

# Hydrostatic and Caustic Mass Profiles

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#### Hydrostatic Bias

 Simulations suggest hydrostatic masses underestimated

•  $M_X/M_{TRUE} = 0.7 - 0.8$ 

 Ratio of ~0.6 would reconcile Planck cosmological results



#### Lensing Calibration



Comparisons of WL and X-ray masses are mixed

#### Caustic Masses

- Trace escape velocity profiles
- Effective to >R200
- Expected to overestimate true mass by ~20% at R500
- Prediction: M<sub>X</sub>/M<sub>C</sub> ~ 0.7



#### CHeCS

- Chandra observations of HeCS
  - 16/50 clusters
  - X-ray flux limited
  - \* 0.15 < z < 0.30
- Hydrostatic masses from Giles+ (submitted)
- Caustic masses from Rines+ (2013)
  - ~200 galaxies per cluster



- Mass profiles measured independently
  - neither assume
    parametric form for
    M(R)
- Compare using X-ray R500 (not important)



- Model the hydrostatic and caustic masses as coming from a normal distribution (in log space)
  - each with bias and scatter relative to "true" mass

 $\mu_{\rm X} \sim \mathcal{N}(\mu + \kappa_{\rm X}, \delta_{\rm X}) \qquad \mu_{\rm C} \sim \mathcal{N}(\mu + \kappa_{\rm C}, \delta_{\rm C})$ 

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Include measurement errors

 $\hat{\mu}_{\mathrm{X}} \sim \mathcal{N}(\mu_{\mathrm{X}}, \sigma_{\mathrm{X}}) \qquad \qquad \hat{\mu}_{\mathrm{C}} \sim \mathcal{N}(\mu_{\mathrm{C}}, \sigma_{\mathrm{C}})$ 

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 Scatter and bias degenerate, but combinations can be constrained

$$\kappa = \kappa_{\rm X} - \kappa_{\rm C} = \log_{10} \left( \frac{M_{\rm X}}{M_{\rm C}} \right) \qquad \delta = \sqrt{\delta_{\rm X}^2 + \delta_{\rm C}^2}$$

#### Compute profile of





#### M<sub>c</sub> (Msol) Hydrostatic Vs Caustic Masses

- No evidence for dependence on X-ray morphology
  - weak constraints
- Scatter is 23 +/- 12% at R500 (full sample)
  - ~30% scatter
    expected in caustic
    masses



#### Limits on Biases

- Expectations:
  - \*  $M_X/M_{TRUE} \sim 0.8$
  - \*  $M_C/M_{TRUE} \sim 1.2$
  - \*  $M_X/M_C \sim 0.7$
- We find  $M_X/M_C > 0.9$  at  $3\sigma$
- Suggests small (~ zero) hydrostatic bias
- Smaller-than-expected caustic bias?



## Summary







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X-ray mass bías ís probably quite líttle. More data to come.





#### **Cross-CHeCS**

- Compare our hydrostatic masses with literature
- Recompute in other sample's R500
- \*  $M_{CHeCS}/M_{Martino} = 1.06 + / 0.07$
- \*  $M_{CHeCS}/M_{Mahdavi} = 1.04 + / 0.09$





#### X-ray Calibration

- Chandra T higher than XMM
  - (but PN and MOS not consistent either)



Schellenberger+ (2015)

- Chandra masses ~15% higher
  - \* XMM would give  $M_X/M_C = 1.0$

But see Martino+ (2014)

