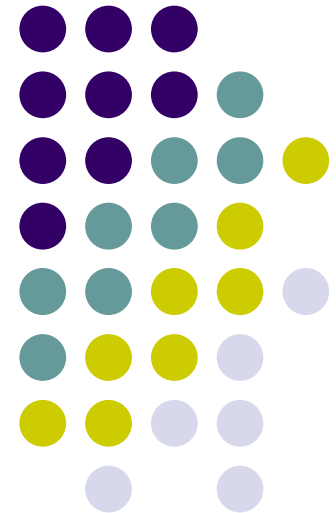


Particle acceleration and high energy emission from the Sun

Loukas Vlahos



Main topics



- Introductory remarks
- Observational constraints for the accelerated particles
- Basic mechanisms for particle acceleration
- The sun as particle accelerator
- Open problems

Introduction



- In astrophysics Hydrodynamics and MHD are the dominant tools for almost all the problems.
- There are good reasons for this and most of them have been outlined from several speakers this week.
- But.... There are several problems, one of them is the topic of my talk, which falls outside the domain of the MHD theory.
- Physicists, as more scientists, are pragmatic people and search not where the problem is but only where there is light so they can find something.

The velocity distribution and the Vlassov equation



- The velocity distribution $f_j(\vec{v}, \vec{r}, t)$
- The evolution of the velocity distribution

$$\frac{\partial f_j}{\partial t} + \vec{v} \cdot \nabla f_j + (\vec{E} + \vec{v} \times \vec{B}/c) \cdot \nabla_{\vec{v}} f_j = \left(\frac{\partial f}{\partial t} \right)_{coll}$$

- Maxwell's Equations which evolves E and B using

$$\rho = e \int (f_i - f_e) d\vec{v}$$
$$\vec{j} = e \int (f_i - f_e) \vec{v} d\vec{v}$$

Forms of velocity distributions



- Plasma in Equilibrium
 - Maxwellian (minimum energy state)
- Non Equilibrium plasma
 - Two Maxwellians with different temperatures and densities
 - Non-Thermal plasma Maxwellian+ power law tail

'Anomalous' Collisions and Diffusion Equation

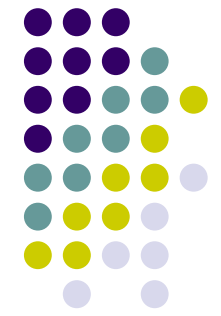


- Diffusion of particles in random E-fields. Particles executing random walks inside such environment (see more on Kaspar's talk)
- Fokker Planck (the simplest form)

$$\frac{\partial f}{\partial t} = \frac{\partial}{\partial v} D_{vv} \frac{\partial f}{\partial v}$$

$$D = \frac{\langle v(t)v(t+\tau) \rangle}{\tau}$$

What current observations can tell to the theorists



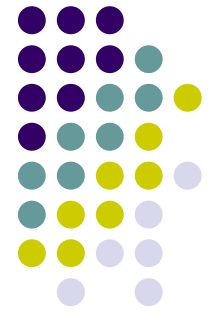
- In fact.. a lot... so much that scared most solar physics theorists and are currently doing something else.... accretion disks, black holes AGN's (remember that physicist are pragmatic people...)

Electrons (large flare)



- $10^{37} \text{ e s}^{-1} > 20 \text{ keV}$
- for $\sim 100 \text{ s}$
- 100 MeV maximum
- $3 \times 10^{31} \text{ ergs} > 20 \text{ keV}$
- Energy equipartition
- Simultaneous with ions
- Acceleration from thermal distribution
- Replenishment

Ions (large flare)



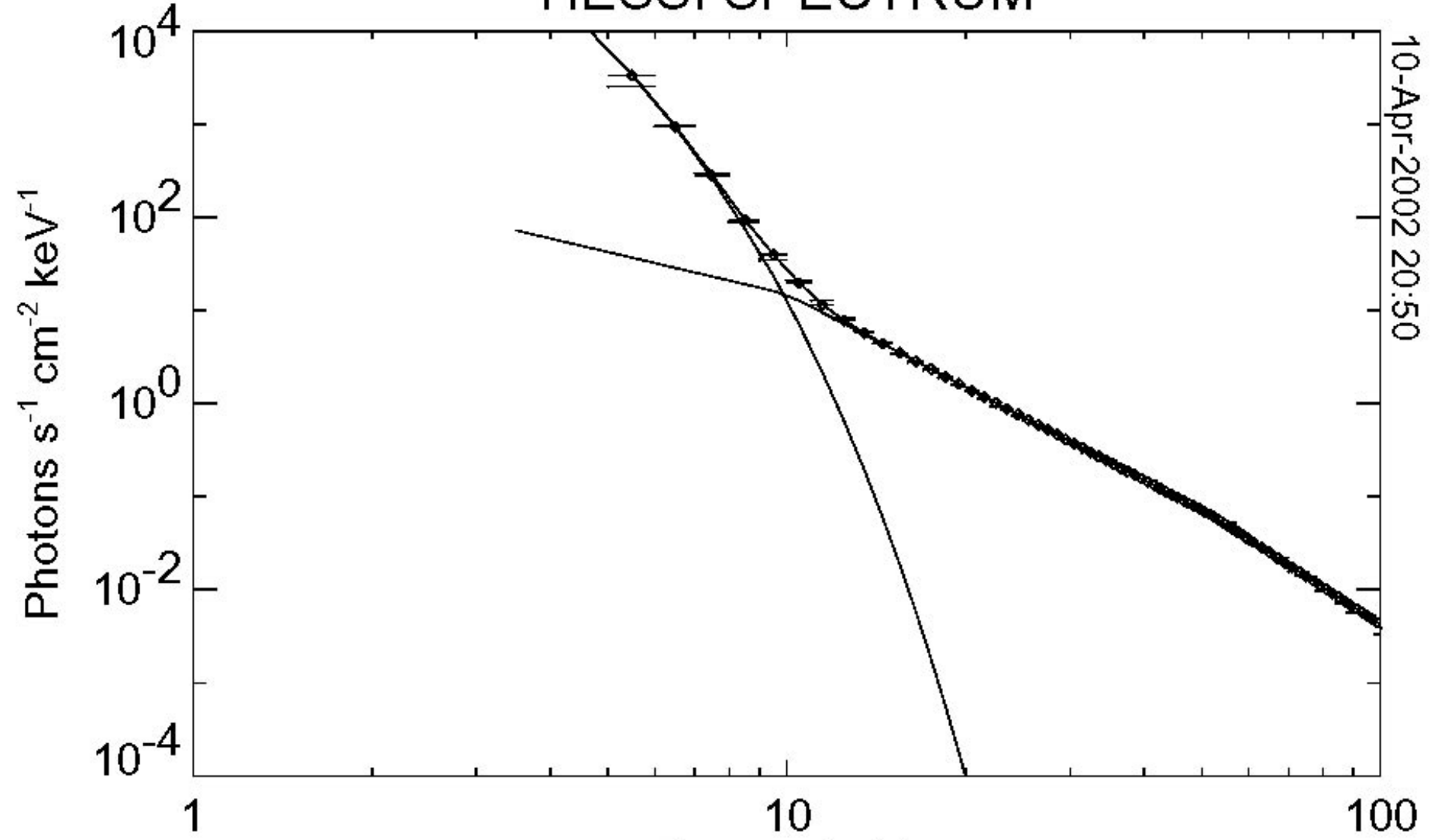
- $10^{35} \text{ p s}^{-1} > 1 \text{ MeV}$
- for $\sim 100 \text{ s}$
- 1 GeV maximum
- $3 \times 10^{31} \text{ ergs} > 1 \text{ MeV/n}$
- Energy equipartition
- Simultaneous with electrons
- Acceleration from thermal distribution
- Abundance enhancements
- Replenishment

More...



- Energy is released in footpoints (usually two or more..)
- Ions and Electrons seem to choose different footpoints-diferent loops?
- Radio emission suggest the presence of beams (type III), shocks (type II), microwaves (trapped particles in complex topologies?)
- Acceleration prior to the flare and long after

HESSI SPECTRUM



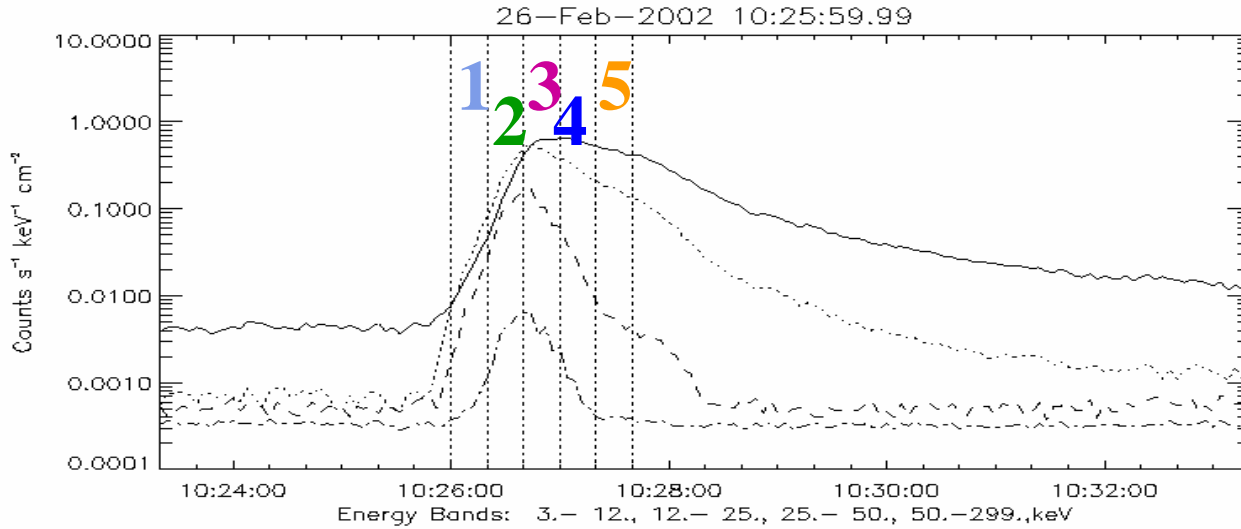
Energy (keV)

Interval 0

11:06:11.99 - 11:06:24.00

f_vth_bpow parameters: 0.4495, 0.9123, 0.07185, 3.319, 52.00, 4.121

Mean Electron Spectrum: Temporal evolution



RHESSI Light curves

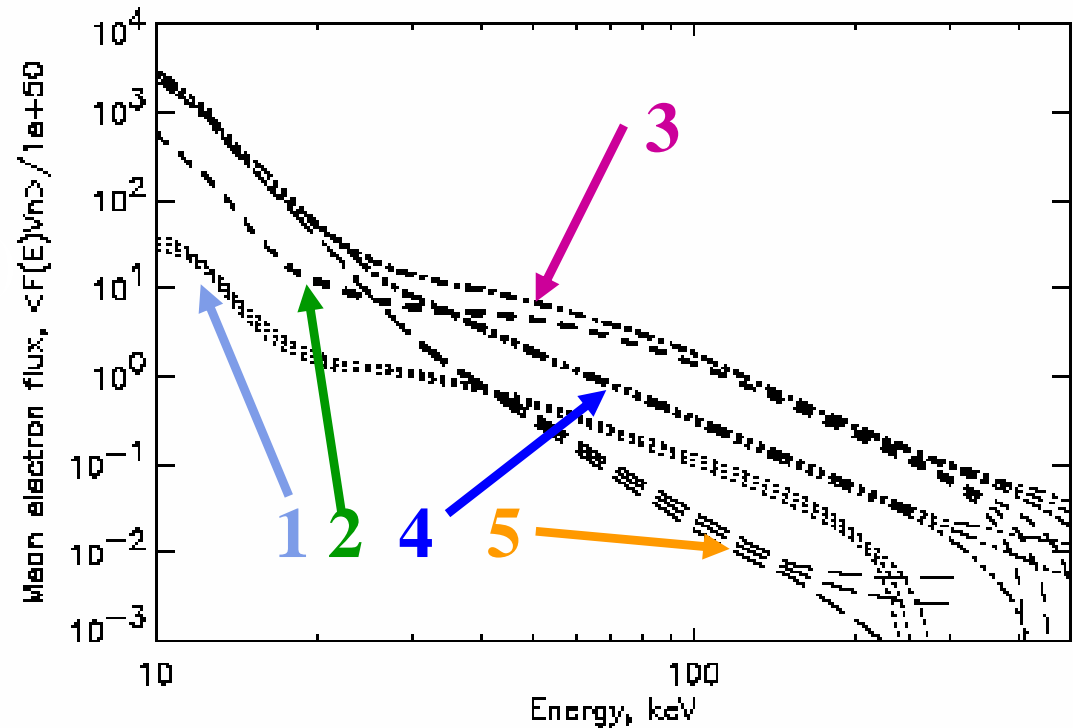
3-12keV;

12-25keV;

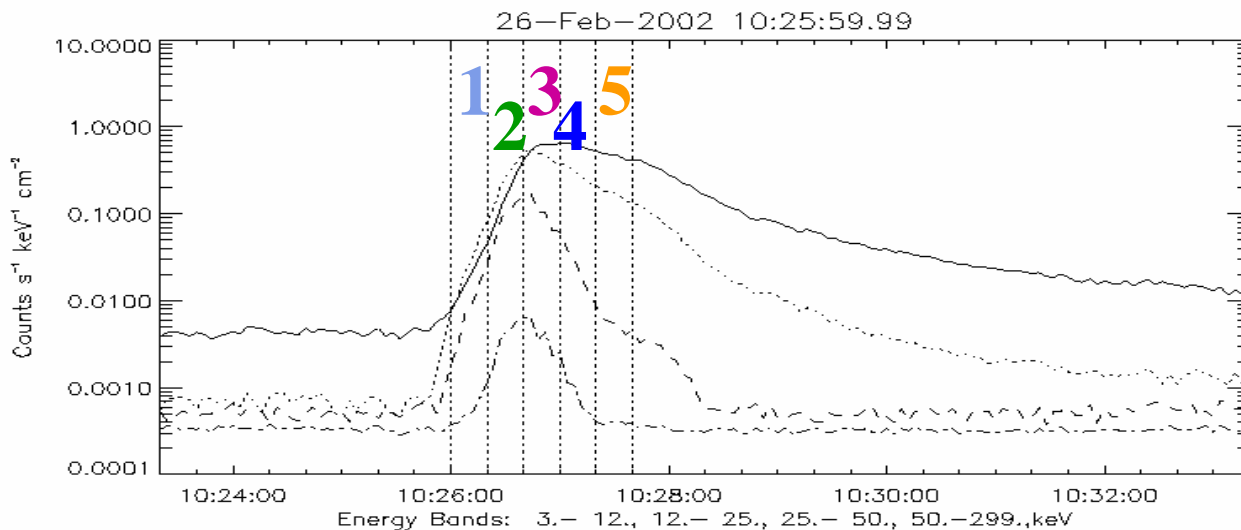
25-50keV;

50-300keV

Temporal evolution of the Regularized Mean Electron Spectrum (20s time intervals)



Mean Electron Spectrum: Temporal evolution



RHESSI Light curves

3-12keV;

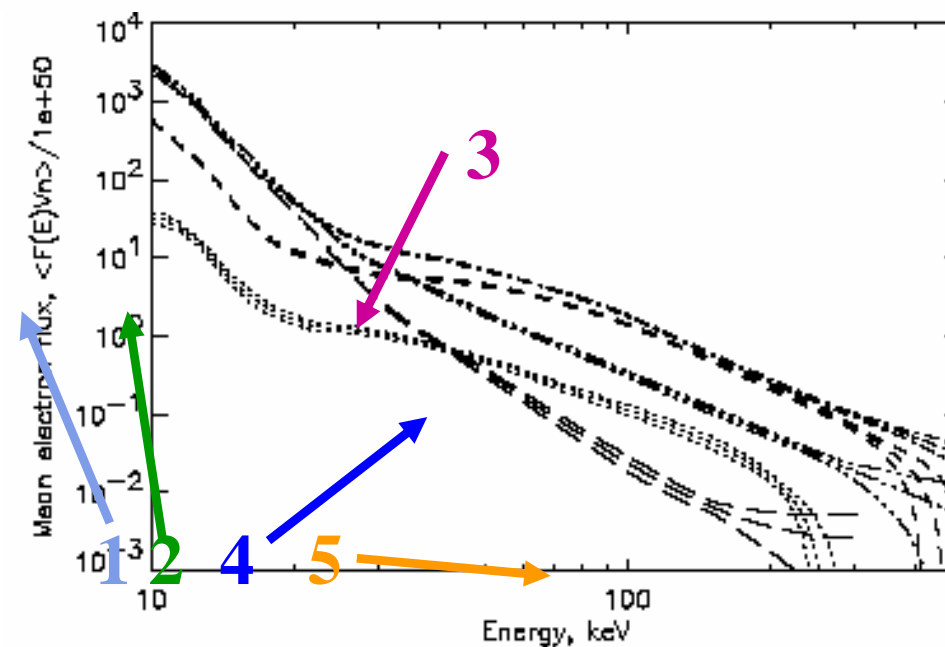
12-25keV;

25-50keV;

50-300keV

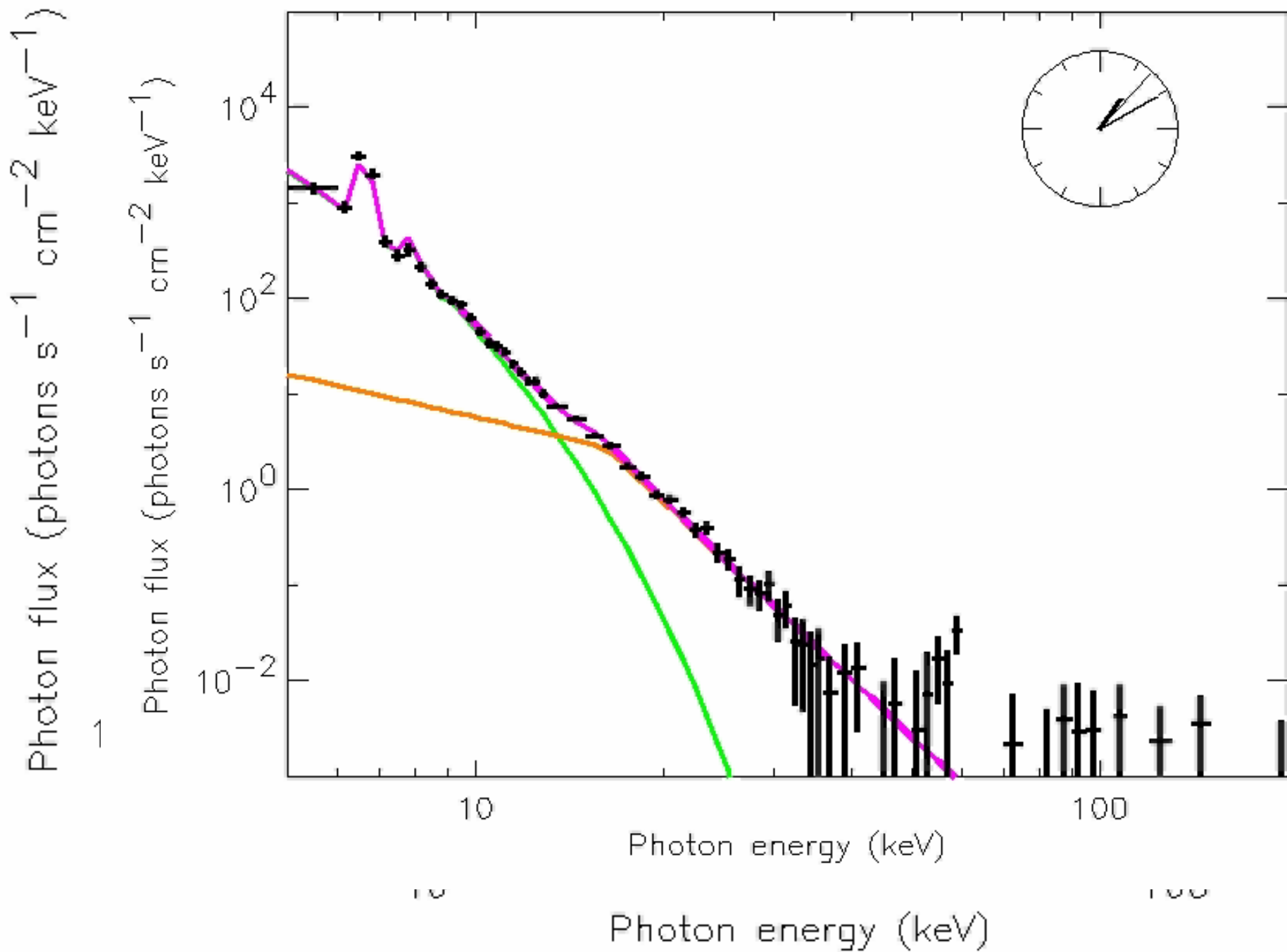


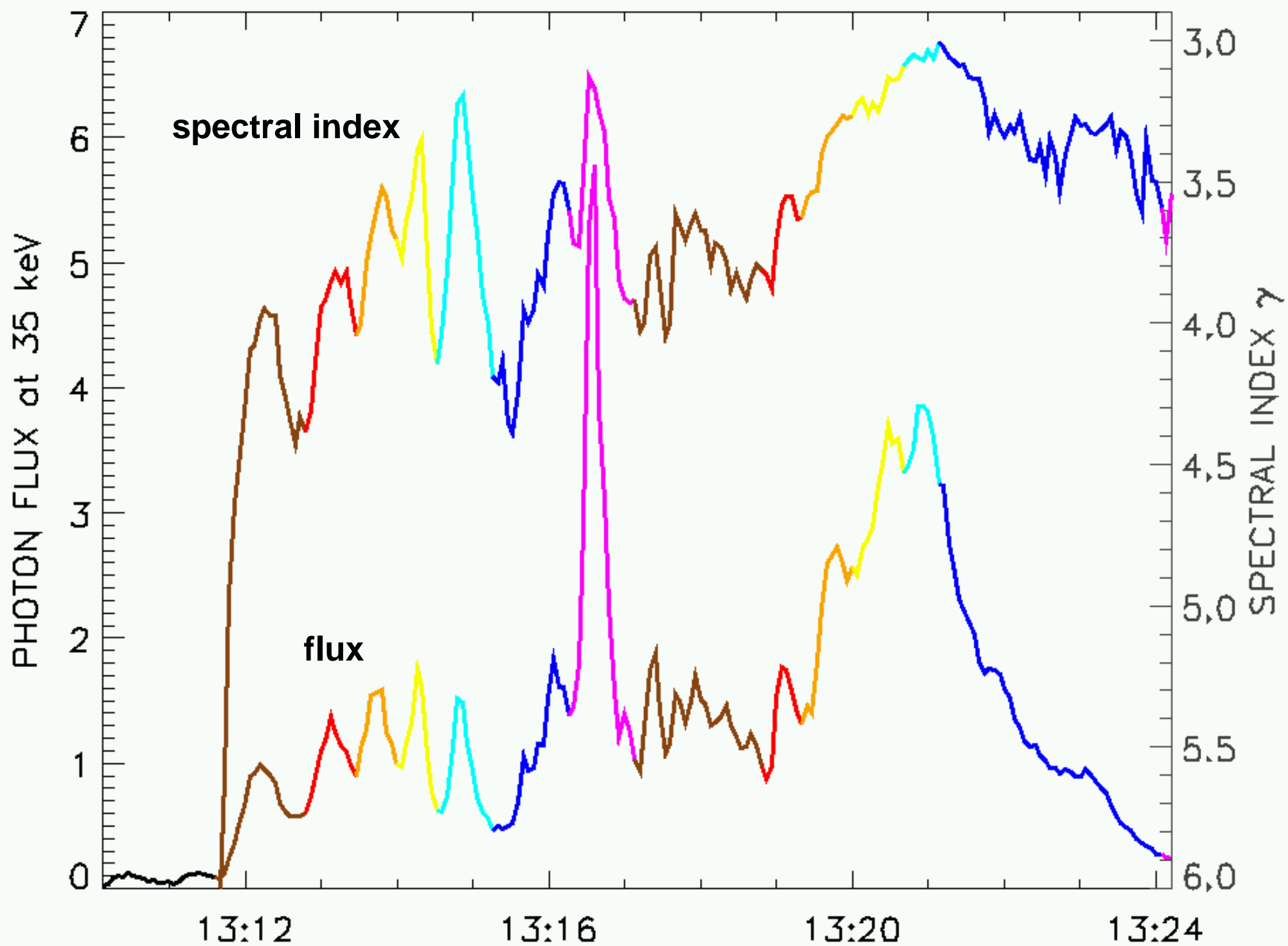
Temporal evolution of the Regularized Mean Electron Spectrum (20s time intervals)



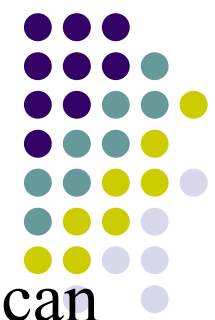
09-Nov-02 13:10:07.269

09-Nov-02 13:10:07.269



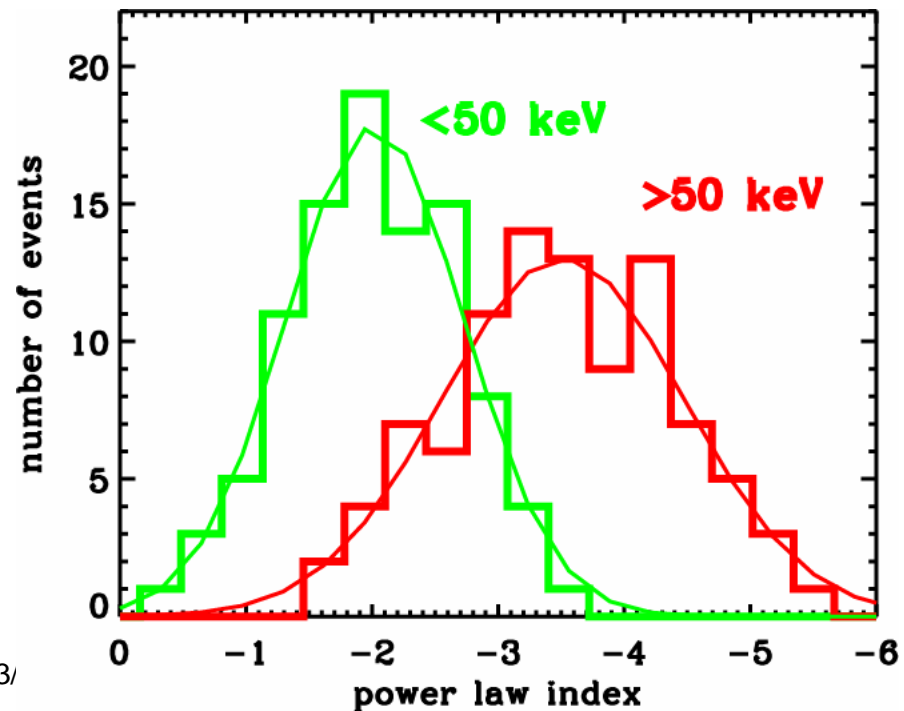
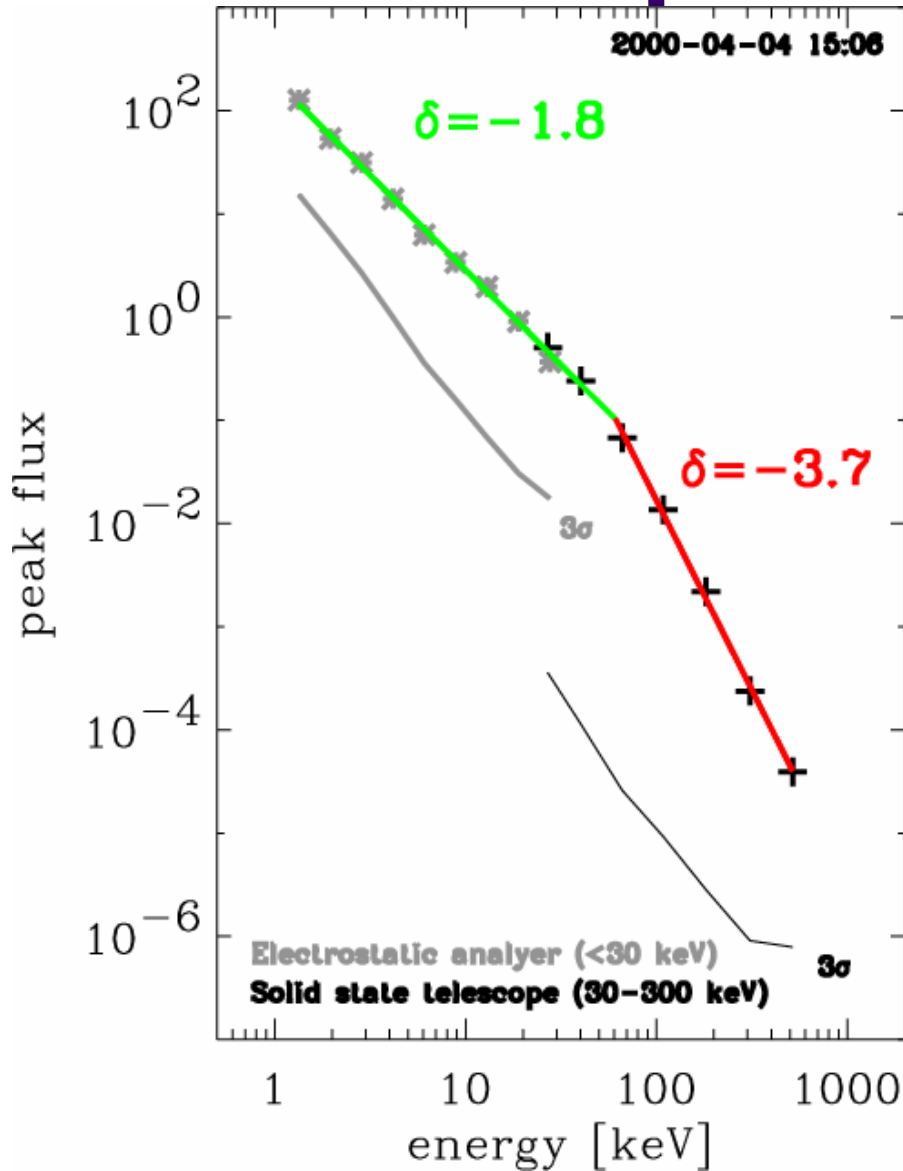


Electron spectrum at 1AU

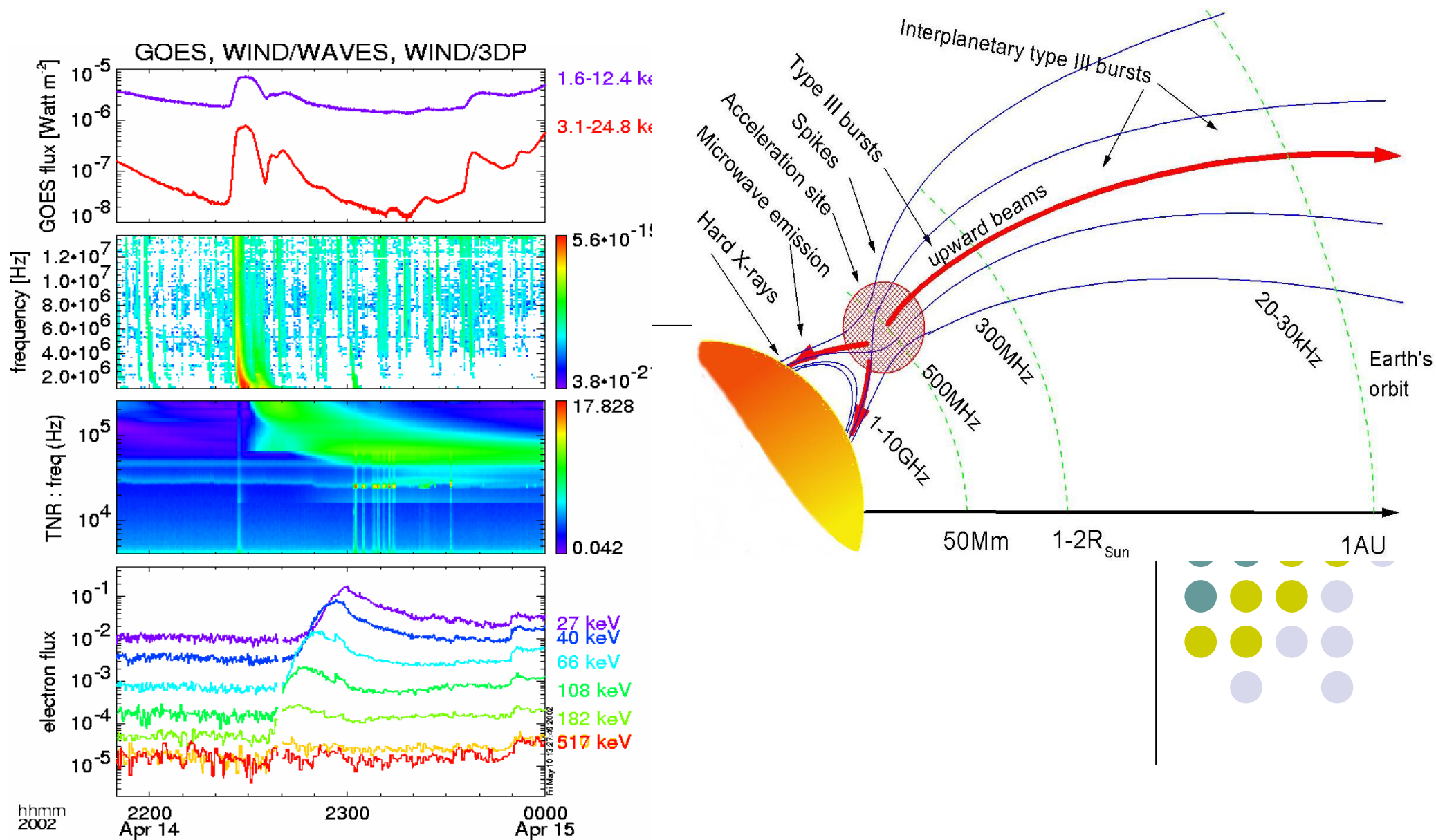


Typical electron spectrum can be fitted with broken power law:

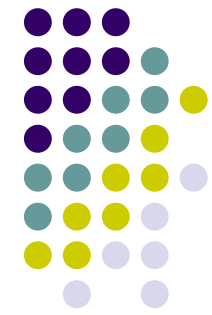
Break around: 30-100 keV
Steeper at higher energies



Solar energetic particles at 1AU (Krucker-Kontar)



Abundance Enhancements

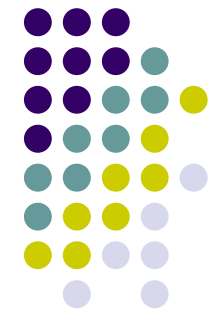


Ion	Ambient Abundance Relative to H	Mass Number A	Charge-to-mass Ratio Q/A	Observed Enhancement in SEPs Relative to Coronal
H	1	1	1.0	
³ He	$\approx 5 \times 10^{-4}$	3	0.67	≈ 2000
⁴ He	0.036	4	0.5	normal
C	2.96×10^{-4}	12	0.5	normal
N	7.90×10^{-5}	14	0.5	normal
O	6.37×10^{-4}	16	0.5	normal
Ne	9.68×10^{-5}	20	0.40	≈ 3
Mg	1.25×10^{-4}	24	0.42	≈ 3
Si	9.68×10^{-5}	28	0.43	≈ 3
Fe	8.54×10^{-5}	56	0.23	≈ 10
Kr	1.41×10^{-8}	85 (mean)	0.13	≈ 100
Xe	8.66×10^{-10}	128 (mean)	0.11	≈ 1000

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(work by Reames et al.)

What the observation do not say



- Magnetic topology in the corona
- Location of energy release
- How to connect the magnetic energy release mechanisms with particle acceleration?
- What is the role of MHD in predicting the evolution of a flare, if most energy goes to energetic particles?

Acceleration Mechanisms



- Direct E-fields-Reconnection?
- Stochastic acceleration by Waves (MHD and whistlers) ?
- Shocks wave acceleration?
- Does any of these work for the Sun?

Basic equation for non relativistic particles



$$m_j \frac{d\vec{v}}{dt} = q_j \left(\vec{E}(\vec{r}, t) + \frac{\vec{v} \times B(\vec{r}, t)}{c} \right) - \nu m \vec{v}$$

$$m_j \vec{v} \cdot \frac{d\vec{v}}{dt} = q_j \vec{v} \cdot \vec{E}(\vec{r}, t) - \nu m v^2$$

1. Sub-Dreicer Electric Fields



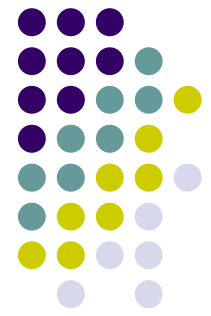
- Uses: Long ($\sim 10^9$ cm) weak ($< 10^{-4}$ V cm $^{-1}$) fields
- Geometry: Field-aligned in the loop or normal to an arcade
- Mechanism: Runaway acceleration (Dreicer 1960; Knoepfel & Spong 1979)

Strengths

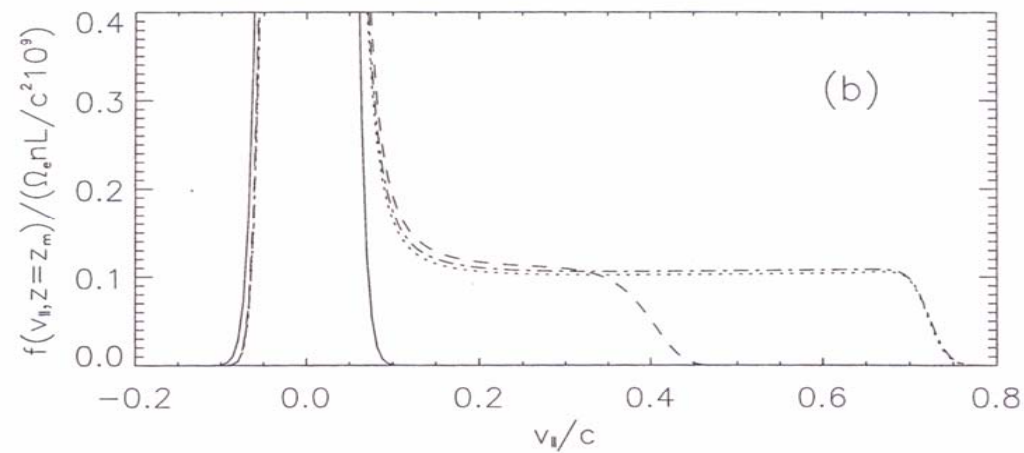
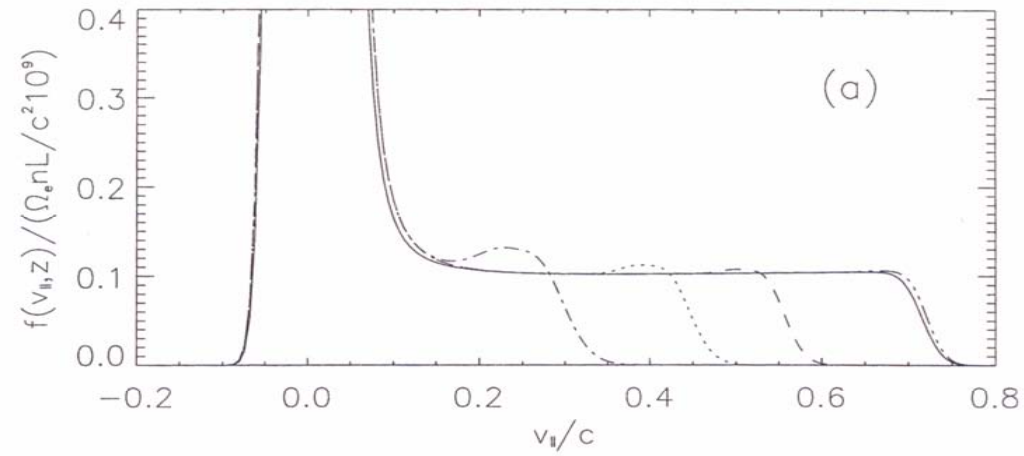
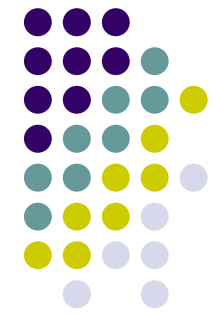
- Runaway physics well understood (Fuchs et al. 1986)
- Models have been successful for HXR and radio emission (Holman & Benka 1992)

Weaknesses

- Maximum electron energy ~ 100 keV
- Need lots ($\sim 10^{12}$) of current channels
- Replenishment is difficult (Emslie & Henoux 1995)
- Ion acceleration is untenable (Holman 1995)
- Native distributions are flat
- Current Channel formation/stability ?

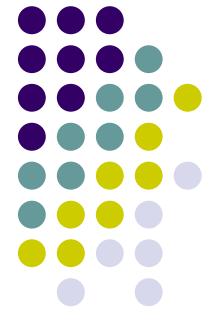


Runaway Distributions

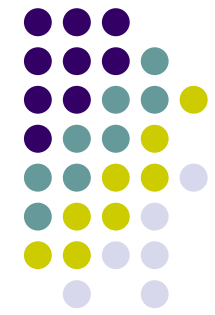


(Sommer 2002)
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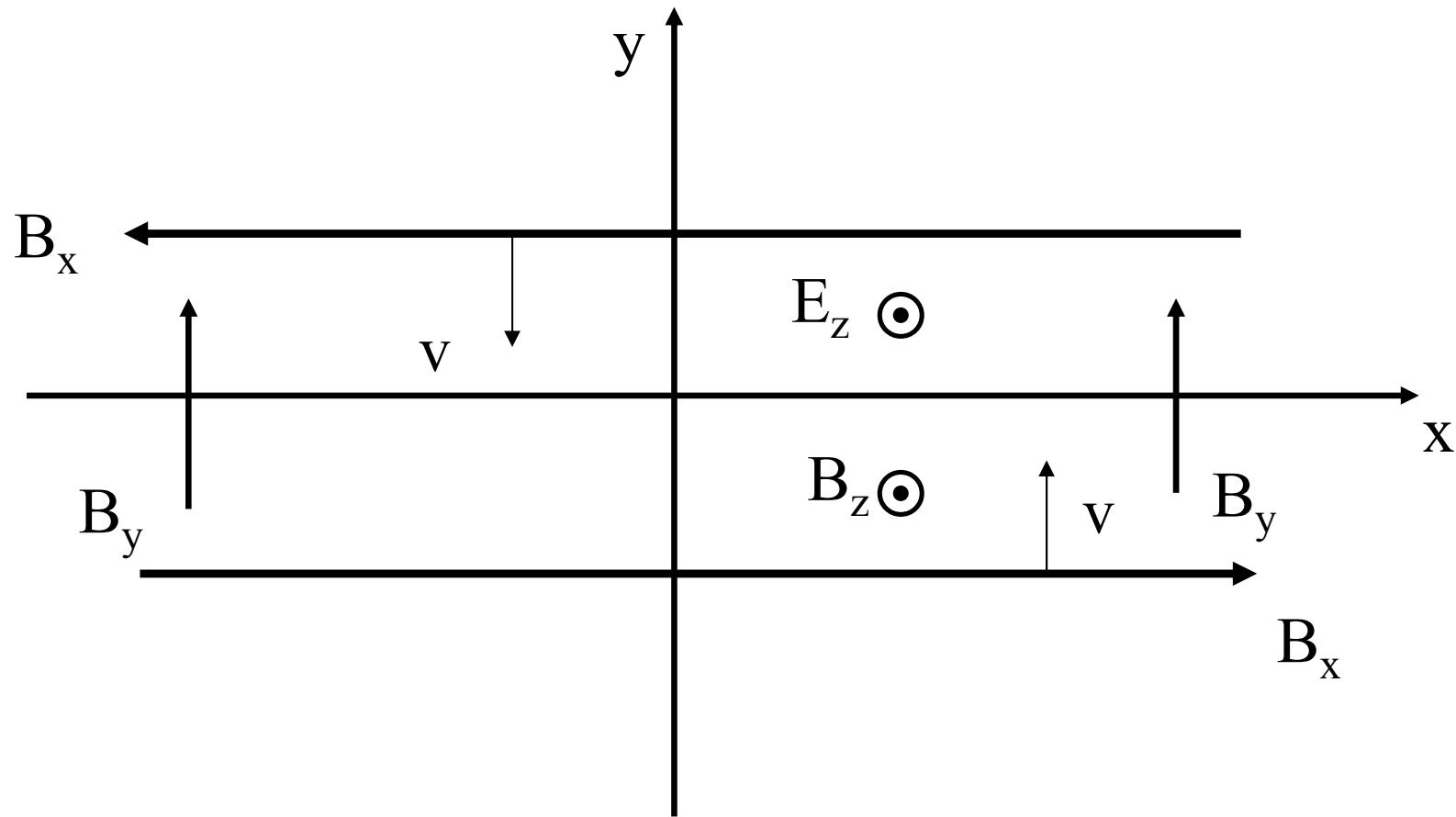
2. Super-Dreicer Electric Fields



- Uses: Long ($\sim 10^9$ cm) strong ($\gg 1$ V cm $^{-1}$) fields
- Geometry: Large (thin!) current sheet above an arcade of loops
- Mechanism: Direct acceleration with drift escape

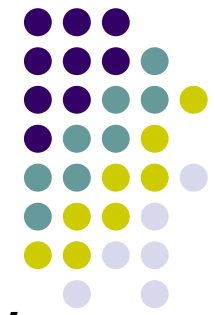


Magnetic Field Configuration



$$v = 10^8 \text{ cm/s}, B = 10^3 \text{ G} \Rightarrow E_z = 10^3 \text{ V/cm}$$

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Strengths

- Hopeful for HXR emission (e.g., Litvenenko 1996; Martens 1988)
- Maximum electron energy ~ 1 GeV
- Simple geometry
- Replenishment is natural

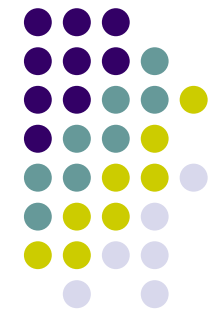
Weaknesses

- Ion acceleration very questionable
- Particle distributions not calculated
- Electron holes are actually doing the acceleration (Drake et al.)
- Stability of very thin sheet ?

3. Shocks



- The mechanism for gradual events; prime importance at astrophysical sites
- Uses: Large-scale (Ellison & Ramaty 1985) or an ensemble of smaller shocks (Anastasiadis & Vlahos 1991)
- Geometry: In or around the loop(s)
- Mechanism: Diffusive or shock drift



Strengths

- Actual acceleration mechanism is well studied
- Ion acceleration (a few MeV) is possible (Decker & Vlahos 1986)

Weaknesses

- Distributions mostly unknown (Ellison & Ramaty 1985)
- Replenishment ?
- Ion abundance enhancements not likely
- Type II emission not typical
- Generation unspecified

4. Fermi Acceleration (Stochastic)



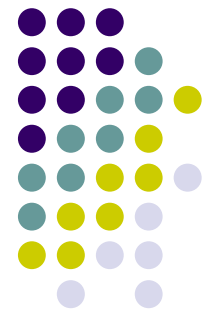
- Uses: Large-amplitude ($\delta B / B \approx 1$) plasma waves, or magnetic “blobs”
- Geometry: Waves distributed throughout the loop(s), on both open and closed field lines.
- Mechanism: Adiabatic collisions with moving scattering centers (Fermi 1949; Davis 1956)

Strengths

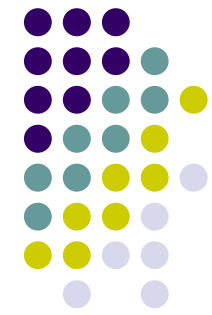
- Oldest flare acceleration mechanism (Parker & Tidman 1958)
- Energizes ions (Ramaty 1979; Miller et al. 1990) and electrons (Gisler 1992; LaRosa et al. 1994)
- Simple geometry (cospatial return currents)

Weaknesses

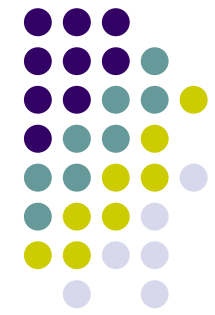
- No ion abundance enhancements
- Maximum electron energy ?
- Consistent modeling parameters not used
- “outdated”
- Formation of turbulence ?



5. Resonant Acceleration (Stochastic)



- Uses: low-amplitude ($\delta B / B \ll 1$) plasma waves
- Geometry: Waves distributed throughout the loop, on both open and closed field lines
- Mechanism: Resonance with either the transverse wave E-field (cyclotron) or the parallel B-field (Landau)



Quasilinear Simulation

$$\frac{\partial N_e}{\partial t} = - \frac{\partial}{\partial E} \left\{ \left[A_e + \left(\frac{dE}{dt} \right)_{C_e} \right] N_e \right\} + \frac{1}{2} \frac{\partial^2}{\partial E^2} [(D_e + D_{C_e}) N_e] - \frac{N_e}{T_e} + S_e \quad ,$$

$$\frac{\partial N_i}{\partial t} = - \frac{\partial}{\partial E} \left\{ \left[A_i + \left(\frac{dE}{dt} \right)_{C_i} \right] N_i \right\} + \frac{1}{2} \frac{\partial^2}{\partial E^2} [(D_i + D_{C_i}) N_i] - \frac{N_p}{T_p} + S_p \quad ,$$

$$\frac{\partial W_{\text{TFM}}}{\partial t} = \frac{\partial}{\partial k} \left[k^2 D_{\text{FM}} \frac{\partial}{\partial k} (k^{-2} W_{\text{TFM}}) \right] - \gamma_{\text{FM}} W_{\text{TFM}} + S_{\text{FM}} \quad ,$$

$$\frac{\partial W_{\text{TA}}}{\partial t} = \frac{\partial}{\partial k_{\parallel}} \left(D_{\parallel\parallel} \frac{\partial W_{\text{TA}}}{\partial k_{\parallel}} \right) - \gamma_{\text{A}} W_{\text{TA}} + S_{\text{A}}$$

Strengths

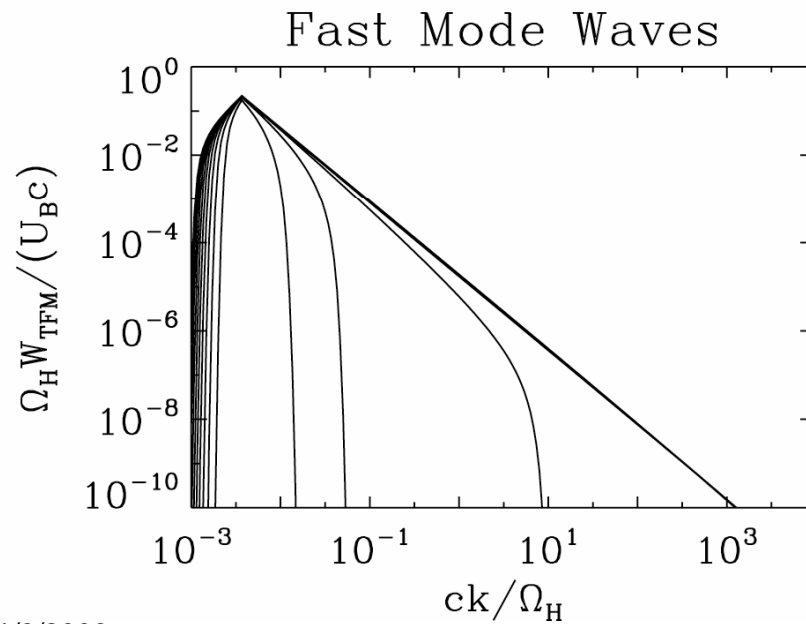
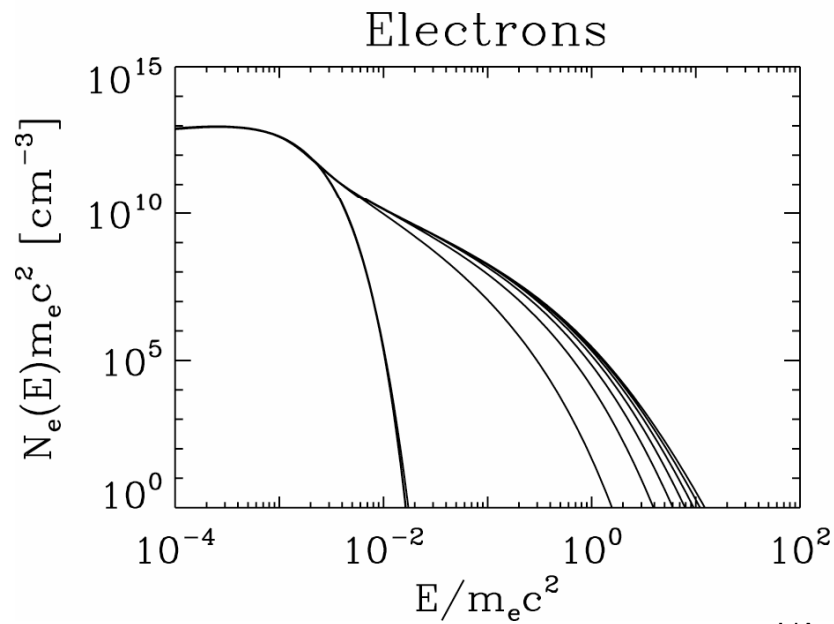
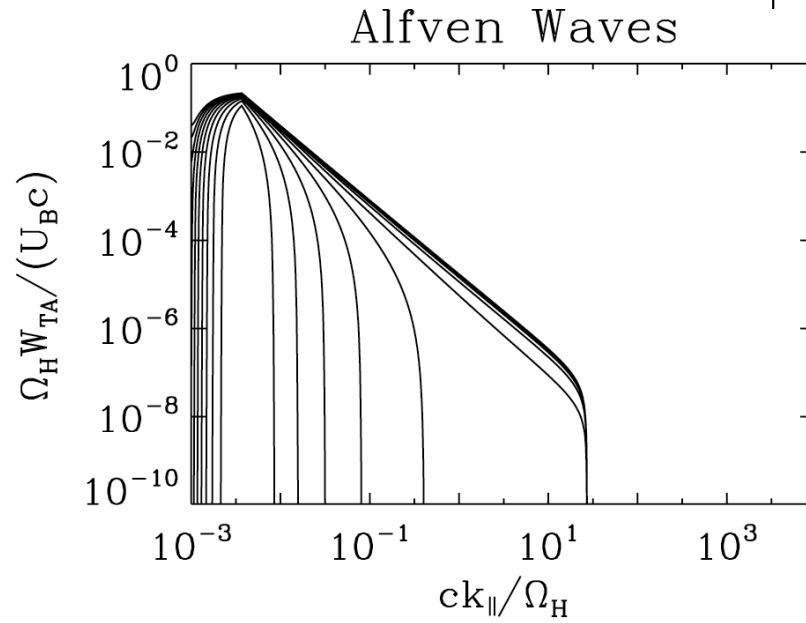
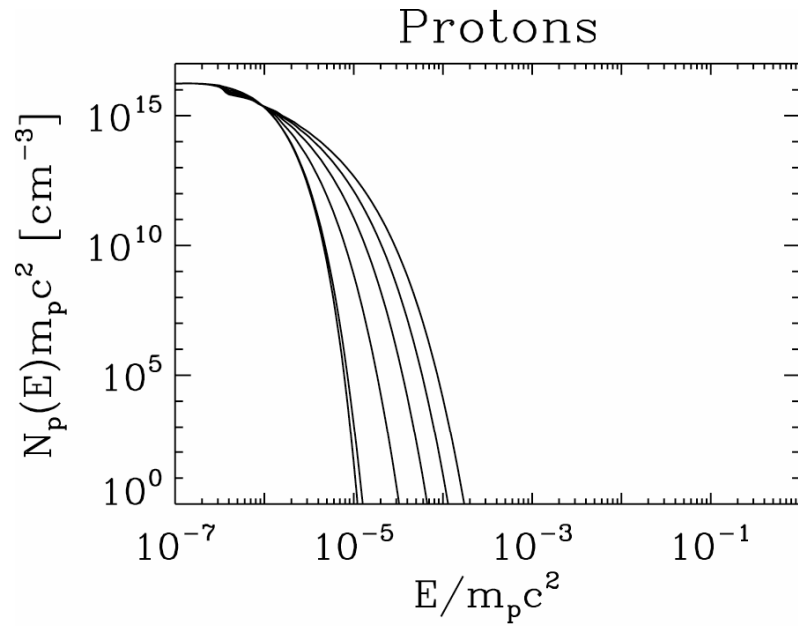
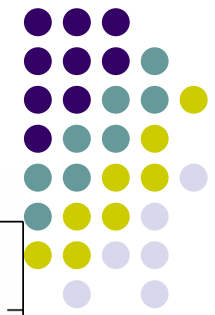
- Employs low-amplitude waves
- Successful for both ions (e.g., Barbosa 1979) and electrons (e.g., Petrosian et al.)
- Simple geometry (cospatial return currents)
- *Required* for ^3He enhancement
- Unified ion/electron acceleration model possible (Miller 1998)

Weaknesses

- Source of turbulence is not firmly established
- Plasma wave zoo => collection of unrelated (?) models
- Fast variation of the wave amplitude to accomplish many peaks with changing slopes
- Connectivity to the energy release (reconnection)

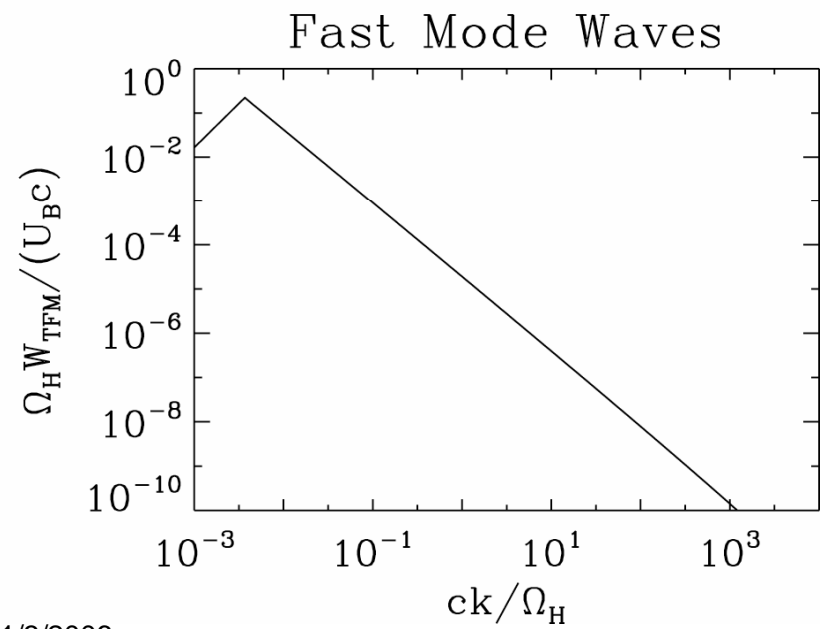
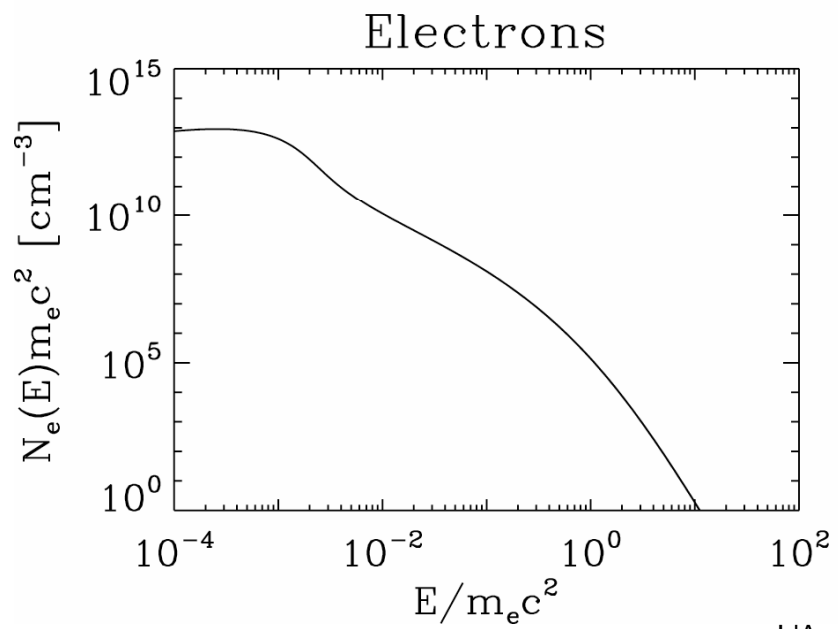
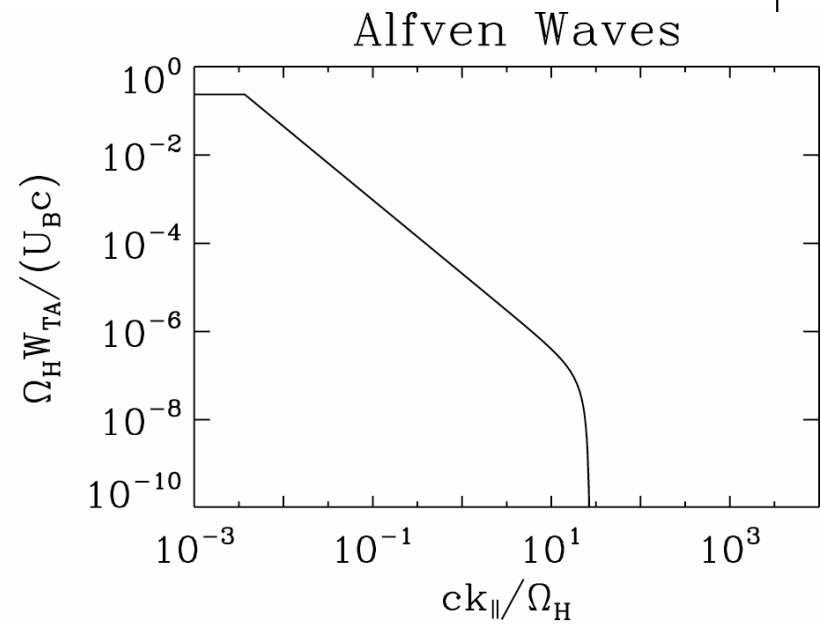
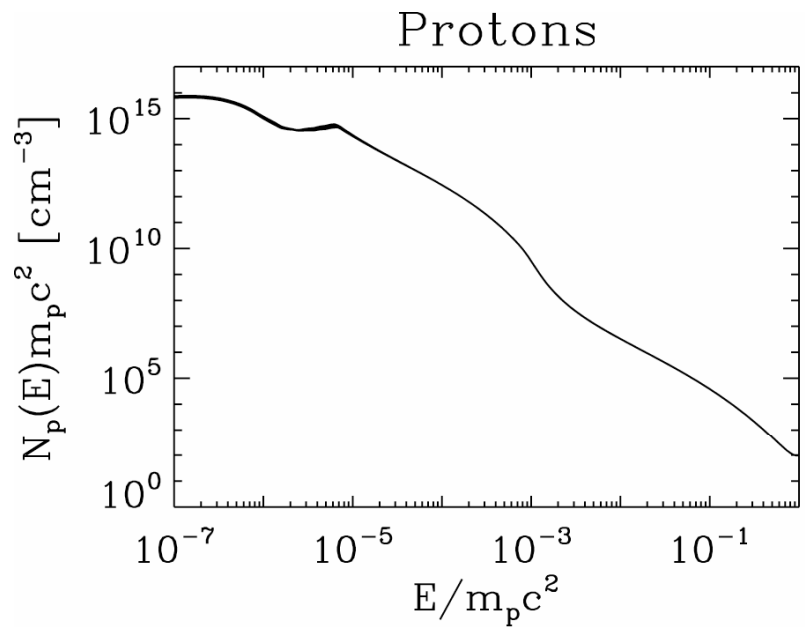
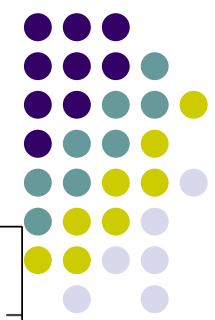


Example



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$t = 0 - 0.1$ s



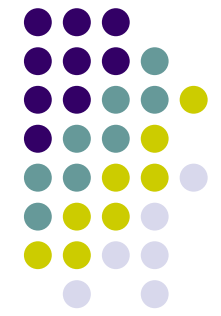
T = 2 – 4 s → Equilibrium

An important statement



- None known theory can capture all the details known to us from the current observations
- All theories seem to have partial success.
- What is missing?

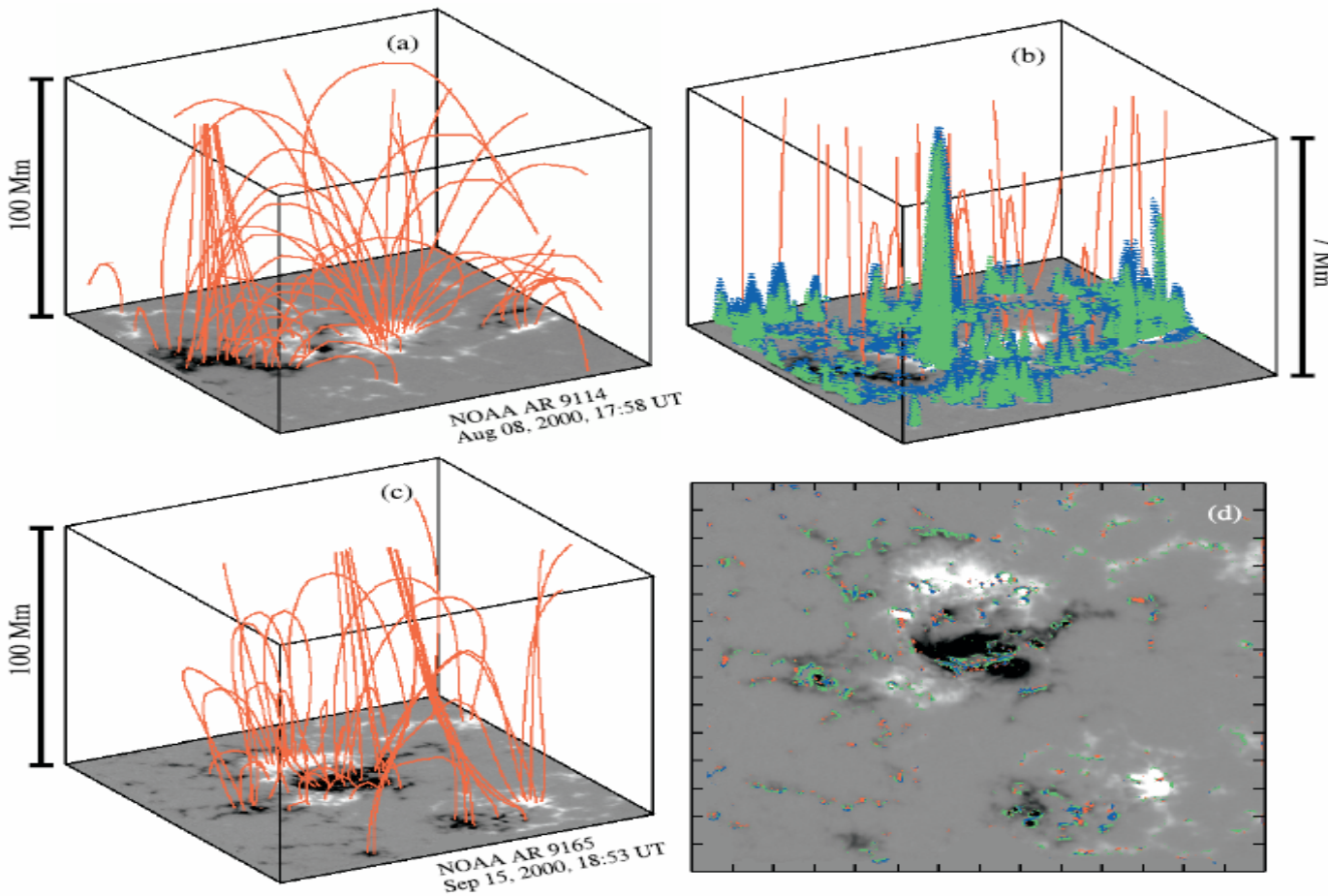
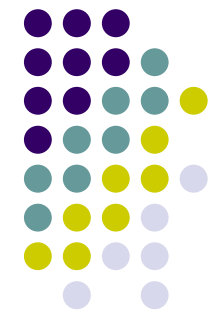
A new look....on an old problem



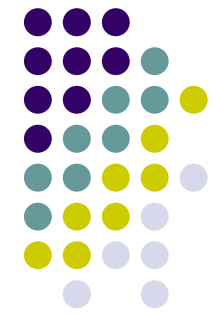
- Flares are symptoms of the construction and evolution of active region.
- Known Particle acceleration are lacking the global stressed magnetic magnetic topology to host them.
- So we come back to the missing link of MHD and Kinetic effects

discontinuities from the photosphere

(Vlahos+Georgoulis, ApJL, 2004)



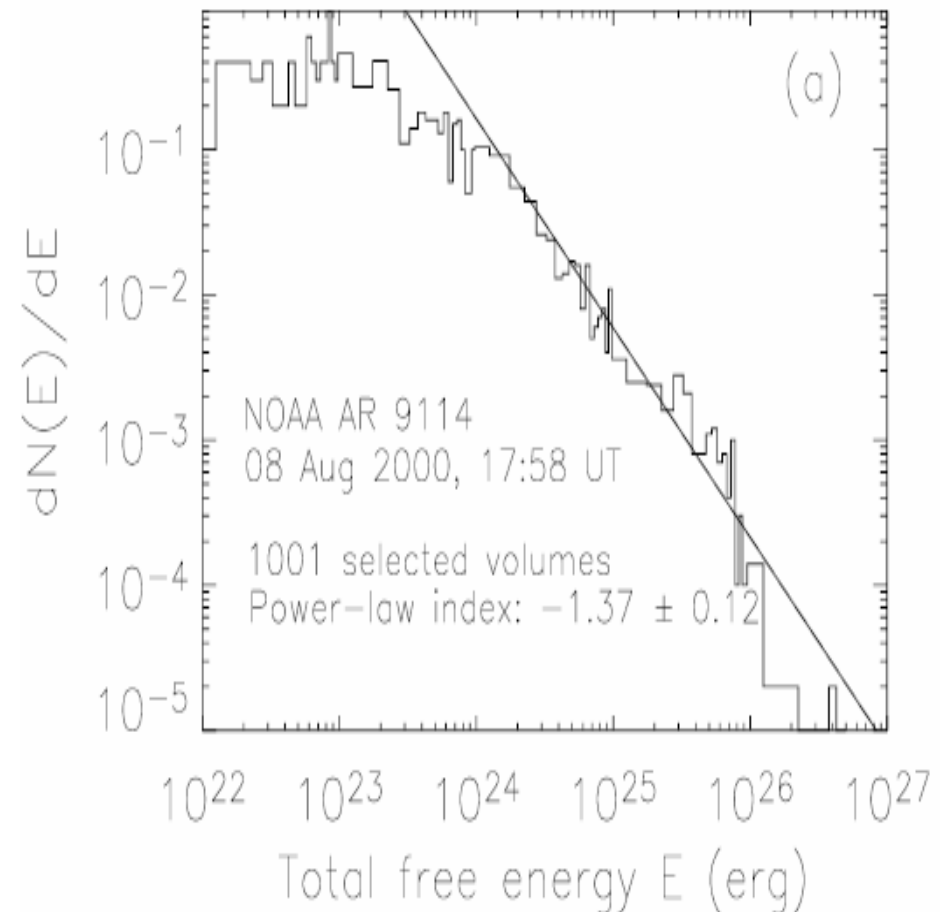
How do you define an unstable discontinuity



- We mark the points were (Parker's criterion)

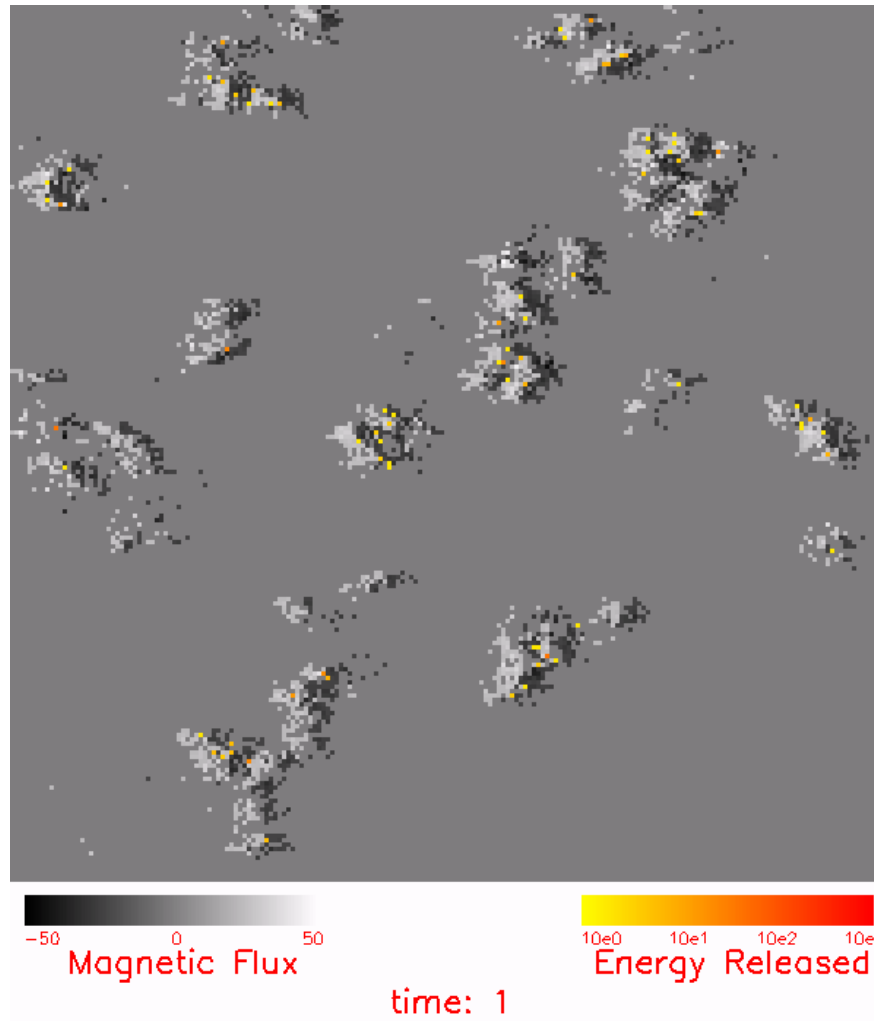
$$\vec{J}_c \sim \nabla \times \vec{B}$$

is satisfied and multiply this volume with the magnetic energy in excess the potential energy



Evolving active regions build up constantly magnetic discontinuities....

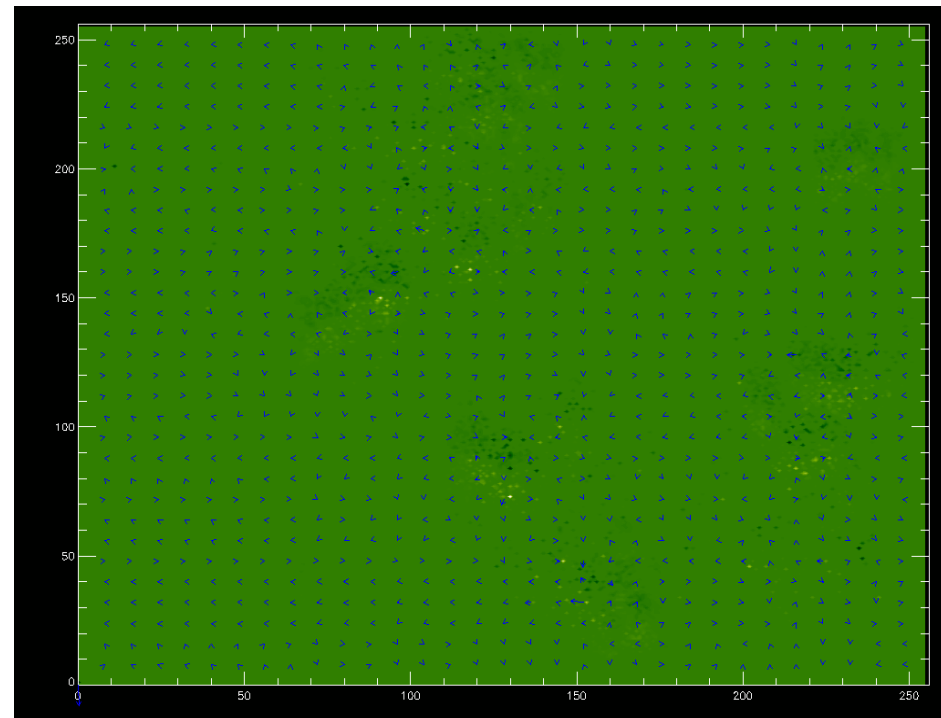
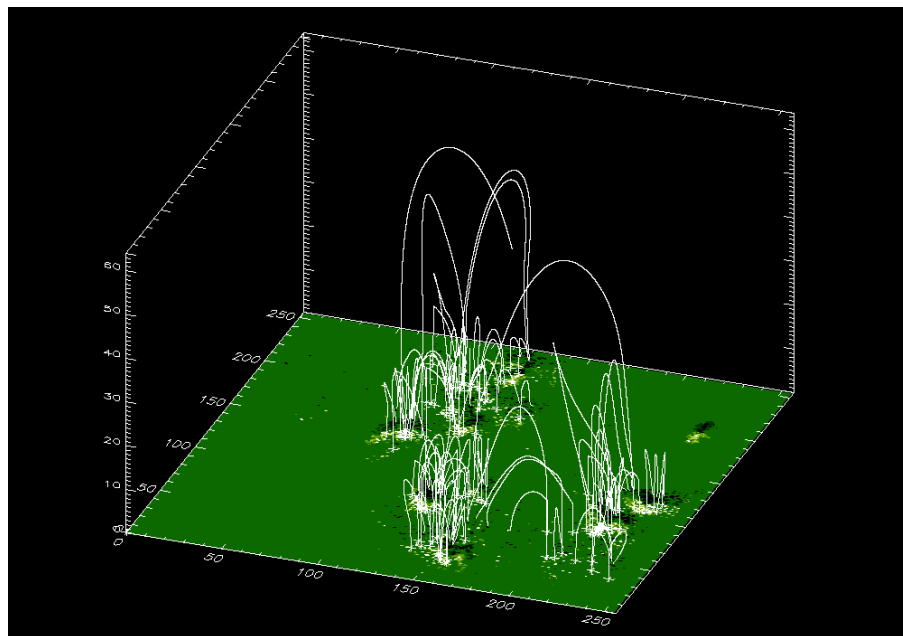
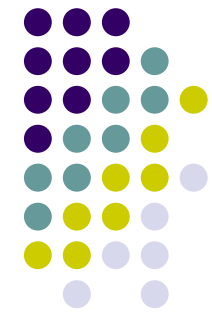
(Fragos, Rantziou, Vlahos, AA, 2004)



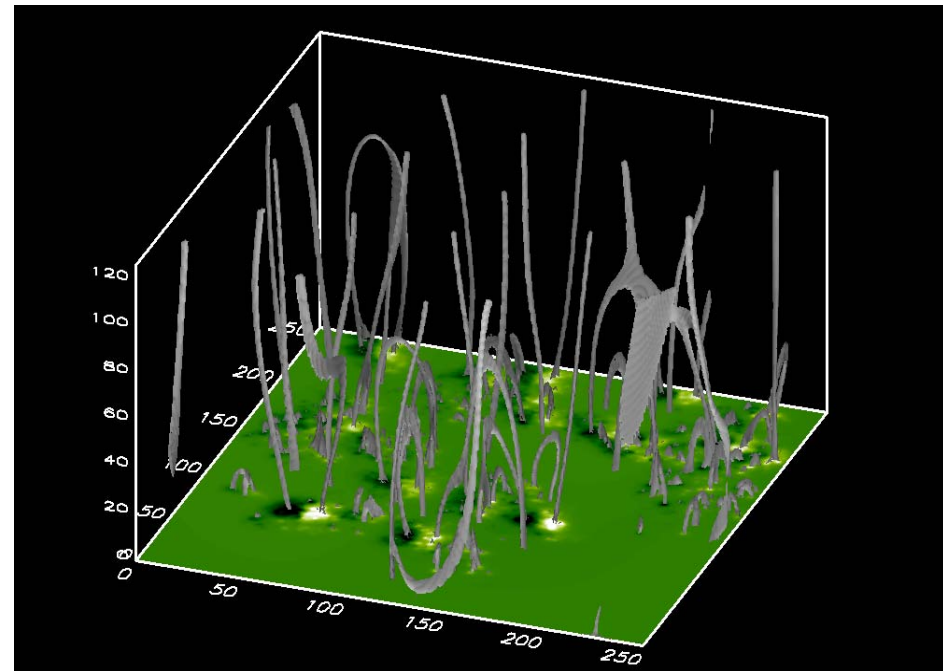
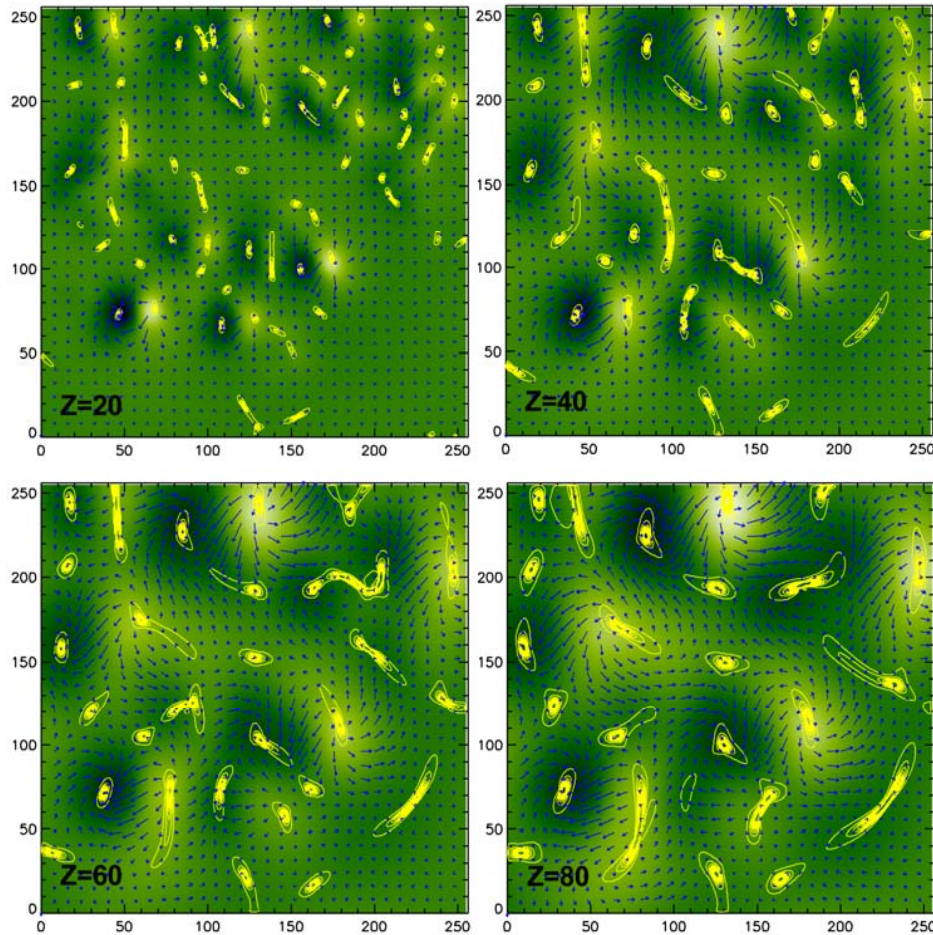
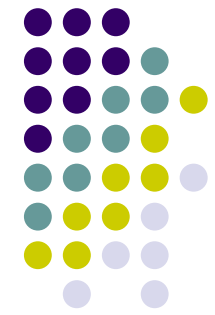
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Evolving active regions build up constantly magnetic discontinuities....

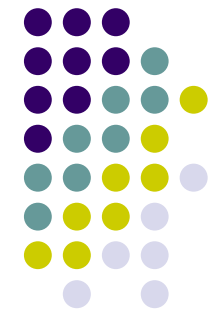
(Fragos, Rantziou, Vlahos, AA, 2004)



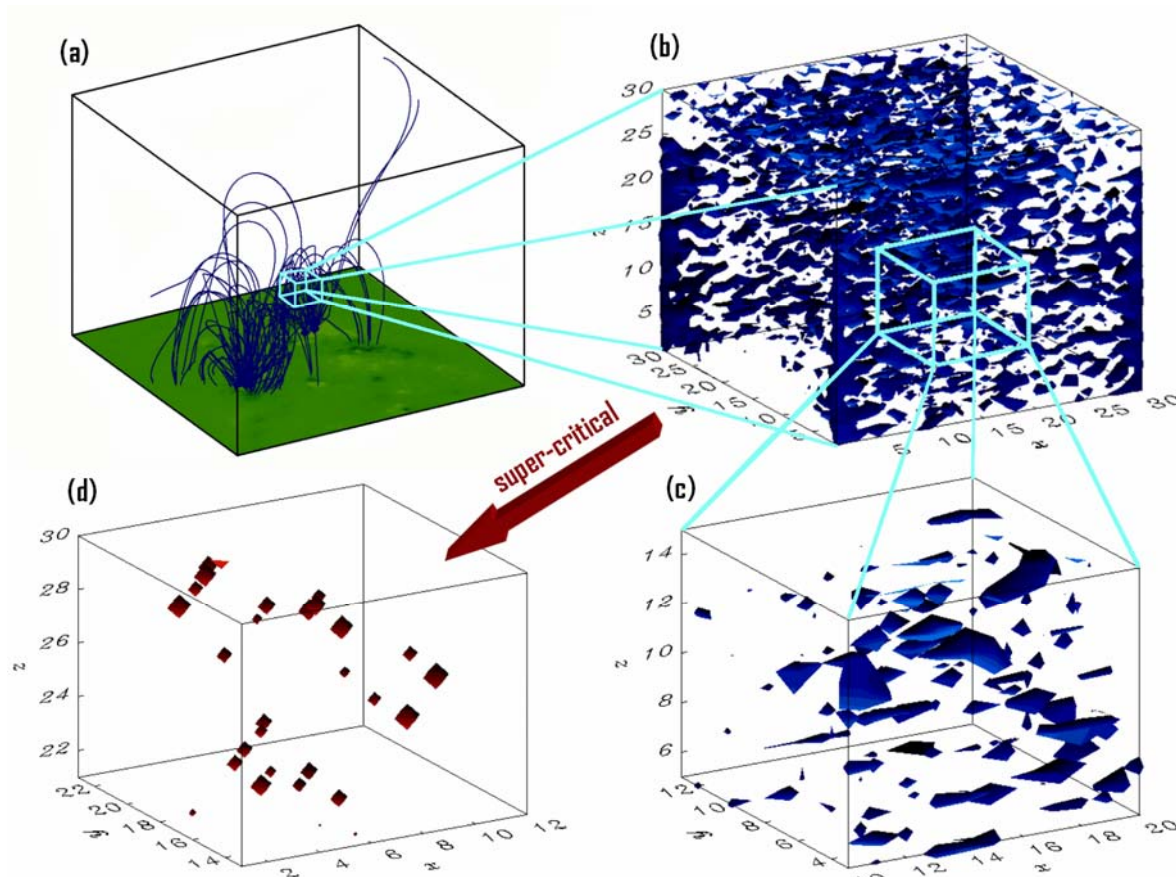
Dynamic motion of the photosphere builds constantly magnetic discontinuities (Fragos, Rantziou, Vlahos, AA, 2004)



A New approach to an old problem

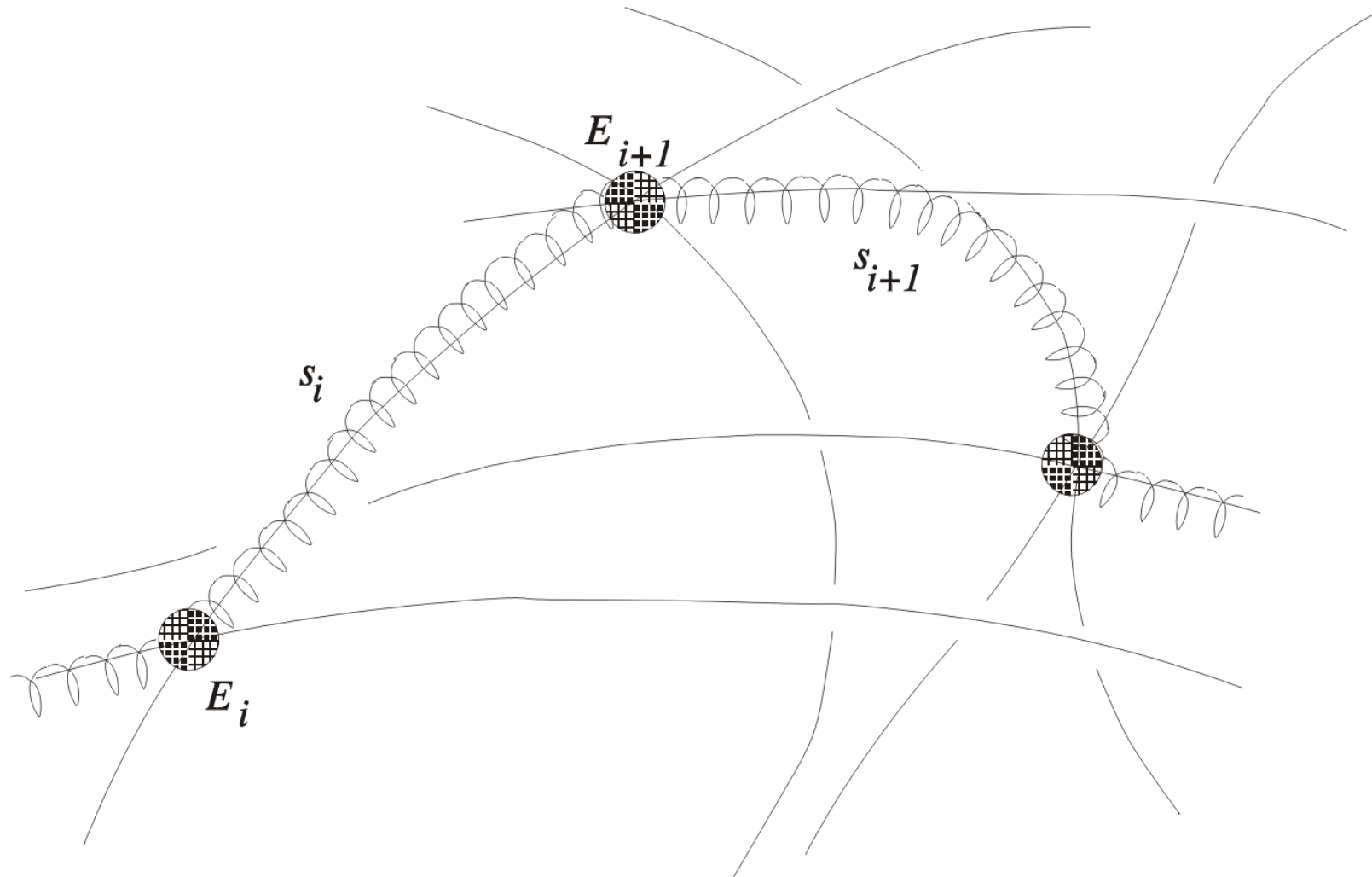


- From one current sheet to millions



Sporadic formation of current sheets

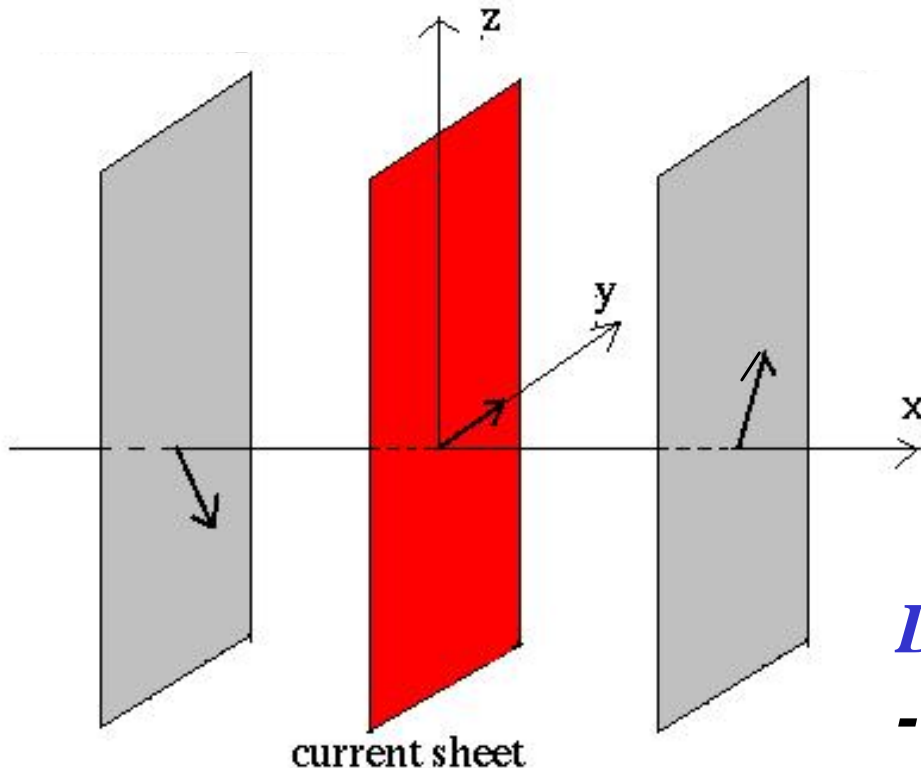
Vlahos, Isliker and Lepreti (ApJ, June 10, 2004)



Geometry



The MHD incompressible equations are solved to study magnetic reconnection in a current layer in slab geometry:



*Periodic boundary conditions
along y and z directions*

Dimensions of the domain:

$$-l_x < x < l_x, \quad 0 < y < 2\pi l_y, \quad 0 < z < 2\pi l_z$$

Description of the simulations

Incompressible, viscous, dimensionless MHD equations:

$$\frac{\partial \mathbf{V}}{\partial t} = -(\mathbf{V} \cdot \nabla) \mathbf{V} - \nabla P + (\nabla \times \mathbf{B}) \times \mathbf{B} + \frac{1}{R_\nu} \nabla^2 \mathbf{V}$$

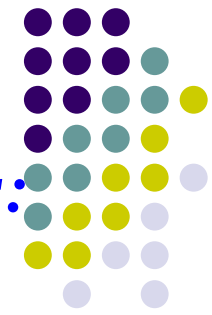
$$\frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{V} \times \mathbf{B}) + \frac{1}{R_M} \nabla^2 \mathbf{B}$$

$$\nabla \cdot \mathbf{B} = 0$$

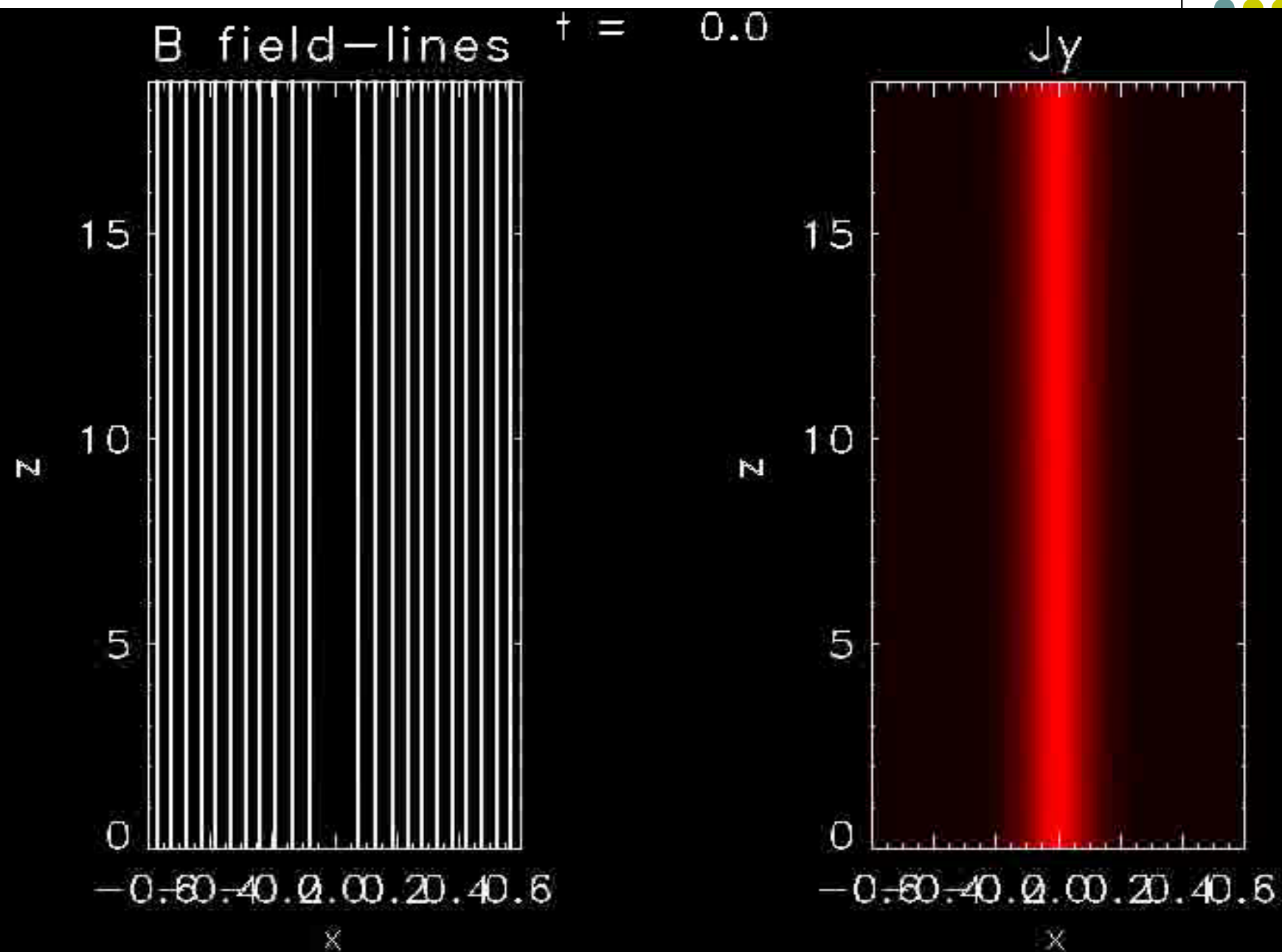
$$\nabla \cdot \mathbf{V} = 0$$

***B** is the magnetic field, **V** the plasma velocity and **P** the kinetic pressure*

R_M and R_ν Are the kinetic and magnetic Reynolds numbers.

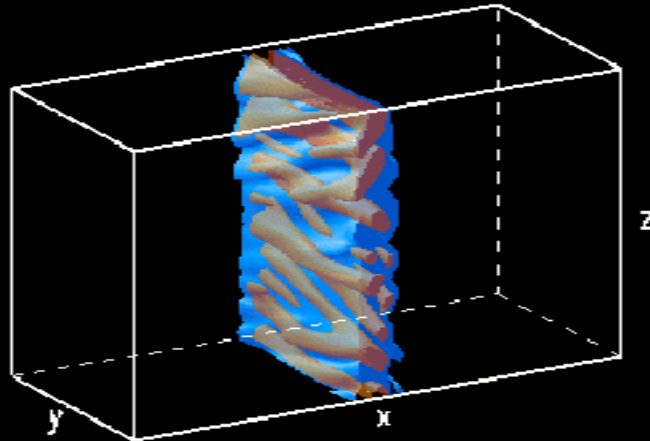


Numerical results: reconnection of magnetic field lines

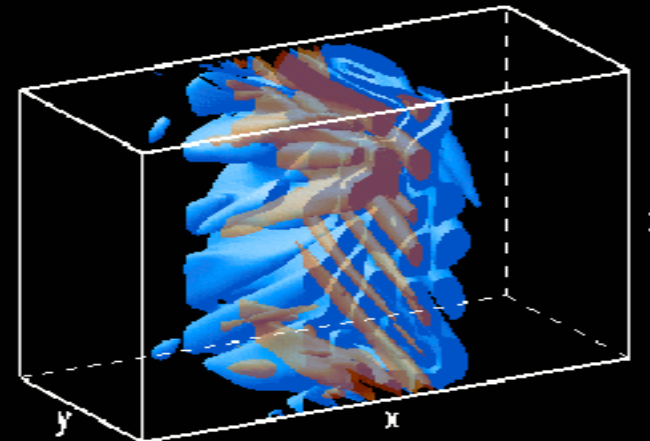


Three-dimensional structure of the electric field

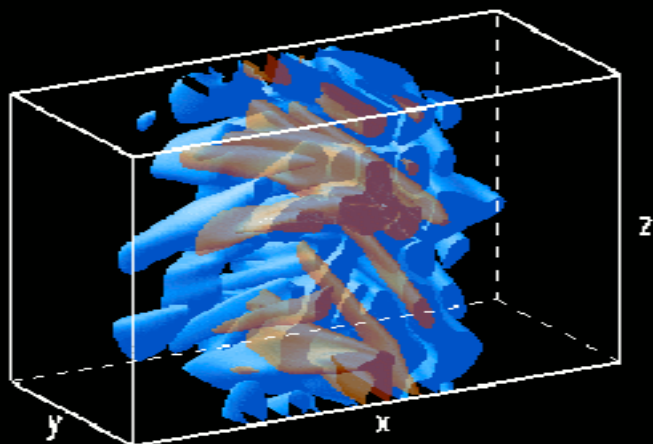
Isosurfaces of the electric field at different times



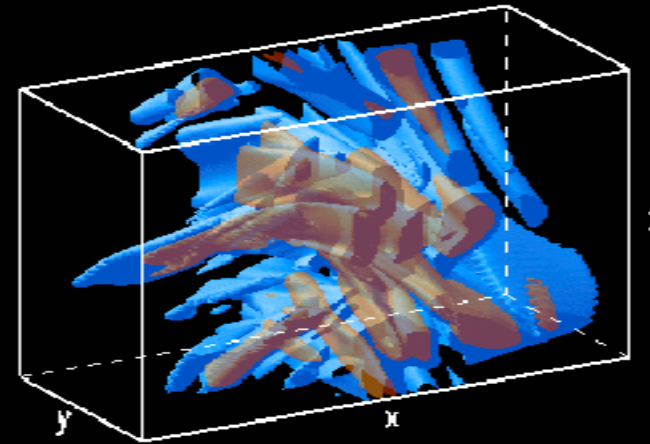
$t=50$



$t=200$



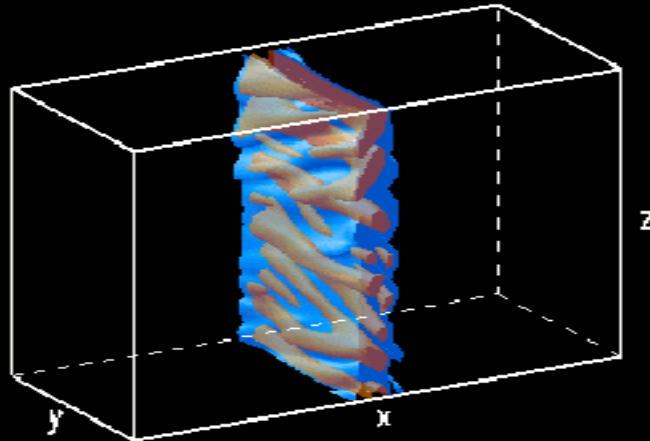
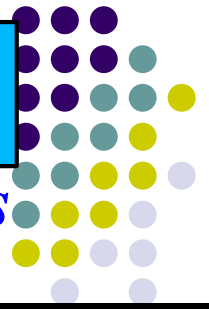
$t=300$



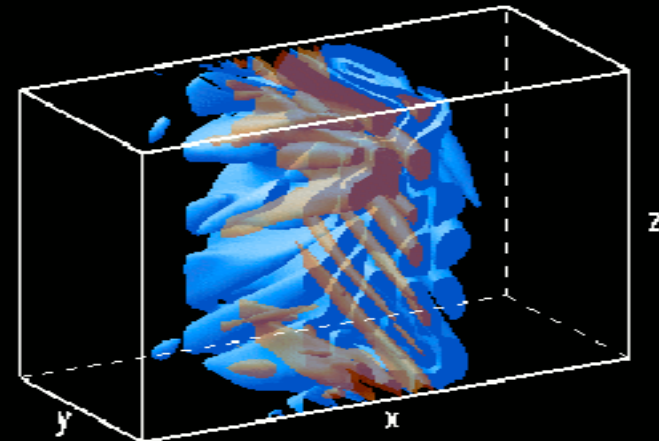
$t=400$

Three-dimensional structure of the electric field

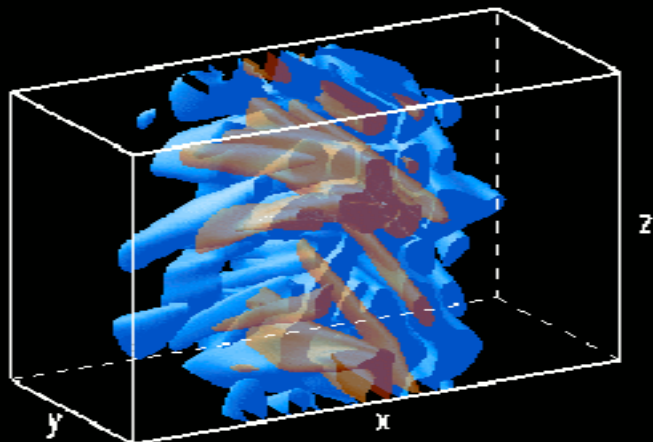
Isosurfaces of the electric field at different times



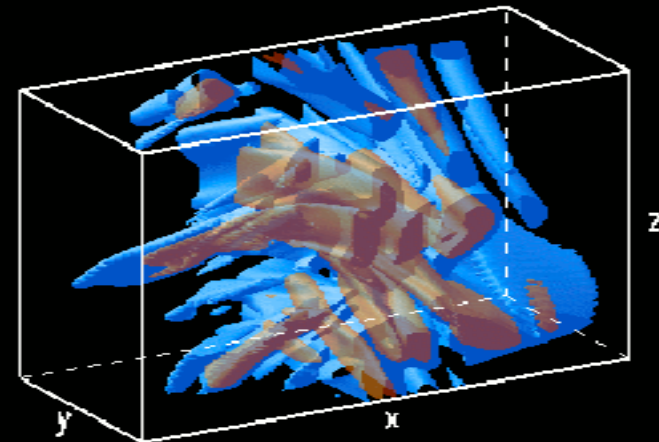
$t=50$



$t=200$

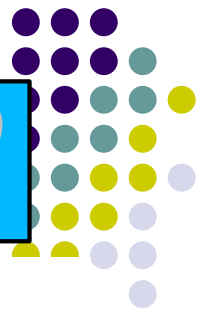


$t=300$

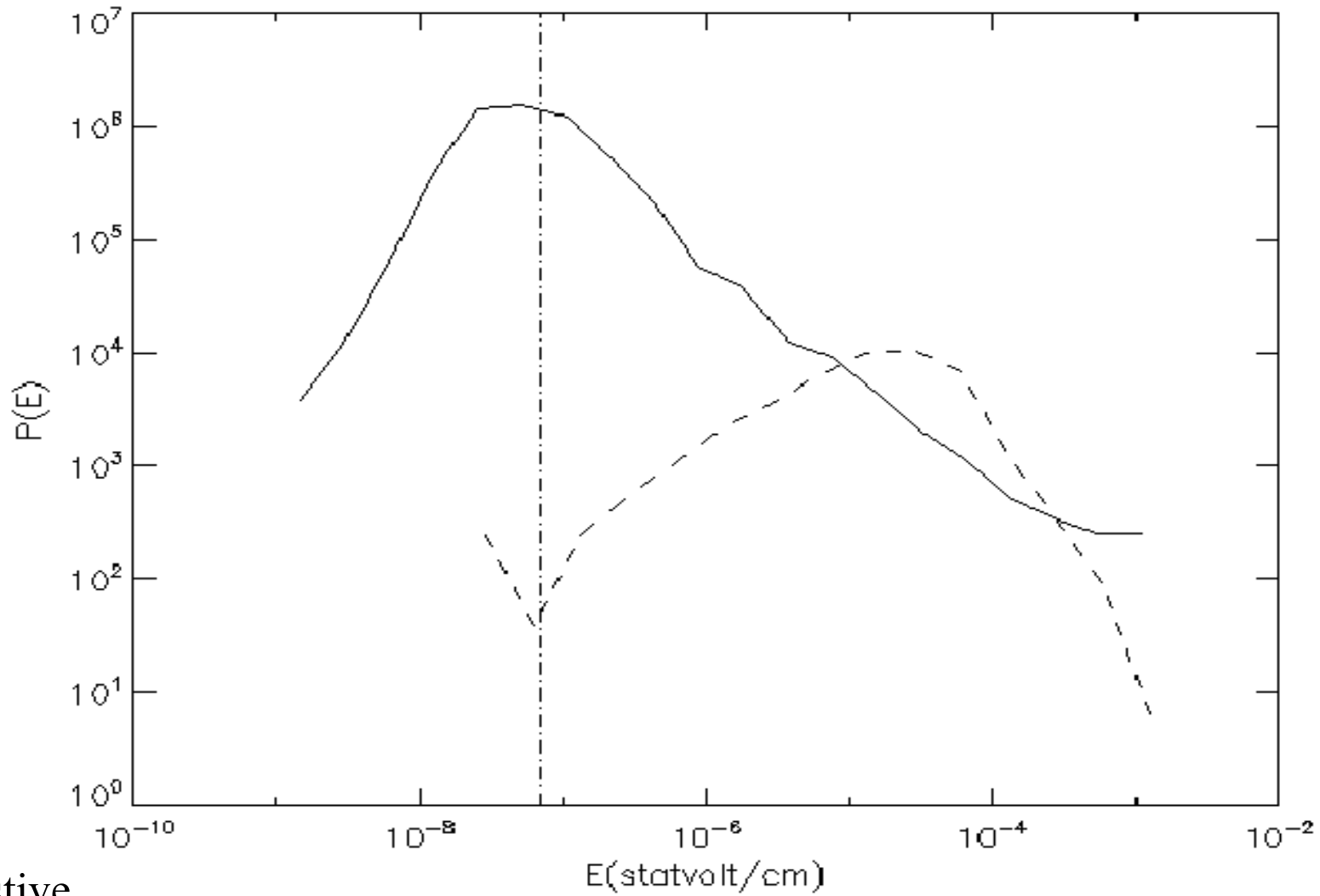


$t=400$

Distribution function of the electric field at $t=50$



$P(E)$



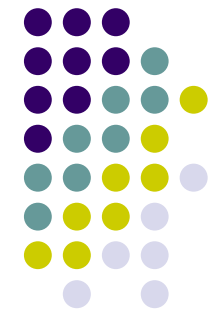
————— resistive

----- convective

E

L'Aquila 31/3/2006

Particle acceleration



Relativistic equations of motions:

$$\frac{d\mathbf{r}}{dt} = \mathbf{v} \quad \frac{d\mathbf{p}}{dt} = e\mathbf{E} + \frac{e}{c} \mathbf{v} \times \mathbf{B}$$

$$\mathbf{p} = \gamma m \mathbf{v} \quad \gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$$

The equations are solved with a fourth-order Runge Kutta adaptive step-size scheme.

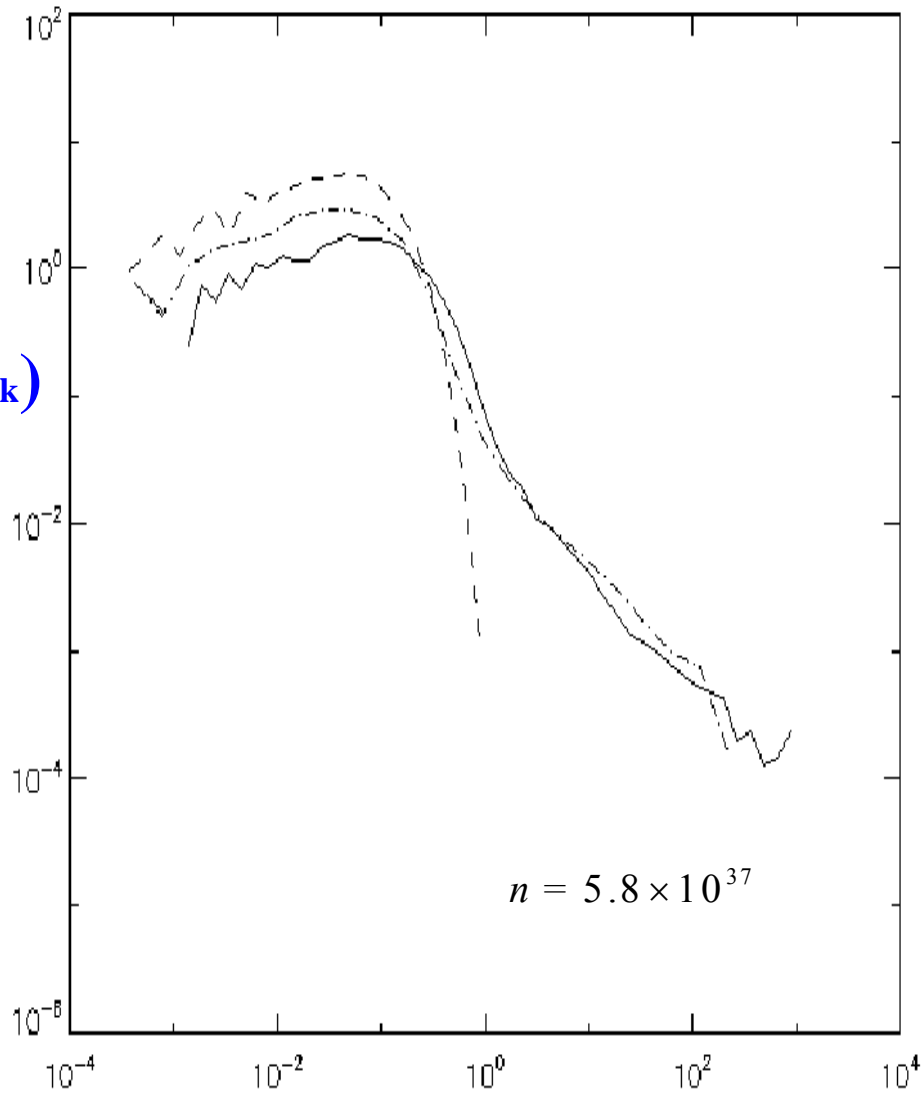
The electric and magnetic field are interpolated with local 3D interpolation to provide the field values where they are needed

Kinetic energy distribution function of electrons

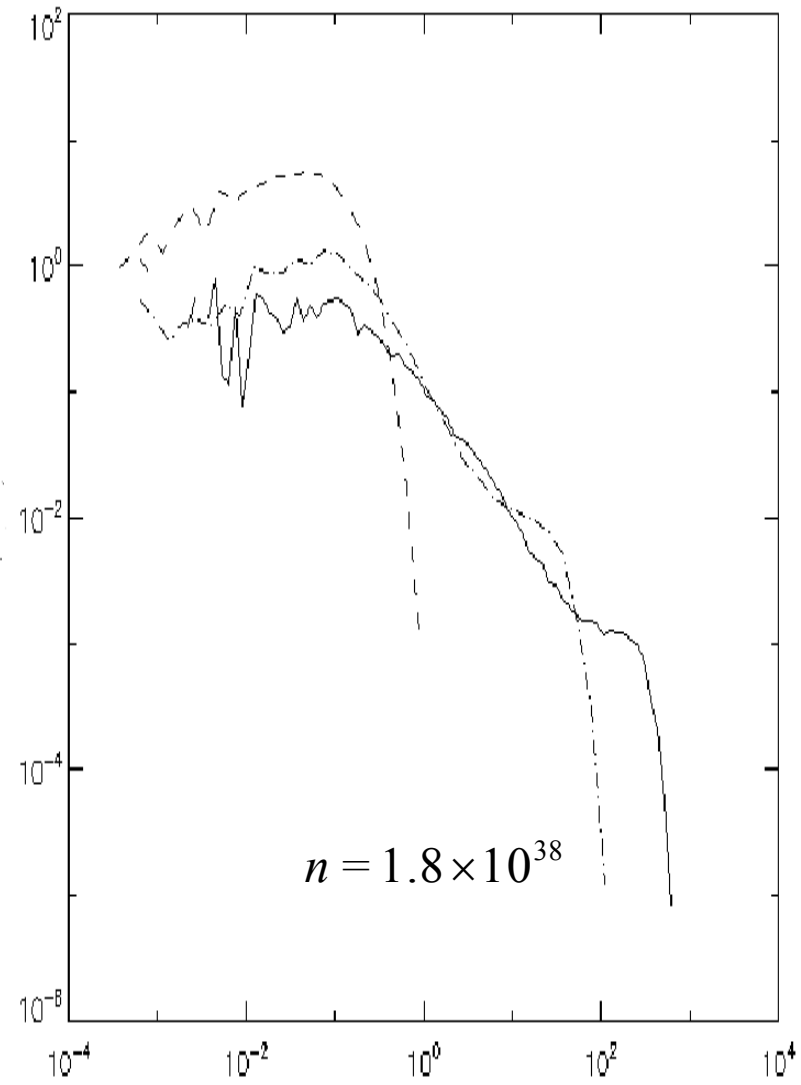
$t=50 T_A$

$T=400 T_A$

$P(E_k)$

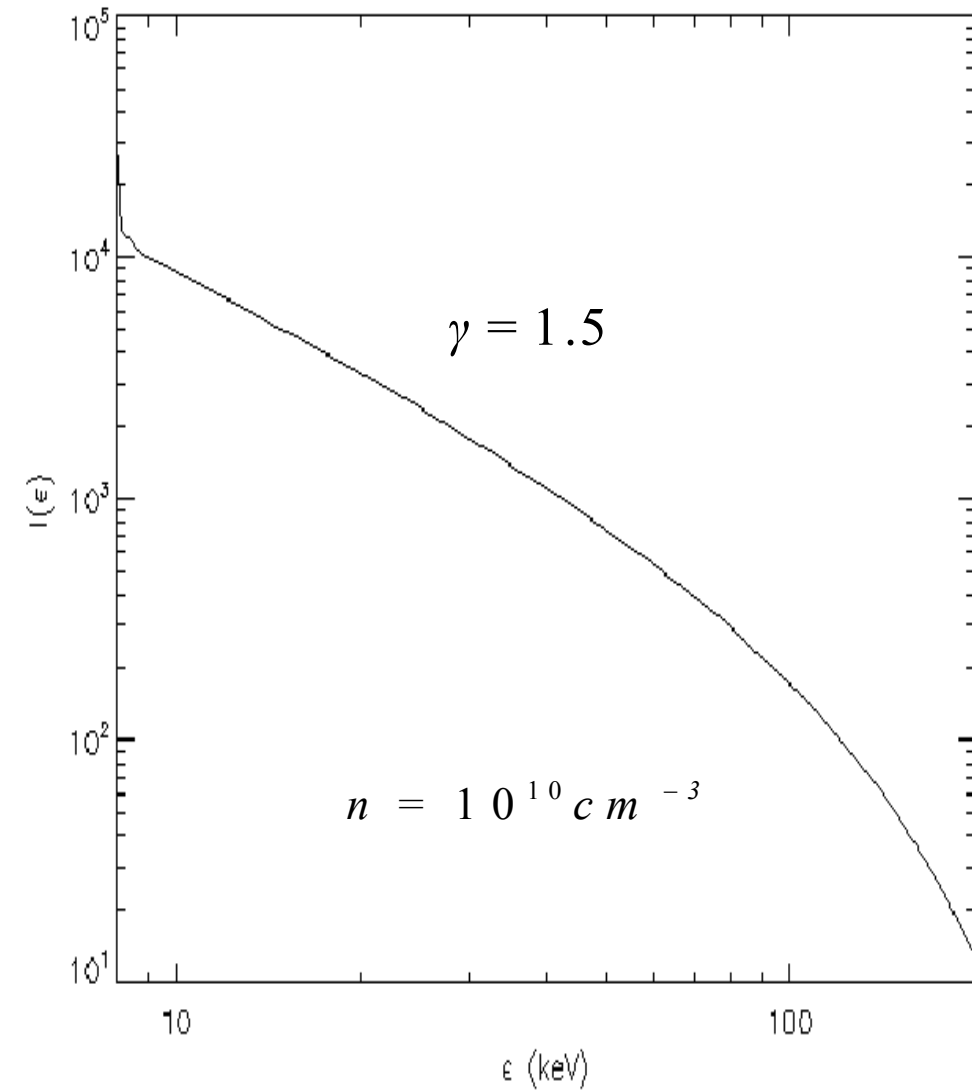
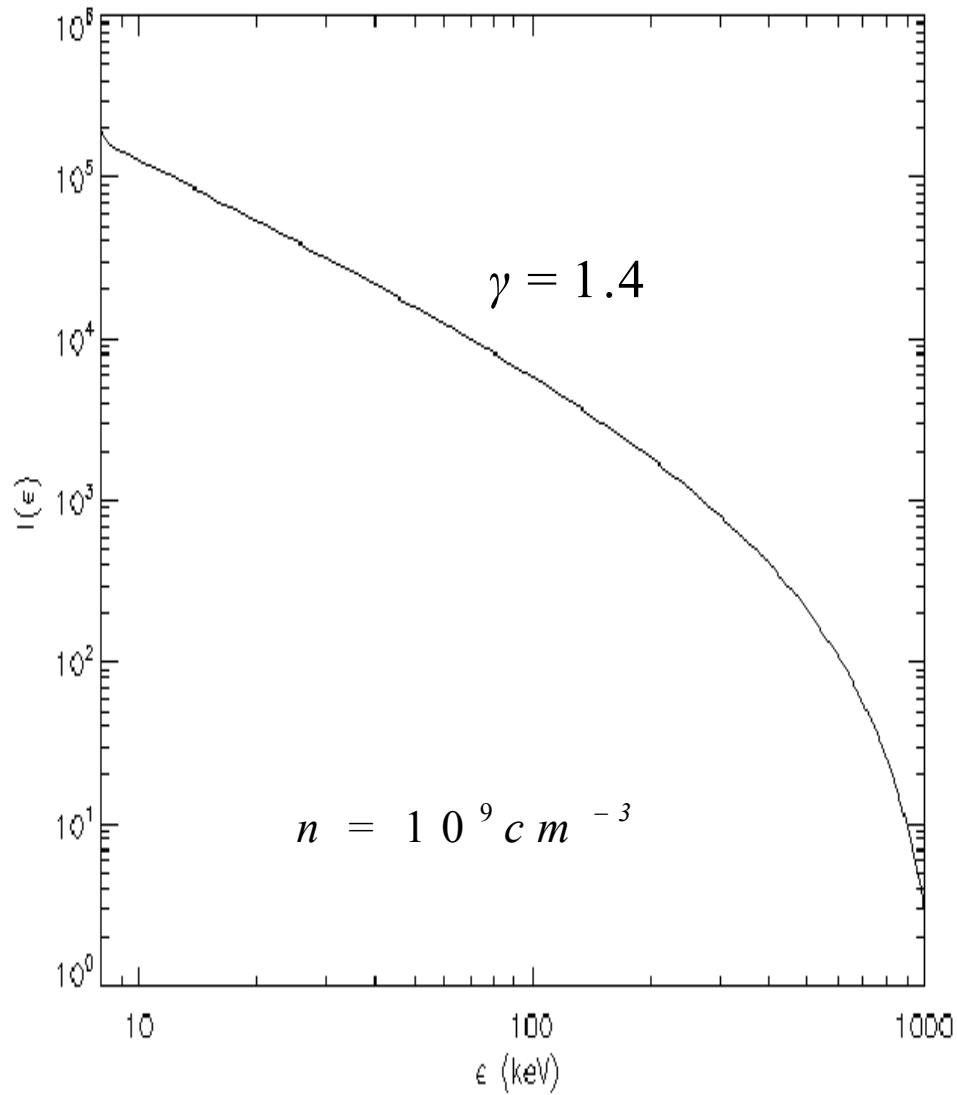


E_k (keV)

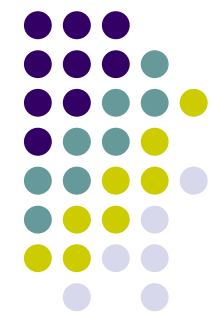


E_k (keV)

HXR bremsstrahlung spectrum

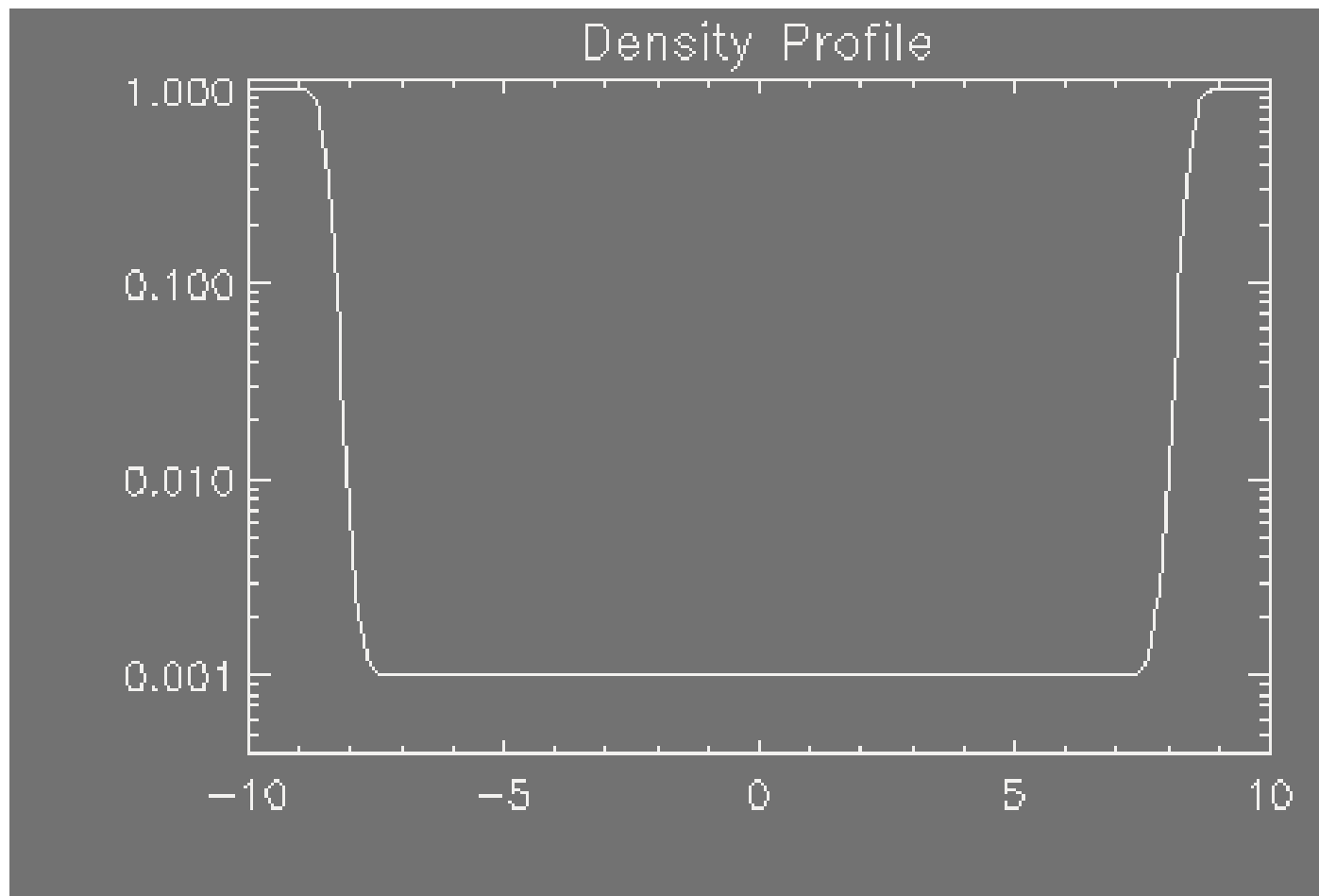
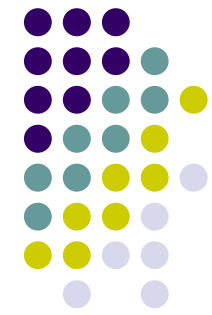


Solve the MHD equations inside a simple loop atmosphere (*Galsgaard*)

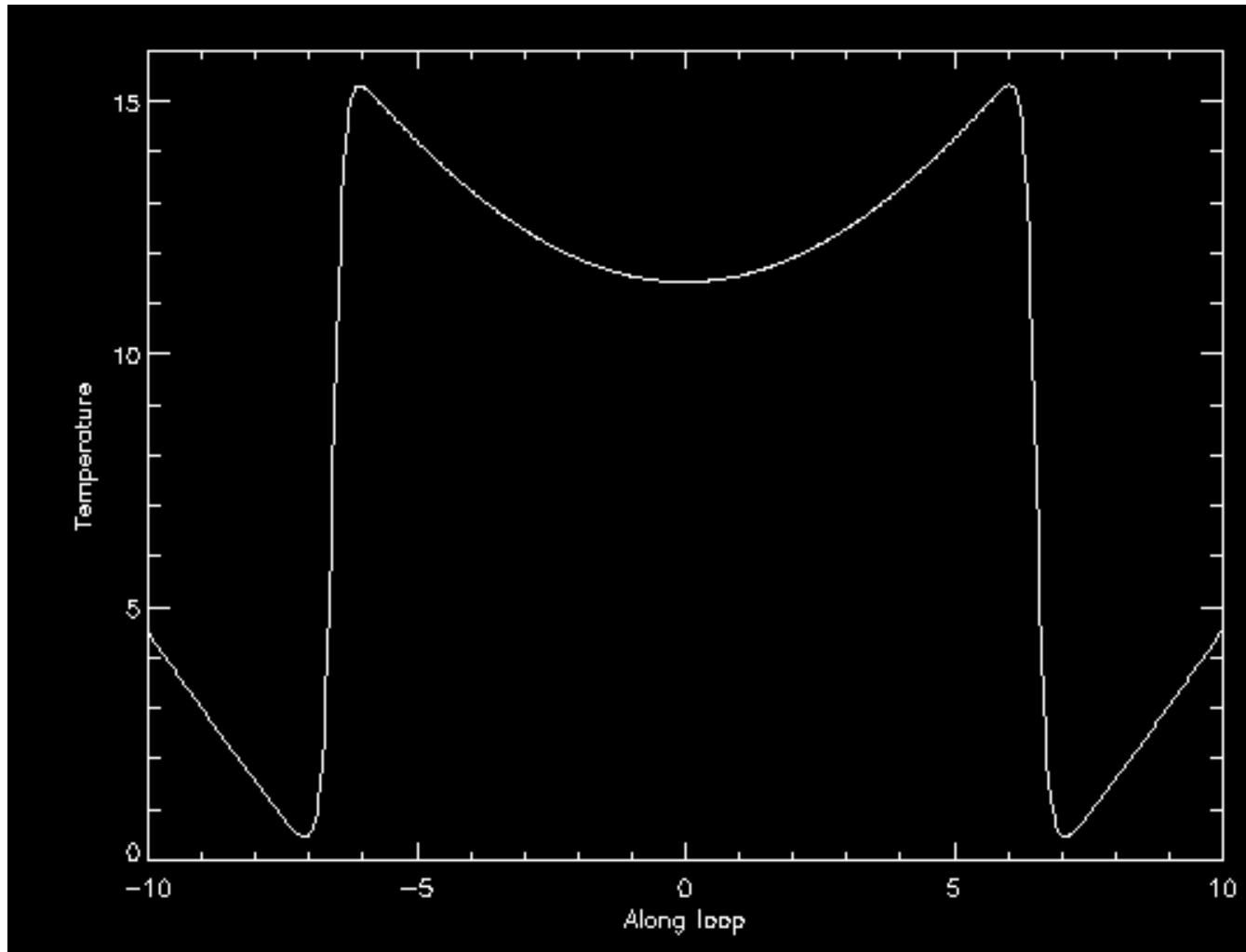
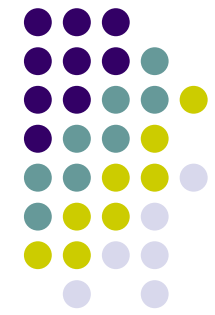


$$\begin{aligned}\frac{\partial \rho}{\partial t} &= -\nabla \cdot \rho \mathbf{u}, \\ \frac{\partial \rho \mathbf{u}}{\partial t} &= -\nabla \cdot (\rho \mathbf{u} \mathbf{u} + \underline{\underline{\tau}}) - \nabla P + \mathbf{J} \times \mathbf{B} + \mathbf{F}_e, \\ \frac{\partial e}{\partial t} &= -\nabla \cdot (e \mathbf{u}) - P \nabla \cdot \mathbf{u} + Q_{\text{Joule}} + Q_{\text{visc}}, \\ \frac{\partial \mathbf{B}}{\partial t} &= -\nabla \times \mathbf{E}, \\ \mathbf{E} &= -(\mathbf{u} \times \mathbf{B}) + \eta \mathbf{J}, \\ \mathbf{J} &= \nabla \times \mathbf{B}\end{aligned}$$

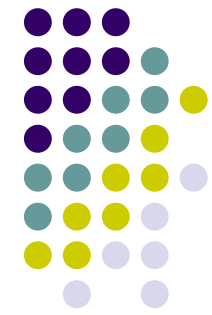
Density profile along the loop



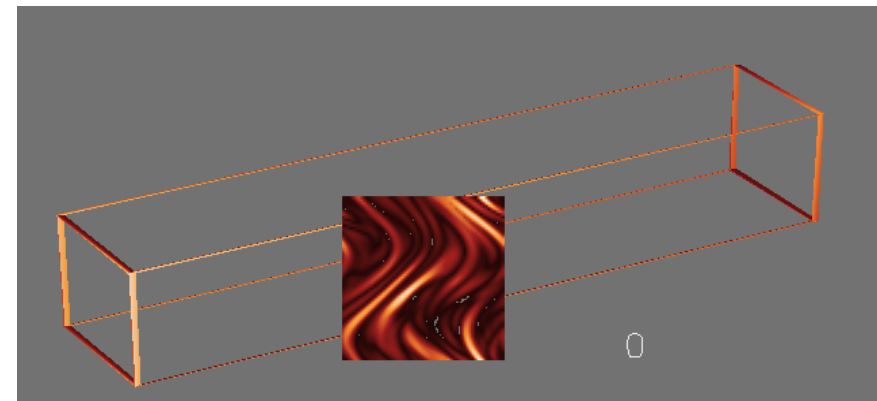
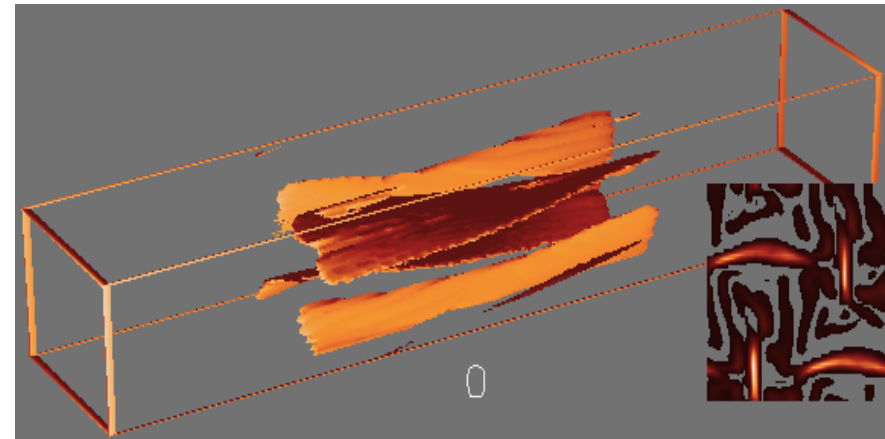
Temperature along the loop



The stochastic loop model (Galsgaard)

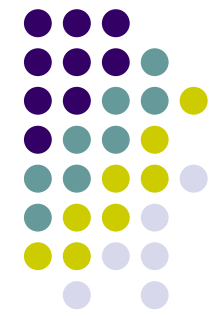


- 3D MHD experiment of photospherically driven slender magnetic flux tubes
- Continued random driving of the foot points (incompressible sinusoidal large scale shear motions)
- Reconnection jets generate secondary perturbations in B
- Formation of stochastic current sheets

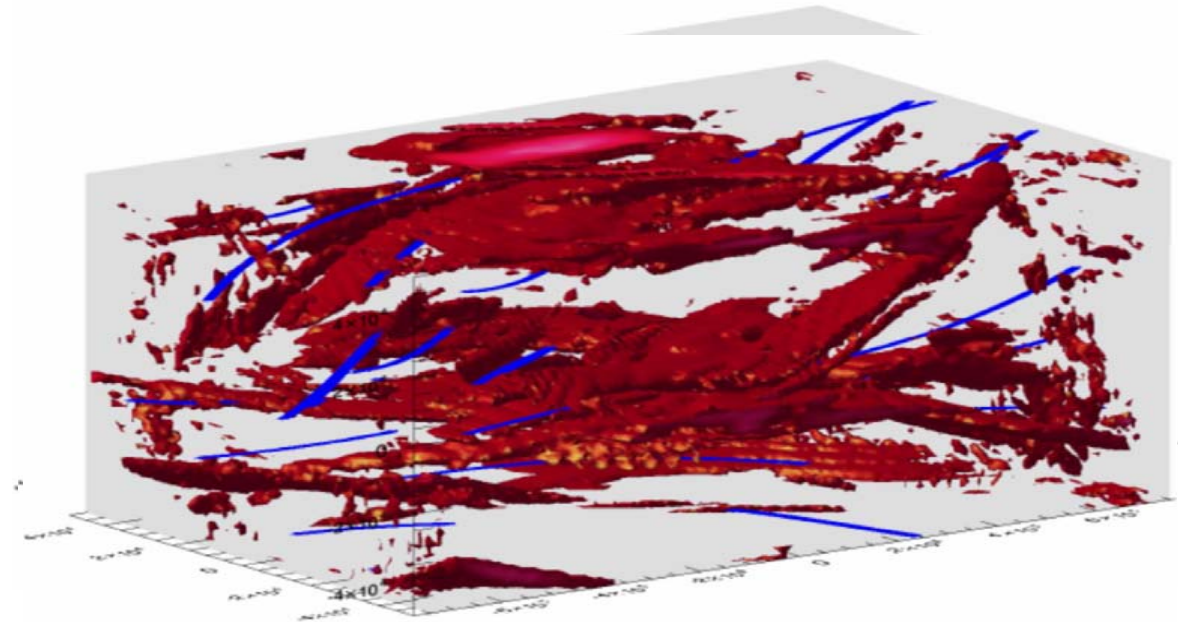


Particle acceleration in stochastic current sheets

(Rim Turkmani et al)

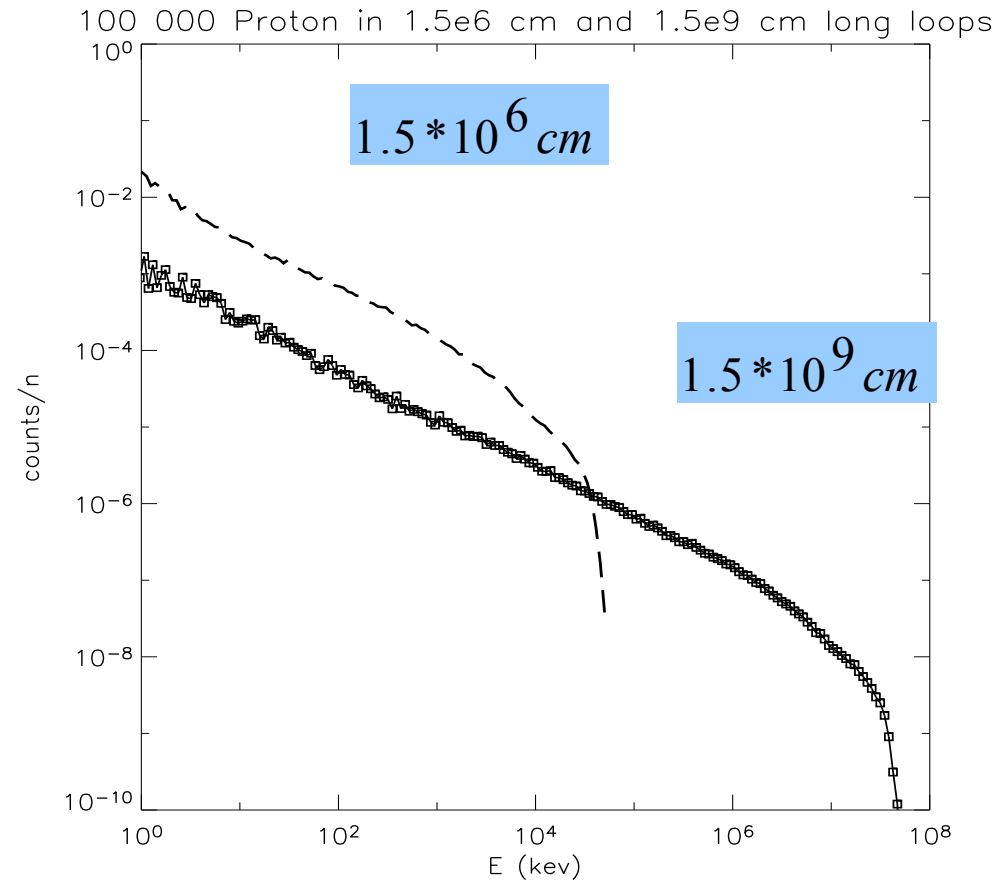
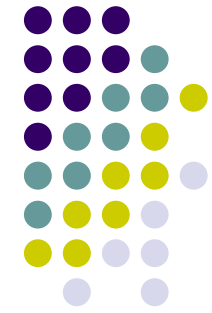


- Particles injected at random positions within an MHD box
 - Protons 0.027 keV
 - Electron 1.16 keV
- Initial velocity fixed in amplitude, random in direction



- Acceleration time scale much shorter than MHD time scale
- B and E are scaled; initial values:
 - B: Mean ~ 1.0 (0.89 – 1.08)
 - E: Mean $\sim 7e-4$ ($e-5$ – $e-2$)

Scaling with loop dimensions



Acceleration scales linearly with the spatial scale of the loop

My summary



- The photospheric motions drive the formation of unstable discontinuities
- Fast, slow, organized and random flows are all part of the photospheric activity
- New emerging flux adds complexity to this picture and enhances the concentration of magnetic discontinuities
- The extrapolated force free magnetogram holds important information for the activity of the complex AR.