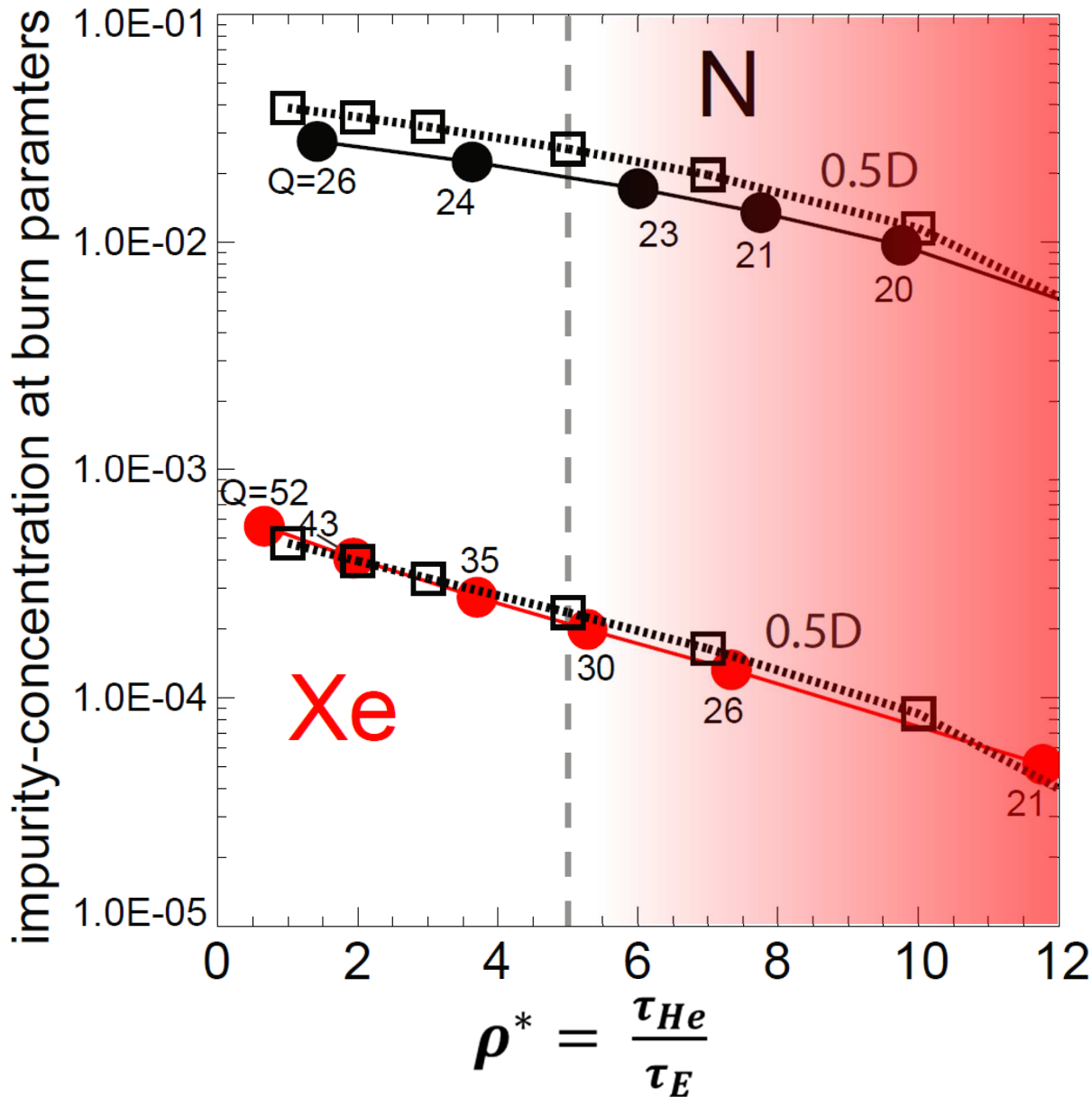
$$\rho^* = \frac{\tau_{He}}{\tau_E}$$

- But: Sacrifices in Q
 - ⇒ Efficiency of power plant
 - ⇒ Cost of electricity

1D ASTRA: Operational Space Larger at Cost of Q



1D ASTRA ,EU DEMO1 2015'



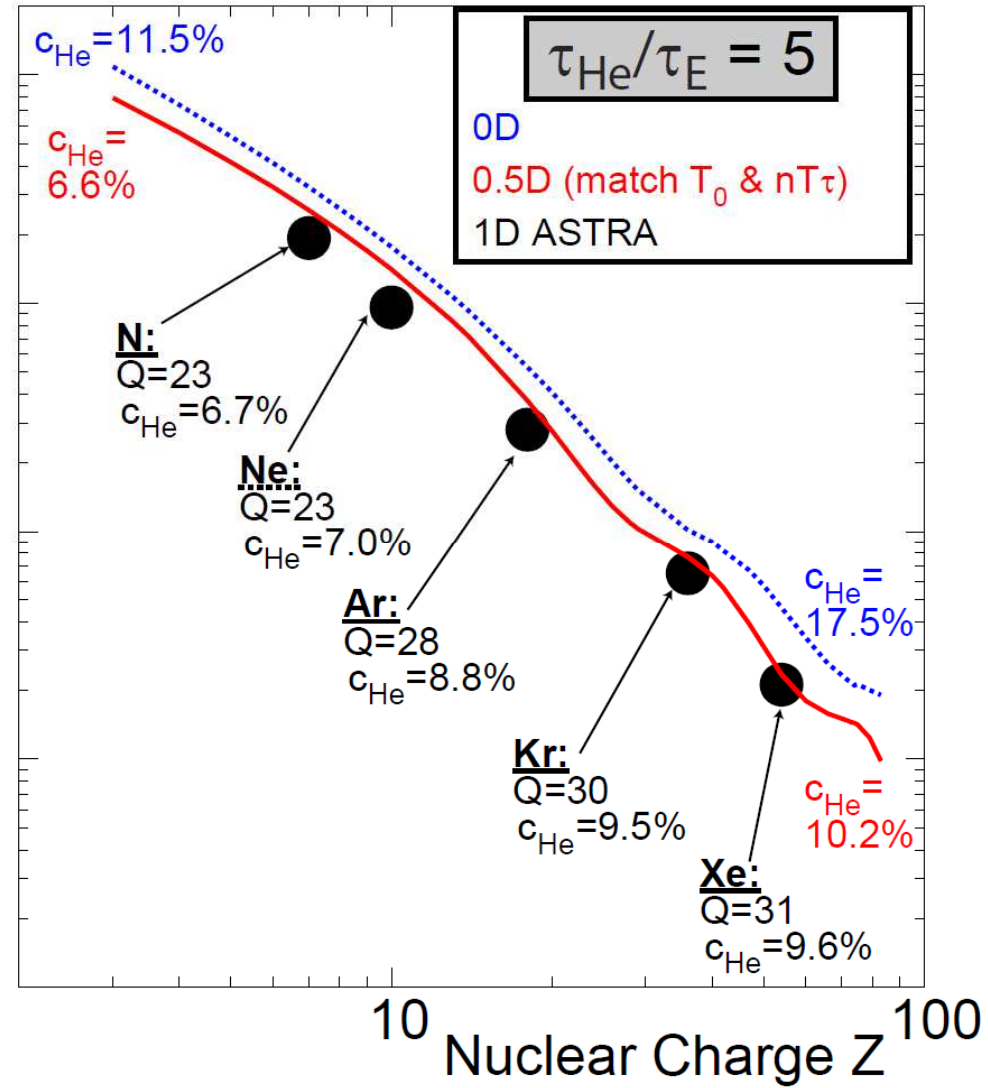
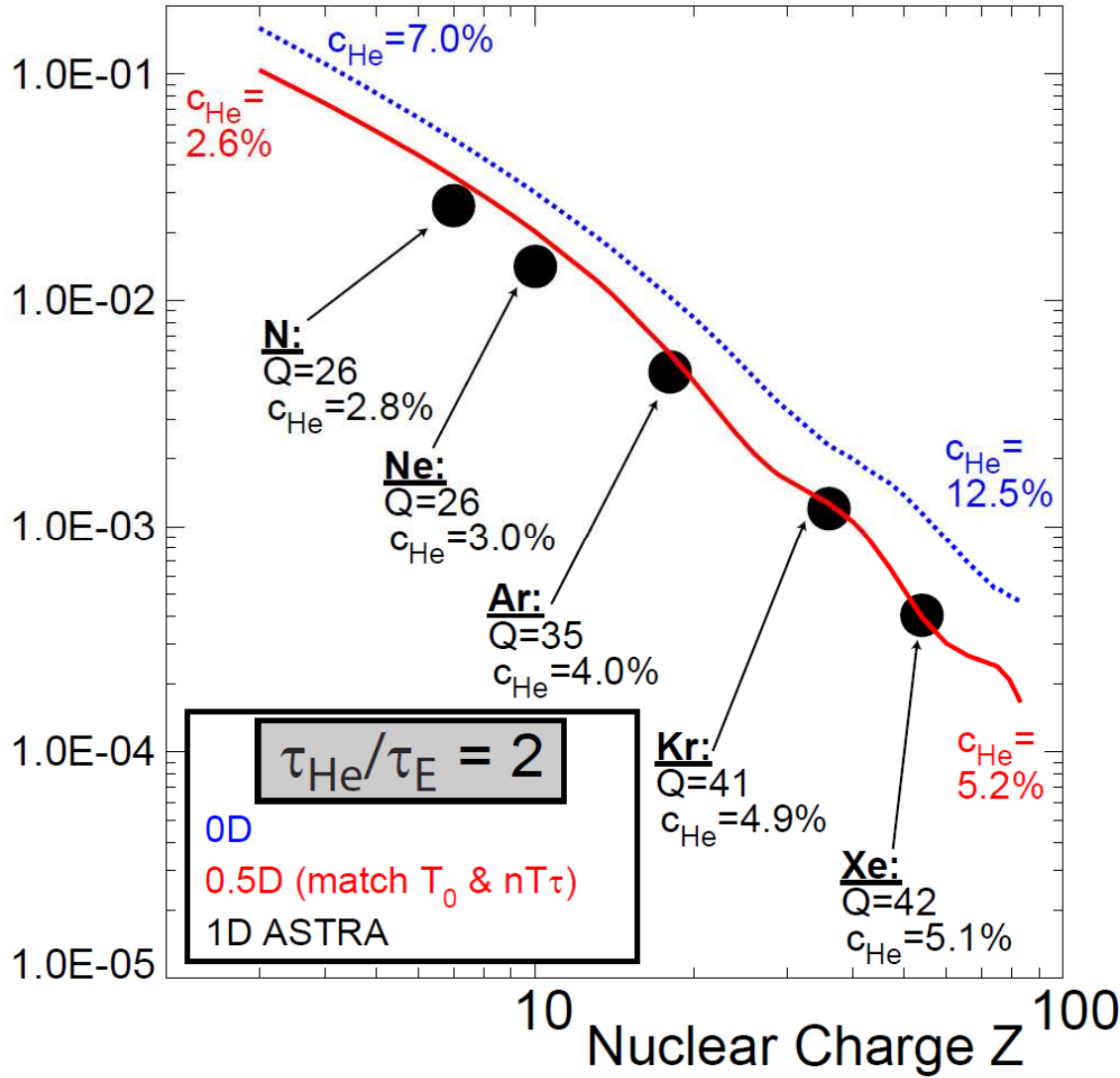
- Find Condition: Reduce power flux to $1.2 \cdot P_{LH}$ at pedestal-top
- Steady-State operation possible for large

$$\rho^* = \frac{\tau_{He}}{\tau_E}$$
- But: Sacrifices in Q
 - ⇒ Efficiency of power plant
 - ⇒ Cost of electricity
 - ⇒ Small difference to 0.5D!

0.5D and 1D ASTRA Give Similar Answers



impurity-concentration at burn parameters



What Physics Issues Need to be Addressed?



- Core radiation from Xe, Kr and Ar is as good/bad as from W
 - ⇒ Impurity profiles should be preferably hollow (high-Z)

- How do the plasma profiles look in a reactor?
 - ⇒ Realistic plasma transport

- Combine reactor performance (Q) with radiative cooling
 - ⇒ Impurity profiles should be preferably hollow (low-Z)

 - ⇒ Avoid divertor radiator in main plasma
 - ⇒ divertor compression of N, Ne, Ar...
 - ⇒ High-Z radiation (if tolerable) is preferable to low-Z dilution

 - ⇒ Pump He well (divertor compression of He)

What Physics Issues Need to be Addressed?

- Core radiation from Xe, Kr and Ar is as good/bad as from W

- ⇒ Impurity profiles should be preferably hollow (high-Z)

true if turbulent transport dominant (Angioni NF 2017)

- How do the plasma profiles look in a reactor?

- ⇒ Realistic plasma transport

(Impurity) Transport
Influenced also by Rotation

- Combine reactor performance (Q) with radiative cooling

- ⇒ Impurity profiles should be preferably hollow (low-Z)

true if turbulent transport dominant (Angioni NF 2017)

- ⇒ Avoid divertor radiator in main plasma

- ⇒ divertor compression of N, Ne, Ar...

- ⇒ High-Z radiation (if tolerable) is preferable to low-Z dilution

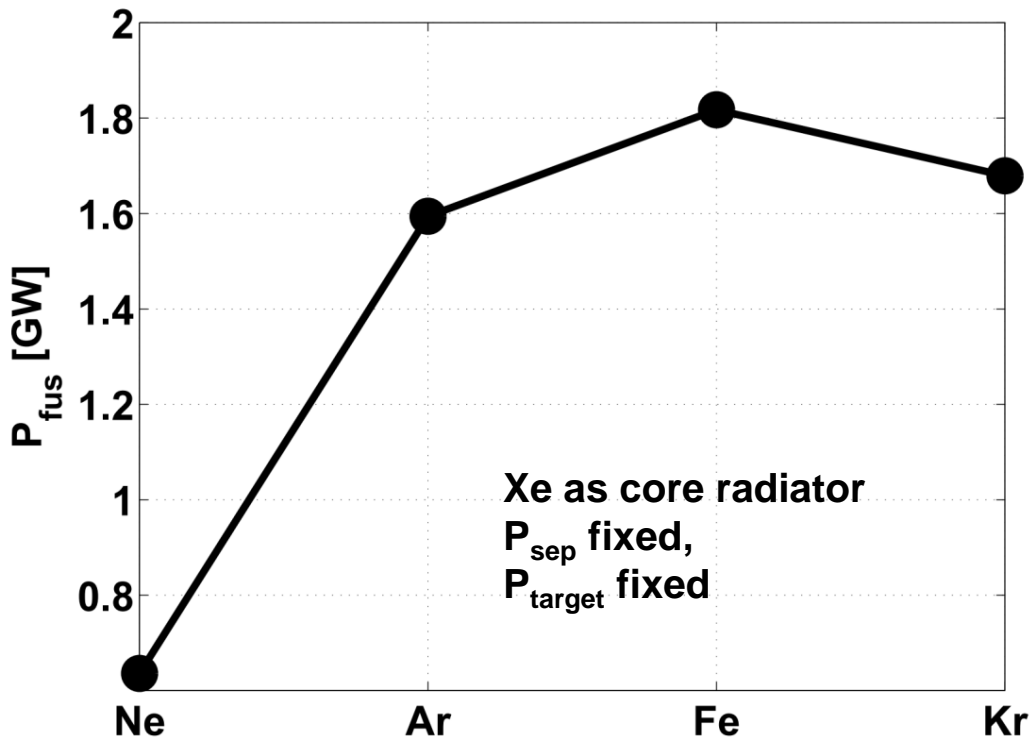
- ⇒ Pump He well (divertor compression of He)

Pedestal
SOL/Divertor Physics

Divertor Compression Crucial



ASTRA + SOL model



M. Siccinio, PPCF 2016

- If low-Z radiations leak into main plasma, fusion losses may be large
- Surprising solution may be mid-Z radiator for divertor radiation
- Too few divertor compression of He-ash is a danger independently of solution for radiative cooling

Core radiator (here Xe) may have to be complemented by edge radiator