# **Basic Processes of Turbulent Plasmas**

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# Plasma-turbulence and wave-particle interaction downstream of the main interplanetary shock of the Bastille Day coronal mass ejections

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Configuration of a CME (M.A. Lee, 1997)

### SOHO

time-dependent propagation in upstream solar wind plasma Jpstream Magnetic Cloud 1 stationary spatial diffusion Shock first-order Fermi acceleration Downstream Turbulence stationary spatial and momentum diffusion Magnetic Cloud 2 stationary spatial diffusion





The Bastille Day Event (July 14-16, 2000)







The Bastille Day Event (July 14-16, 2000)





*Figure 136.* Erzeugung von Elektronenstrahlen oder Asymmetrien in der Elektronentemperatur  $(T_{e\parallel} \gg T_{e\perp})$  durch die Rekonnexion in impulsiven Flares auf der Sonnenoberfläche.



*Figure 135.* Schematische Darstellung der Feuerwehrschlauchinstabilität (Treumann and Baumjohann, 1997; Seite 51).



## cyclotron resonance

$$\xi = \Omega_{\rm S} + k_{\parallel} v_{\parallel} - \omega$$

$$v_{\perp} \dot{v}_{\perp} \approx \frac{2\pi q^2 E_{\rm rms}^2}{m^2 \delta \omega}$$
$$\frac{\dot{W}_{\perp}}{m} \approx 6.1 \left[\frac{\rm Mev}{\rm amu \ s}\right] \left(\frac{E_{\rm rms}}{100 \ \rm V \ m^{-1}}\right)^2 \left(\frac{10^6 \rm rad \ s^{-1}}{\delta \omega}\right) \left(\frac{\rm Q}{\rm A}\right)^2$$



Figure 141. Zunahme der Gesamtenergie eines Ions mit der Zeit (von Paesold et al., 2003).







Transport equation:

$$\frac{\partial f}{\partial t} + \mathbf{V} \cdot \nabla f = \nabla \cdot (\kappa \nabla f) + I - S + \frac{p}{3} \frac{\partial f}{\partial p} \nabla \cdot \mathbf{V} + \frac{1}{p^2} \frac{\partial}{\partial p} \left( p^2 D_{pp} \frac{\partial f}{\partial p} \right)$$

### Roll-over of velocity distribution:

$$\begin{split} f\left(v\right) &\propto \exp\left[-v^{2}/v_{\rm ro}^{2}\right] \ ,\\ v_{\rm ro}^{2} &\approx v_{\rm 1MeV}^{2} \ L_{\rm turb} k_{\rm 1MeV}^{2} \left(2-\alpha\right) \left(\frac{Q}{A}\right)^{2-\alpha} \frac{\delta \tilde{B}^{2}\left(k_{\rm 1MeV}\right)}{B_{0}^{2}} \approx v_{\rm 1MeV}^{2} \ 0.01 \left(\frac{Q}{A}\right)^{2-\alpha} \left(2-\alpha\right) \\ &\text{for} \quad L \approx 1.4 \times 10^{10} \ {\rm m} \ ; \ k_{\rm 1MeV} \approx 1.4 \times 10^{-8} {\rm m}^{-1} \ ; \ \frac{\delta \tilde{B}^{2}\left(k_{\rm 1MeV}\right)}{B_{0}^{2}} \approx 3 \times 10^{5} {\rm m} \end{split}$$

 $-\alpha < 2$ : spectral index power spectral density  $\delta \tilde{B}^2(k)$ 

#### Momentum diffusion:

Quasi-linear theory, "1D"; 2D-MHD (le Roux et al., 2002):

 $D_{vv;1D} = \pi \Omega_{\rm s}^2 v |\mu| \delta \tilde{B}^2(k_{\rm res}) / B_0^2 \quad ; \qquad \qquad D_{vv;2D} = \eta 2 \pi^3 \Omega_{\rm s} \mu^2 v^2 V_{\rm A}^2 \langle \delta \tilde{B}_{\perp}^2 \rangle^2 / B_0^4 / V^2$ 

 $\mu$ : cosine of pitch-angle ;  $\eta = r_{\rm A} - \frac{1}{4}\sigma_{\rm c}^2 (1 + r_{\rm A})^2 \quad \sigma_{\rm c}$ : cross-helicity ;  $r_{\rm A}$ : ratio spectral energy density of velocity fluctuations to magnetic field fluctuations

$$\frac{D_{vv;2D}}{D_{vv;1D}} \approx \eta \left( L_{\text{turb}} k \right)^{\alpha - 1} = \eta \left( L_{\text{turb}} k_{1\text{MeV}} \right)^{\alpha - 1} \left( \frac{k}{k_{1\text{MeV}}} \right)^{\alpha - 1} \\
\approx 40\eta \left( \frac{k}{k_{1\text{MeV}}} \right)^{2/3} ; L_{\text{turb}} \approx 1.4 \times 10^{10} \,\text{m} ; ; k_{1\text{MeV}} \approx 1.4 \times 10^{-8} \text{m}^{-1} ; \alpha = 5/3$$

## Conclusions

- Second-order Fermi acceleration for super-Alfvénic particles in the heliosphere is important, if data of Bastille Day event are due to stochastic acceleration in downstream 2D-MHD turbulence.
- Energetic (suprathermal) particles are probes for plasma turbulence.
- Need a theory for sub-Alfvénic particles.